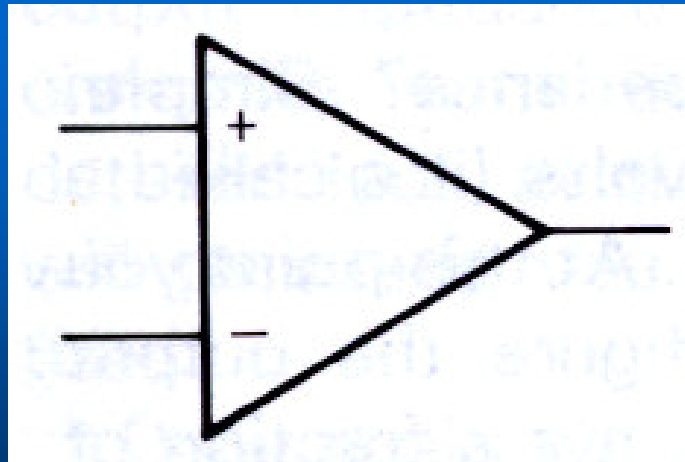
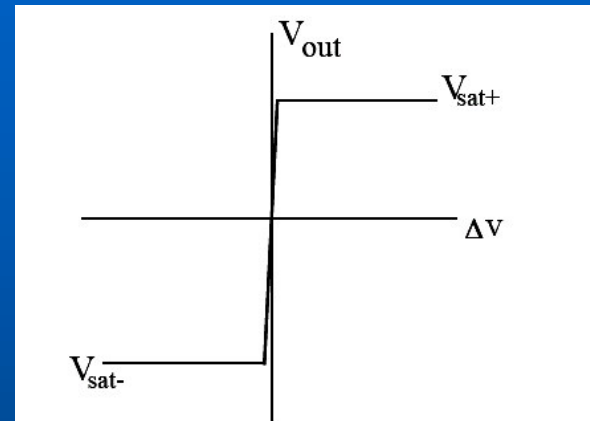
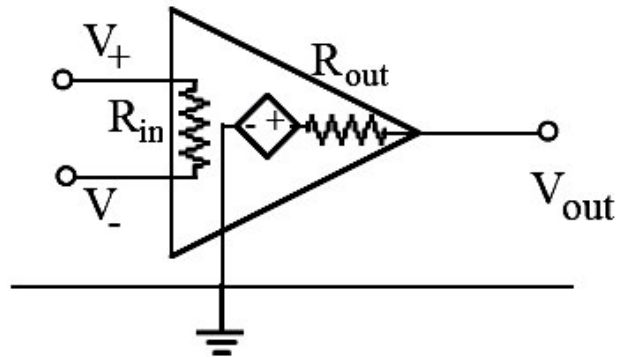


Operational Amplifiers





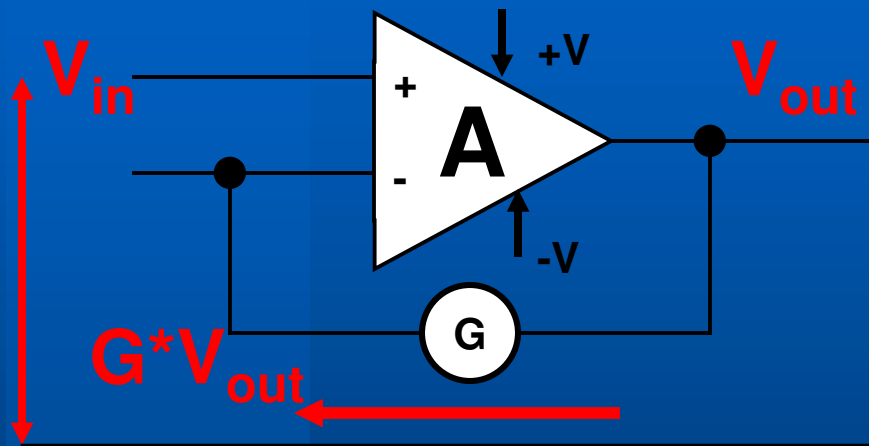
The Operational Amplifier



- The OpAmp uses a High and a Low voltage supply (e.g. +15 V and -15 V. The output of the OpAmp cannot exceed these values usually referred as 'rail voltages')
- $V_{out} = A * (V_+ - V_-)$ Typically: $A \gg$
The output goes to the positive rail if $V_+ > V_-$
and it goes to the negative rail if $V_+ < V_-$
- The Input impedance is large (not much current flows)
- The Output impedance is small (current can flow)



Negative Feedback and the Operational Amplifier



So: $V_{out} = A (V_{in} - G * V_{out}) \Rightarrow$
 $V_{out} (1 + A * G) = A V_{in} \Rightarrow$
 $V_{out} = [A / (1 + A * G)] * V_{in}$

So the **GAIN** = $[A / (1 + A * G)]$
is stable if the feedback is
negative as shown.

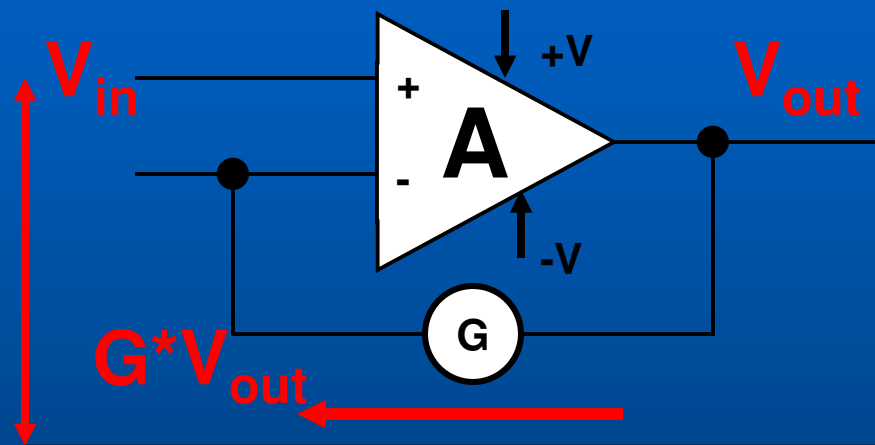
If the feedback is negative:

$$V_{+} = V_{in} = V_{out} * G$$

$V_{-} = G * V_{out} \Rightarrow$ The OpAmp will try to make its inputs equal



Operational Amplifier Rules



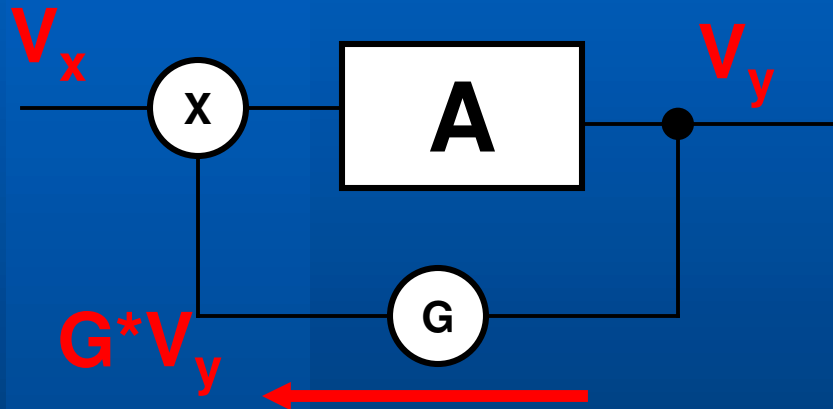
You can analyze all OpAmp circuits using the following rules:

