

**Measurement of the Jet Cross Section Ratio:  
 $\sigma(pp \rightarrow n \text{ jets} + X, n \geq 3) / \sigma(pp \rightarrow n \text{ jets} + X, n \geq 2)$**

**P.Kokkas, I.Papadopoulos, C.Fountas, I.Evangelou,  
N.Manthos**

University of Ioannina, Greece

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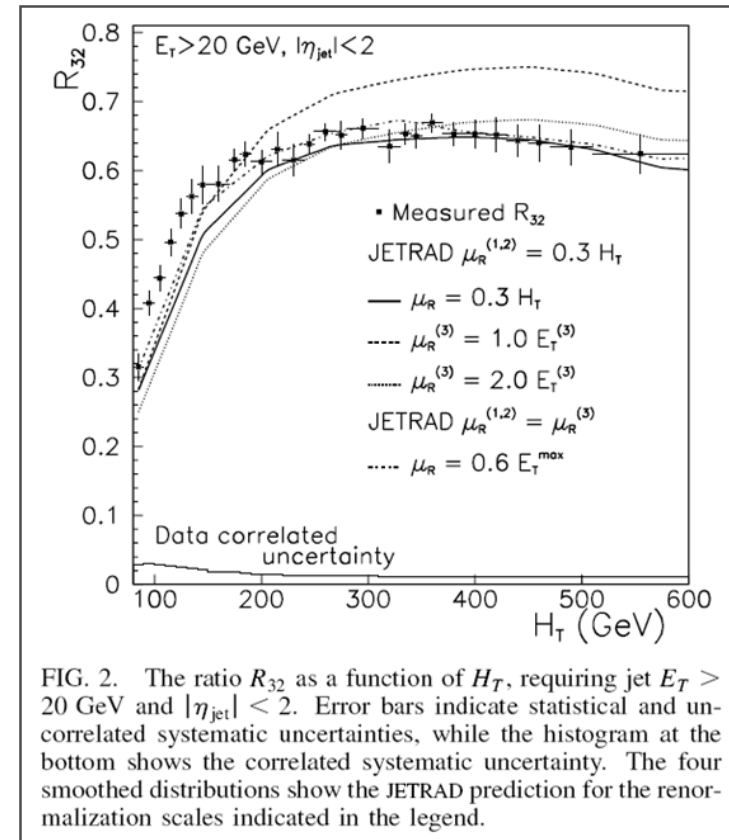
- Measurement of the Jet Cross Section Ratio:

$$R_{32} = \frac{\sigma_3}{\sigma_2} = \frac{\sigma(pp \rightarrow n \text{ jets} + X; n \geq 3)}{\sigma(pp \rightarrow n \text{ jets} + X; n \geq 2)}$$

- Motivation
- Analysis plan
- Software tools and MC Data used.
- Define the measured cross section at hadron level.
  - Pseudorapidity studies
  - $p_T$  resolution studies
 } Define eta and  $p_T$  cut
- The Ratio R32
  - $H_T$  resolution studies
  - R32 at  $10 \text{ pb}^{-1}$
- Trigger studies
  - Combine Single Jet HLTs
- Summary & plans

- Motivation: Measure the ratio  $R_{32}$  vs  $H_T$  and compare with pQCD predictions with goals:
  - Extend the phase space of the measurements in a regime that goes above the Tevatron.
  - Comparisons of the measured ratio at hadron level with the predictions of pQCD (parton level), after accounting for hadronisation corrections uncertainty will measure the QCD coupling constant  $\alpha_s$  at a scale never measured before.
  - Demonstrate that we understand QCD at LHC energies and therefore we understand the backgrounds we face for a number of exotic physics channels.
- We measure the ratio because we expect that:
  - It will be less sensitive than absolute cross section measurements to a number of experimental systematics such as the jet energy scale or for example the uncertainty in the luminosity measurement.
  - The pQCD predictions for the ratio may be less sensitive to uncertainties due to the renormalization and factorization scales which hamper the absolute cross section predictions particularly at low Jet- $P_T$  scales.

D0 PRL 86, p1955 (2001)