- **The output attempts to do whatever it takes to make the voltage difference of the inputs zero (under negative feedback)**
- (2) Inputs draw no current**



Feedback in General

In General the feedback could be positive or negative:



So: $V_{out} = A (V_{in} + G * V_{out}) \Rightarrow$
 $V_{out}(1 - A * G) = A V_{in} \Rightarrow$
 $V_{out} = [A / (1 - A * G)] * V_{in}$
where G is either
positive or negative

IF $G < 0 \Rightarrow \text{GAIN} = [A / (1 + A * |G|)]$
and the output is stable (neg. feedback)

IF $G > 0 \Rightarrow \text{GAIN} = [A / (1 - A * |G|)]$
the output is unstable and the system oscillates



The 741 Operational Amplifier

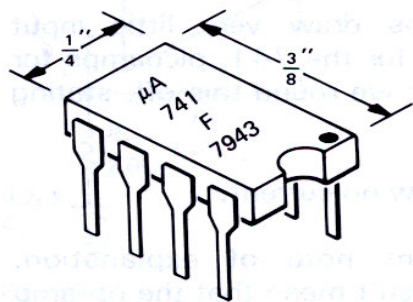
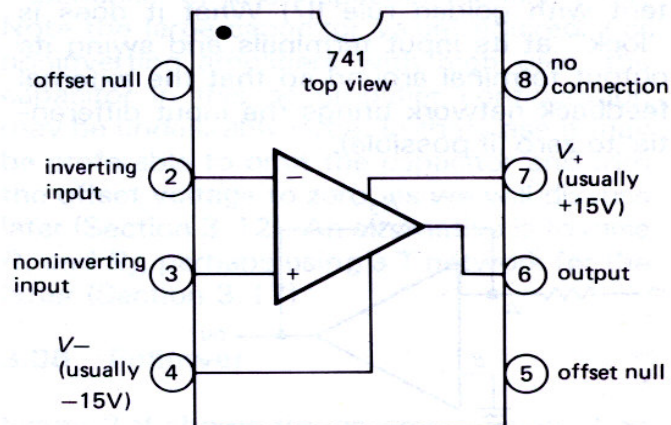


Figure 3.2
Mini-DIP integrated circuit.



Do not forget to give the OpAmp
BOTH positive and negative power.

Some OpAmp will operate also
Between 0 and +V

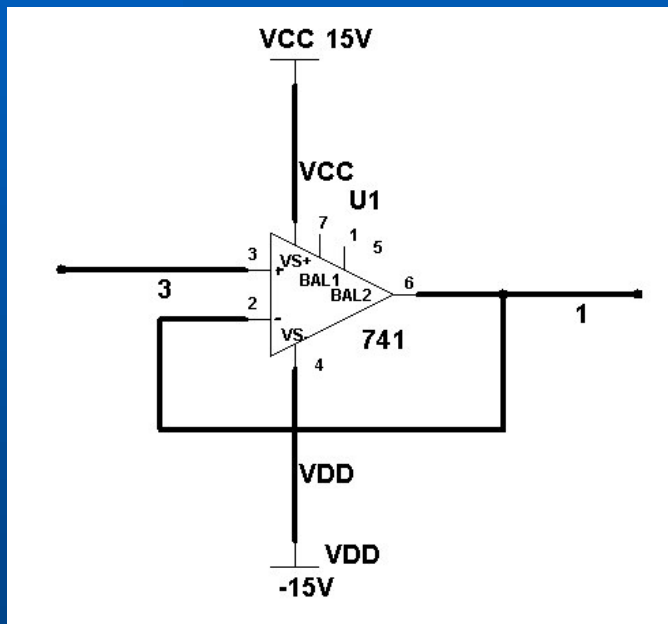
You can find a good collection of
OpAmps in

<http://www.analogdevices.com/>



The Voltage Follower

Negative Feedback :



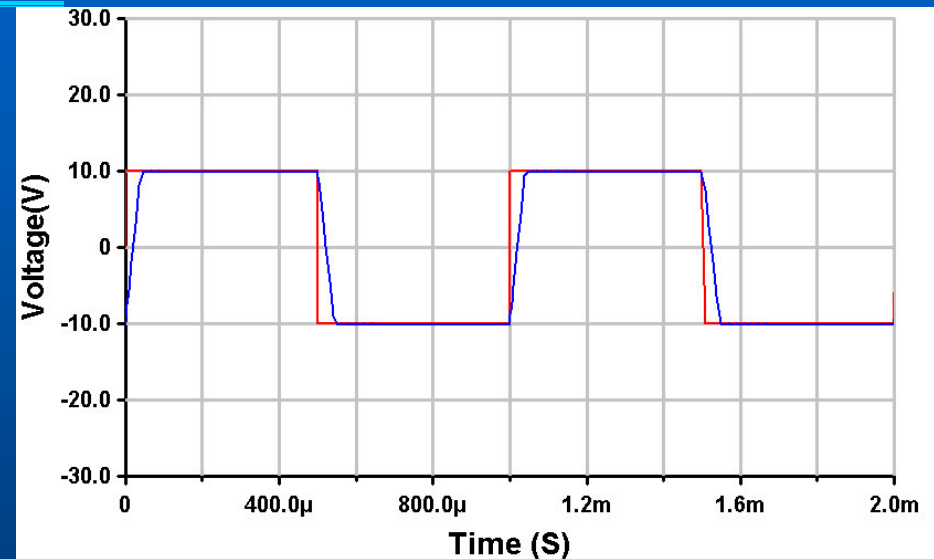
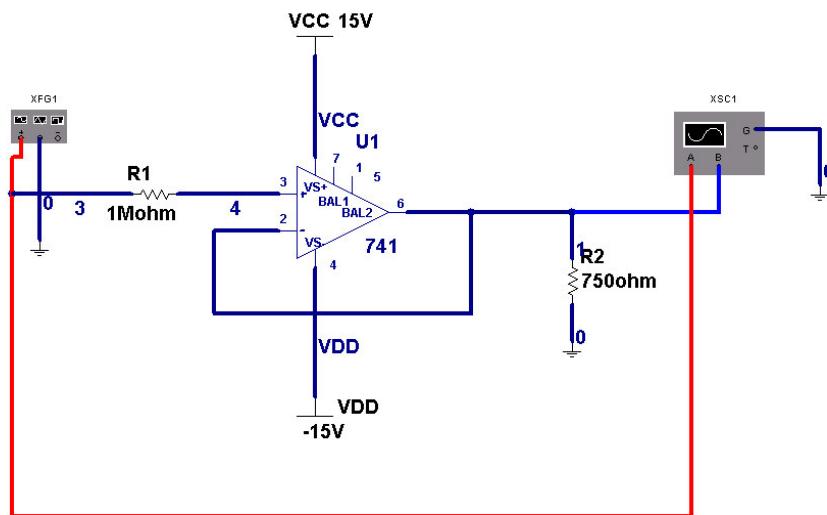
Useful for connecting a source that cannot drive much current to a load that needs current (to maintain a voltage level).

Alternatively: to connect a high impedance source to a low impedance load without voltage degradation.

Exercise I : Show that $V_{out} = V_{in}$



Exercise II : The Voltage Follower

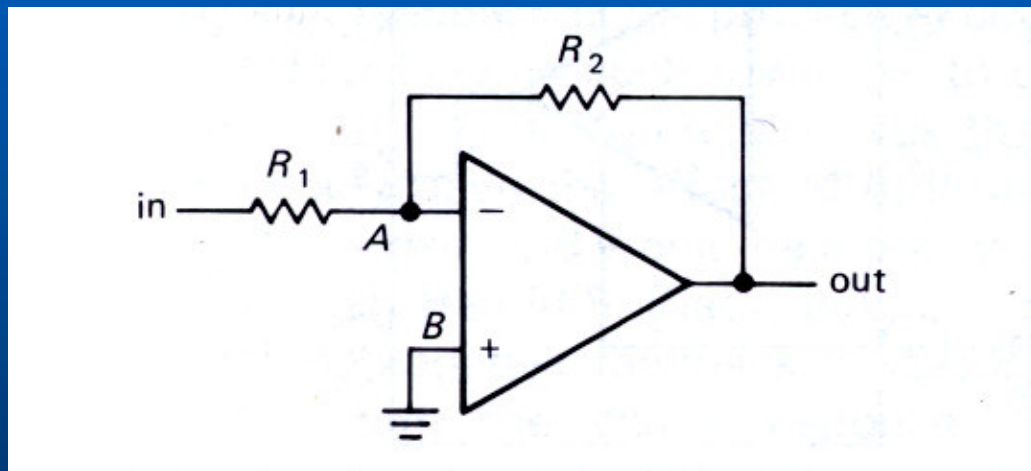


- 1Mohm 10 Volt Source can drive a 750 Ohm Load. Try doing this without an active device like an OpAmp or some transistor
- Notice that the OpAmp Output cannot rise instantly. The **Slew rate** (Volts/ μ sec) indicates how fast is the OpAmp.



The Inverting Amplifier I

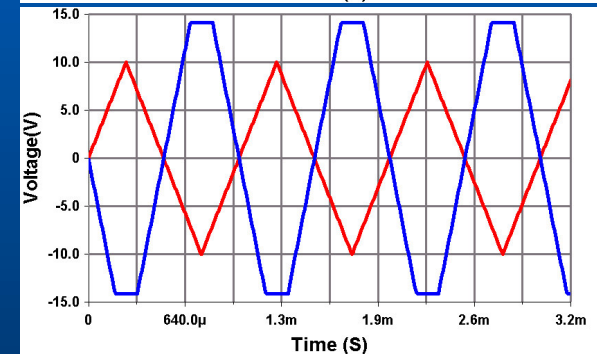
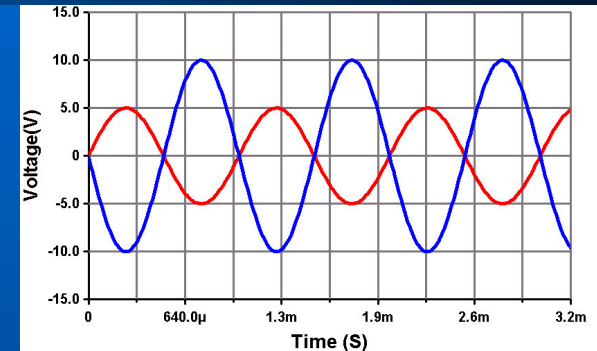
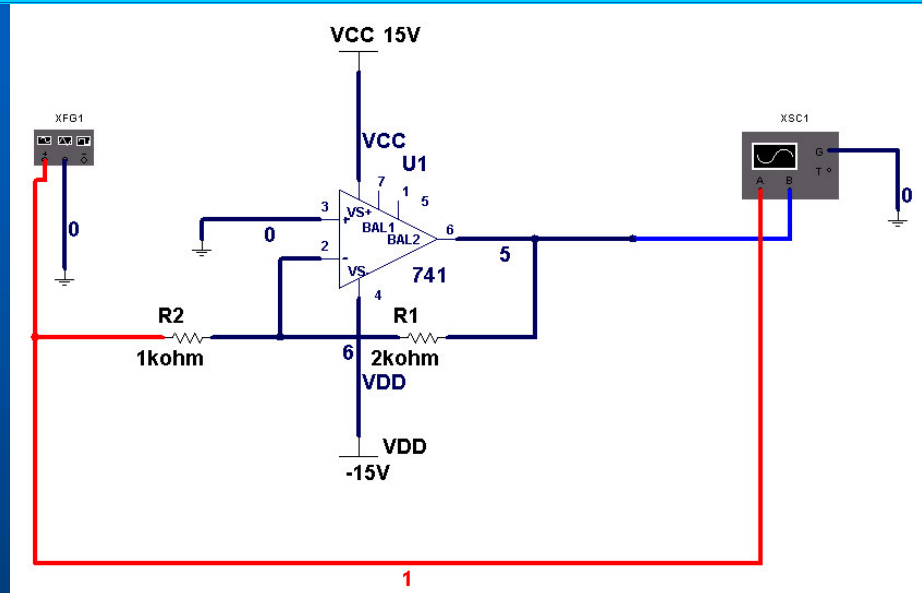
Negative Feedback :



Exercise III : Show that $V_{out} = - (R_2/R_1) * V_{in}$



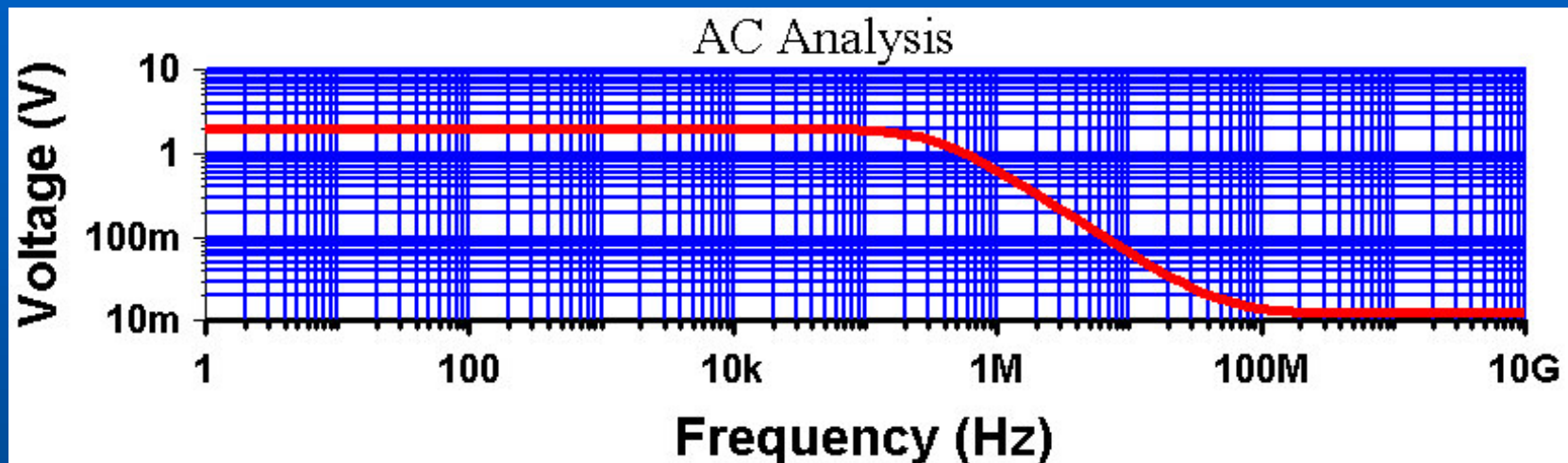
Exercise IIIa : The Inverting Amplifier



- The output is twice the input as expected
- The output cannot be larger than the upper rail voltage or smaller than the lower rail voltage. If that happens the output voltage clips and stays equal to the rail voltage



Exercise IIIb : Frequency Responce

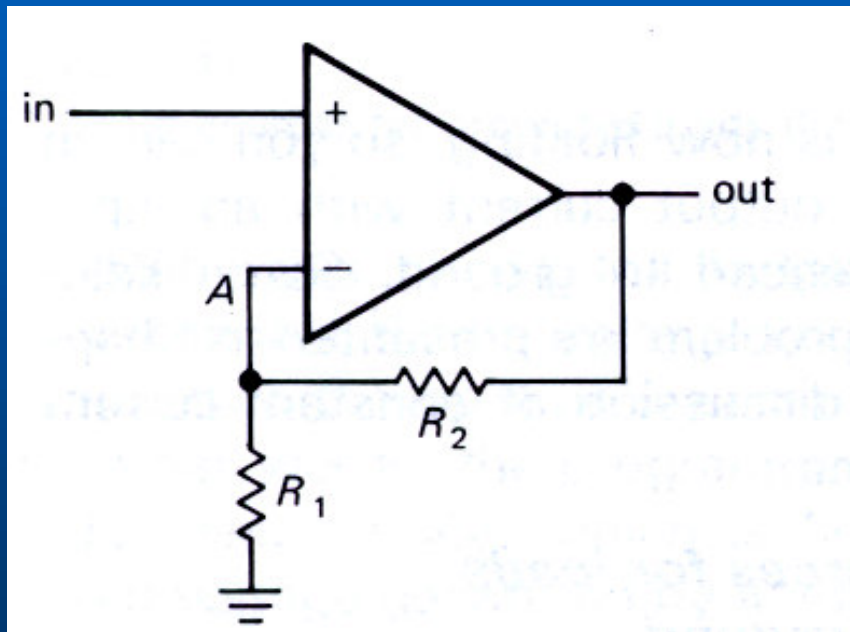


- Internal capacitance reduces the output voltage at high frequencies
- High Frequencies are suppressed !!!!
- The OpAmp Acts like a low pass filter !



Exercise IV: The Non-inverting Amplifier

Negative Feedback :

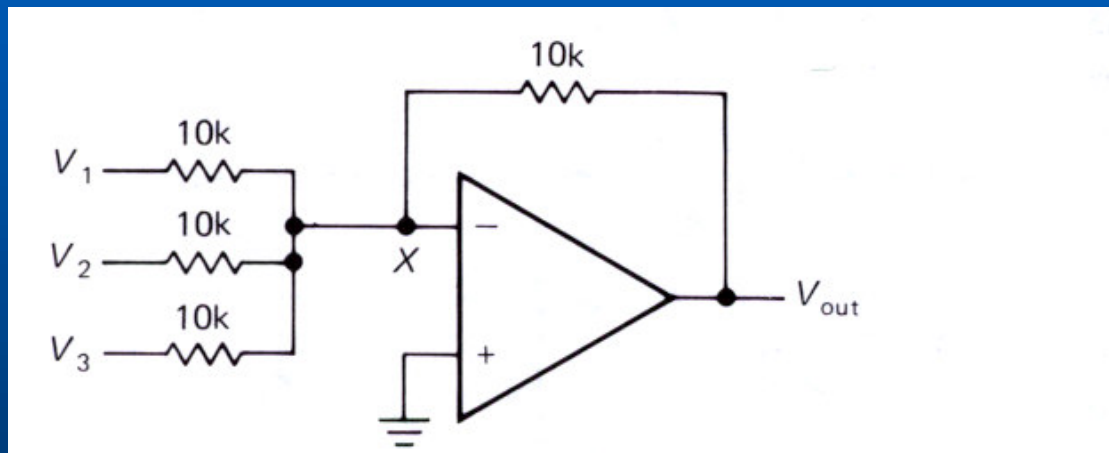


Exercise : Show that $V_{out} = (1 + R_2/R_1) * V_{in}$



Summing Junction with an OpAmp

Summing Amplifier with Negative Feedback :

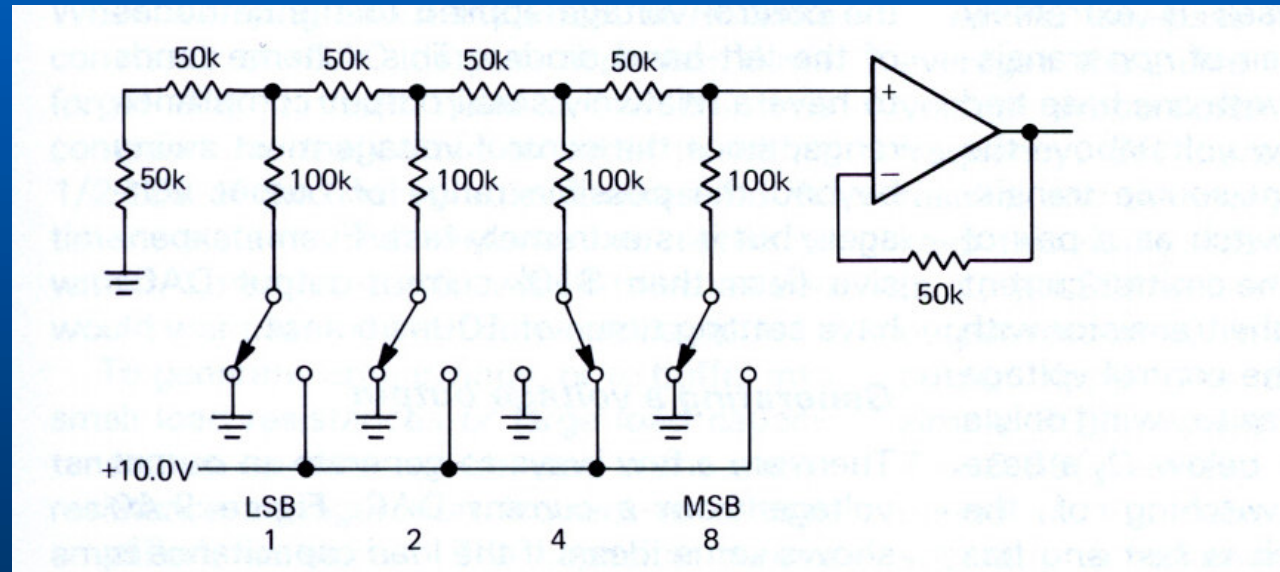


Exercise V : Show that $V_{out} = - (V1+V2+V3)$



Digital to Analog Converter (DAC)

Making a digital to analog converter :

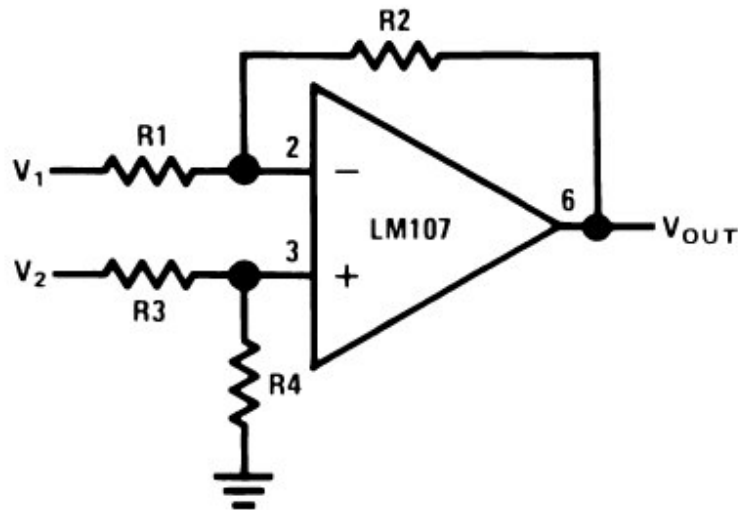


How does this work ???



Differential Amplifier

Difference Amplifier



00705703

$$V_{OUT} = \left(\frac{R1 + R2}{R3 + R4} \right) \frac{R4}{R1} V_2 - \frac{R2}{R1} V_1$$

For $R1 = R3$ and $R2 = R4$

$$V_{OUT} = \frac{R2}{R1} (V_2 - V_1)$$

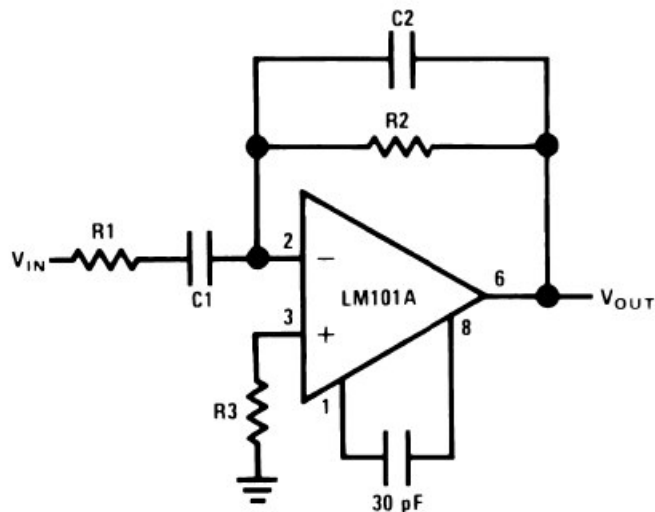
$$R1/R2 = R3/R4$$

- Common mode noise at the input cancels out
- Signals are usually transmitted at long distances differentially in order to cancel any pick-up noise.



Integrators and Differentiators

Practical Differentiator



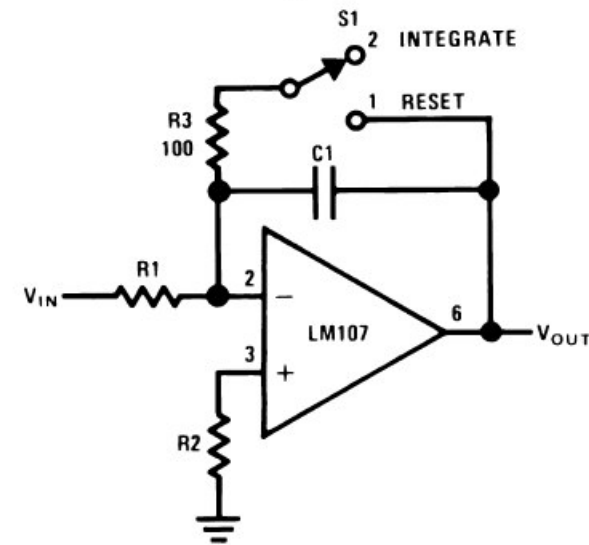
00705709

$$f_c = \frac{1}{2\pi R_2 C_1}$$

$$f_h = \frac{1}{2\pi R_1 C_1} = \frac{1}{2\pi R_2 C_2}$$

$$f_c \ll f_h \ll f_{\text{unity gain}}$$

Integrator



00705710

$$V_{OUT} = -\frac{1}{R_1 C_1} \int_{t_1}^{t_2} V_{IN} dt$$

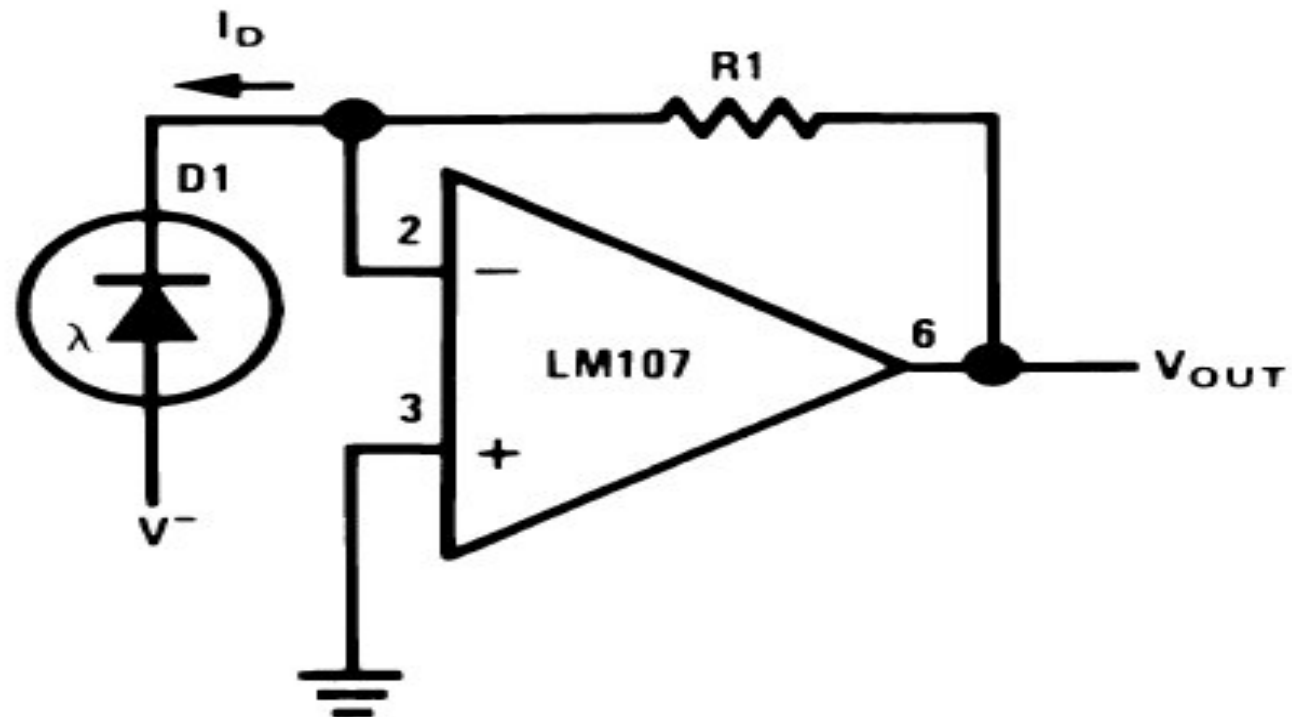
$$f_c = \frac{1}{2\pi R_1 C_1}$$

$$R_1 = R_2$$



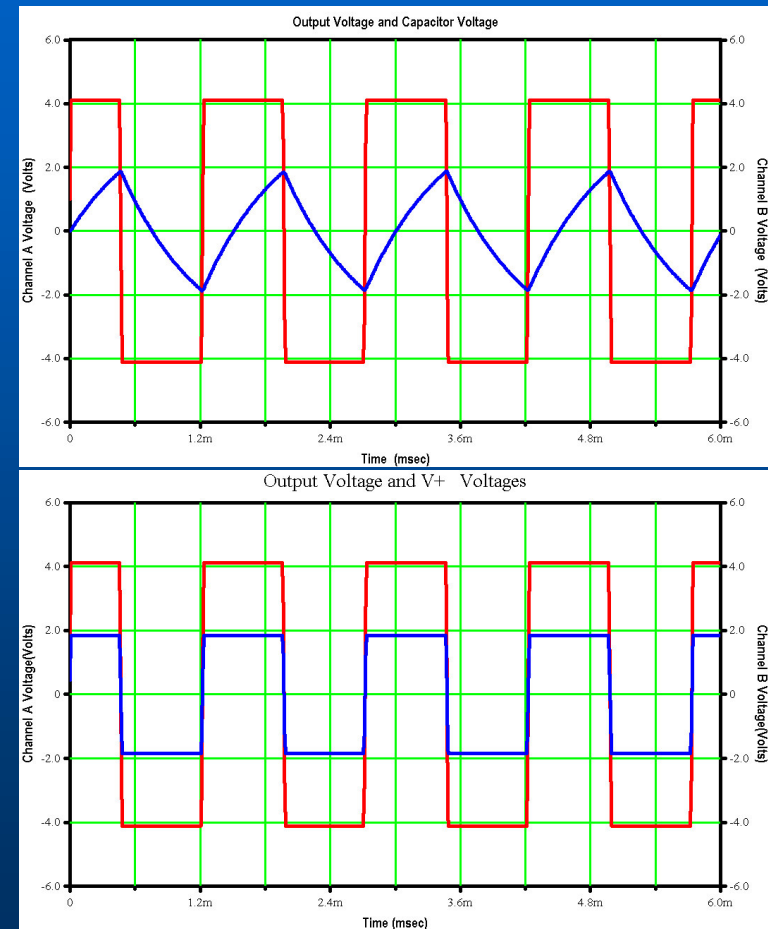
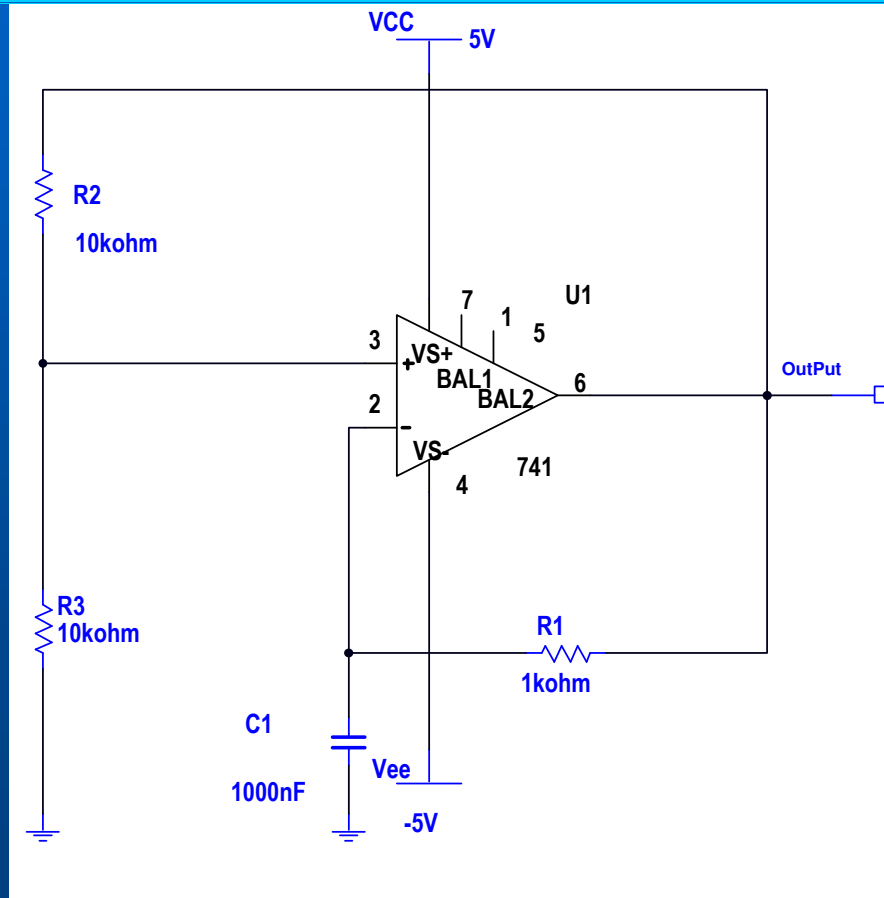
Current to Voltage Converters

Photodiode Amplifier



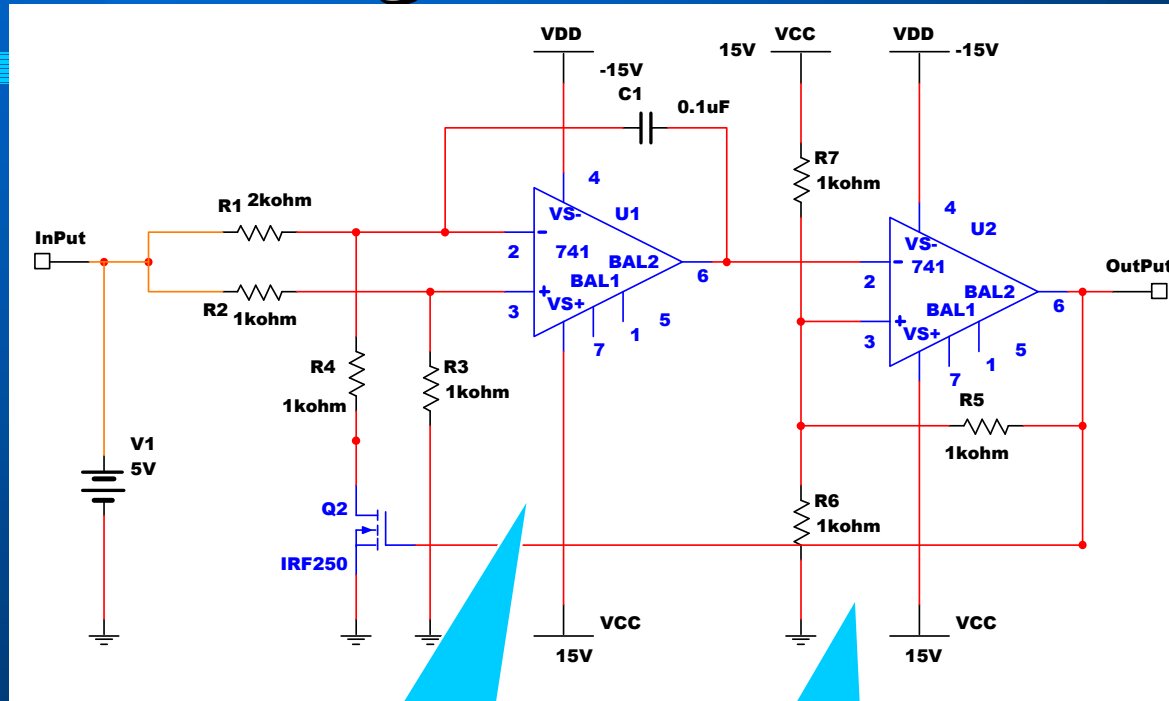


Positive Feedback- Oscillators





Voltage Controlled Oscillator I



OpAmp in Negative Feedback; Capacitor is charging at constant current.

Schmitt Trigger

2/19/2004

Costas Foudas, Imperial College,
Rm: 508, x47590

$$R_1 = 2R$$

$$I_1 = \frac{V_{IN}}{4R}$$

$$I_C = \frac{V_{IN}}{4R}$$

$$I_4 = \frac{V_{IN}}{2R}$$

$$\therefore \frac{dV_{OUT}}{dt} = \frac{V_{IN}}{4RC} \quad (\alpha)$$

17.6.03

$$R_1 = 2R$$

$$I_1 = \frac{V_{IN}}{4R}$$

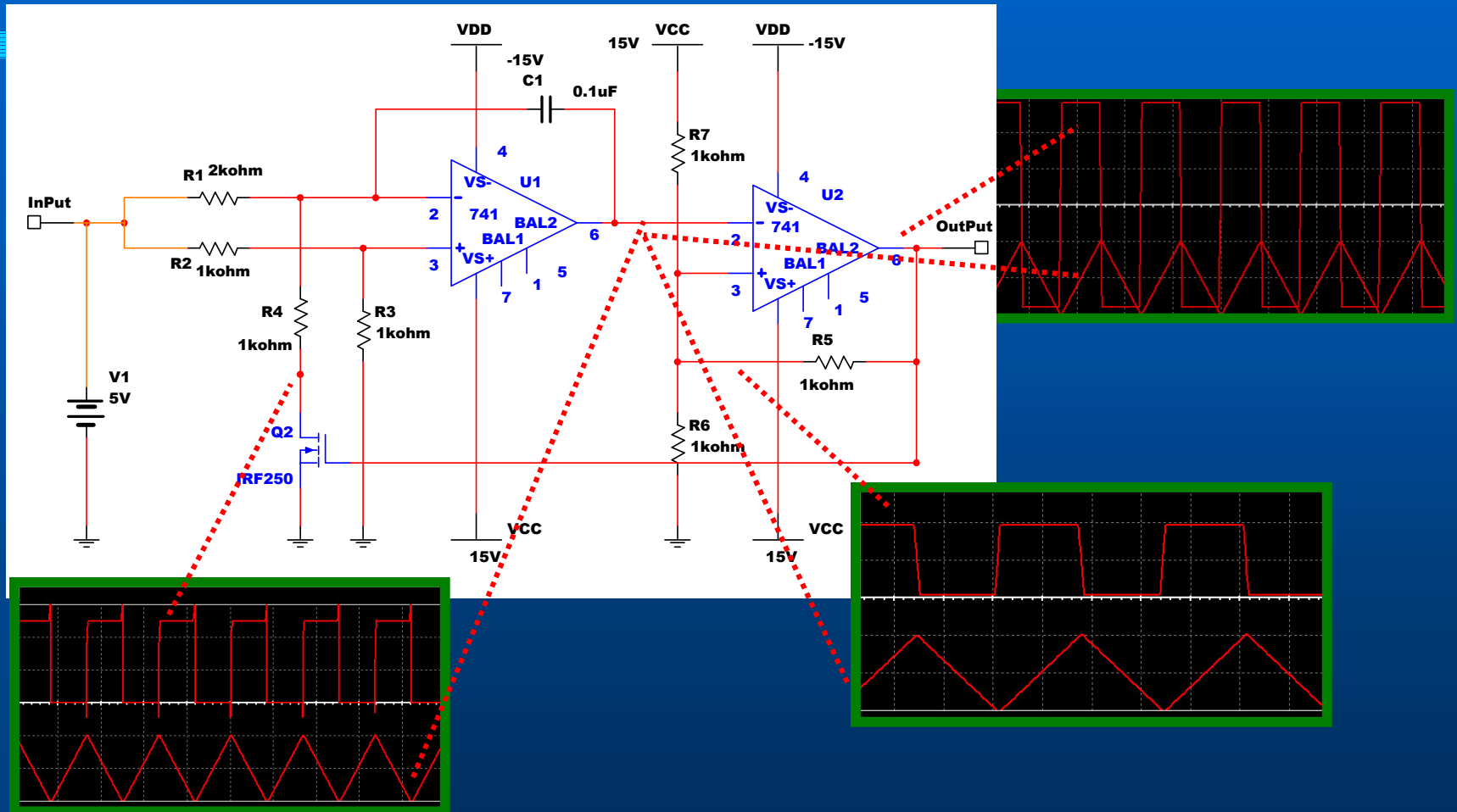
$$I_C = \frac{V_{IN}}{4R}$$

$$\therefore \frac{dV_{OUT}}{dt} = \frac{-V_{IN}}{4RC} \quad (b)$$

17.6.03

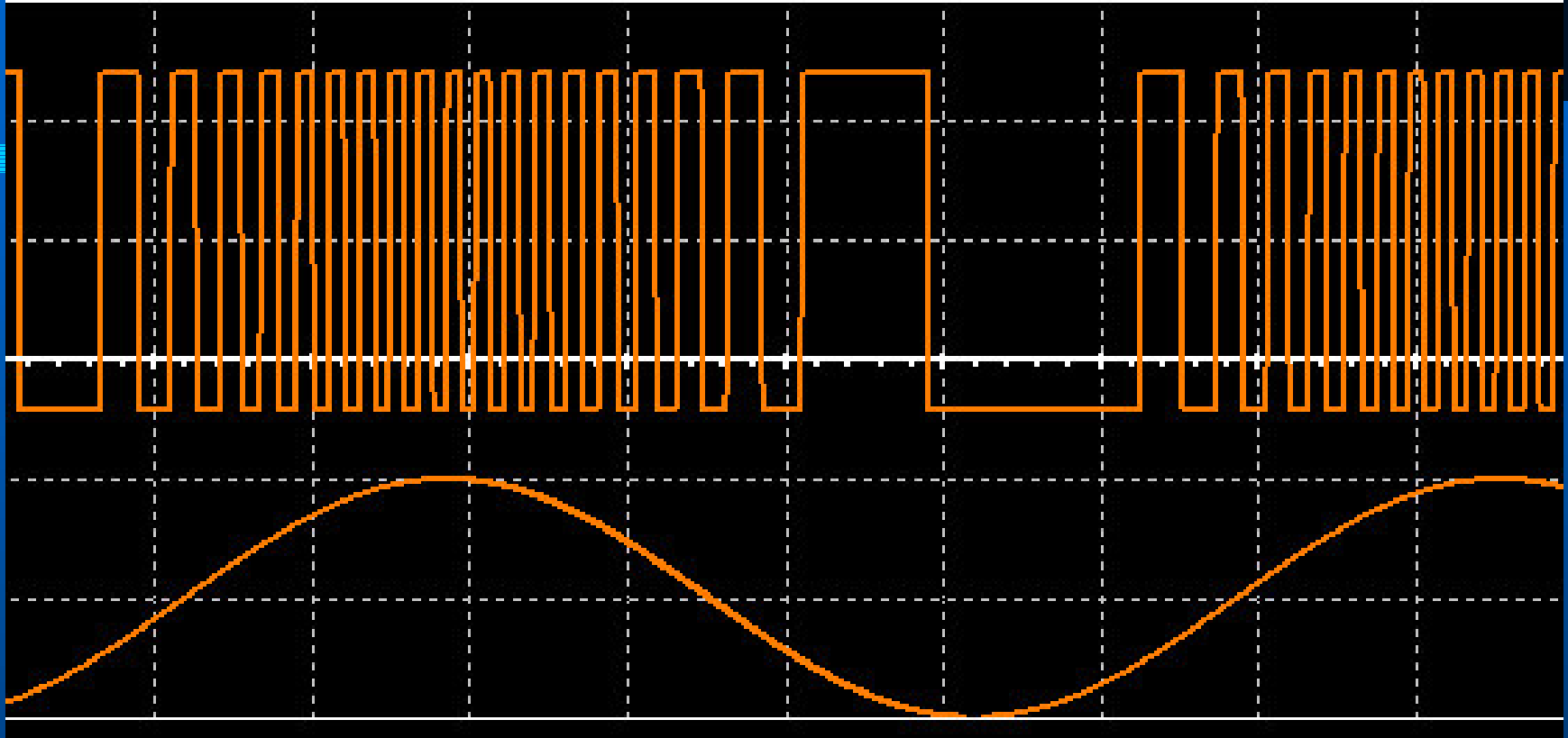


Voltage Controlled Oscillator II





Voltage Controlled Oscillator III



- Lower trace is the input voltage
- Upper trace is the VCO modulated output