**Jet finder radius 0.7**

**We should be able to extend this up to an  $H_T \sim 1.5$  TeV**

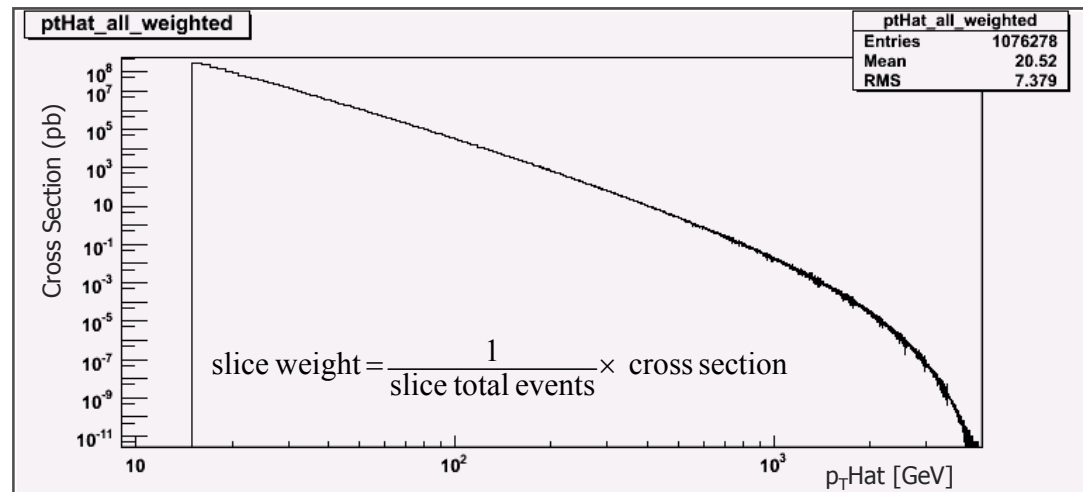
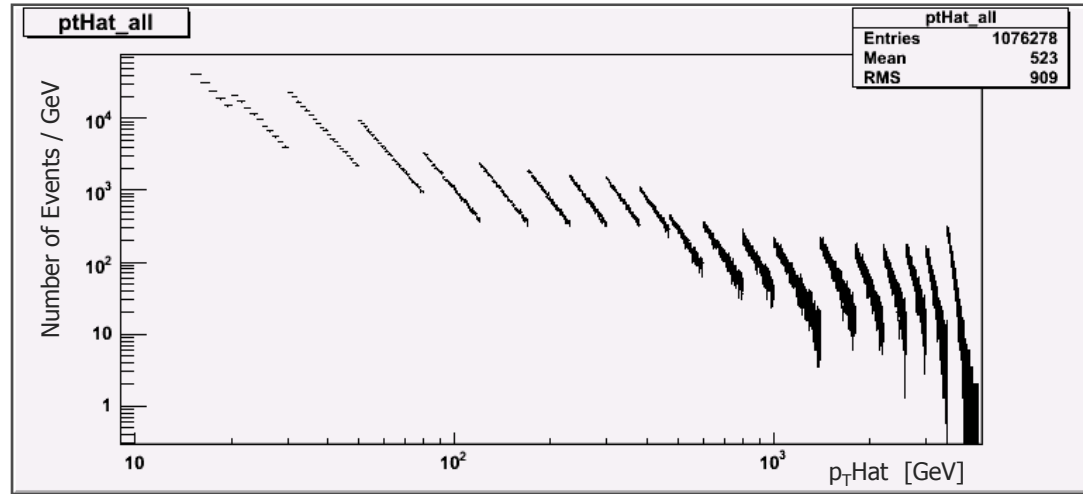
**( $\sigma(2J) = 1$  pb @  $Pt\text{-hat} = 700$  GeV)**

- Definition of the measured cross section at hadron level  $\sigma(p_T \geq X; |\eta| \leq Y)$ 
  - Pseudorapidity studies
  - $p_T$  resolution studies } Define the 2 Jet and 3 Jet kinematic cuts.
- Jet finder studies sisCone7, sisCone5.
- Trigger studies of available HLT's, to select the right scheme
  - Compute trigger efficiencies.
  - Combine triggers to have R32.
- Estimate the dominant systematics (Jet energy scale...)
  - Use the known resolutions and information on systematic shifts in  $p_T$  to estimate:
    - The Systematics of the 2 jet and 3 jet cross sections.
    - Demonstrate the level off cancellation of these errors on the measured  $R_{32}$
- Estimate the magnitude of hadronisation correction
  - Need to use several hadronisation models.
- Compute the theoretical rate with NLO programs and estimate the uncertainty due to  $\mu_R, \mu_F$

Analysis done using version CMSSW\_2\_2\_6

- QCD DiJet Summer 08
- Jet Algorithm: sisCone7
- Jet Energy Corrections: L2L3
- Bin  $p_T$ -Hat: 0-15 GeV not used

	$P_T$ -Hat bin [GeV]	Number of events	Cross section [pb]	Equivalent Luminosity [ $\text{pb}^{-1}$ ]
1	0-15	103860	51562800000	2.01E-06
2	15-20	129600	949441000	1.37E-04
3	20-30	101880	400982000	2.54E-04
4	30-50	169200	94702500	1.79E-03
5	50-80	103545	12195900	8.49E-03
6	80-120	51300	1617240	3.17E-02
7	120-170	50085	255987	0.19
8	170-230	51840	48325	1.07
9	230-300	54000	10623.2	5.08
10	300-380	60048	2634.94	22.79
11	380-470	51840	722.099	71.79
12	470-600	27648	240.983	114.73
13	600-800	28620	62.4923	457.98
14	800-1000	20880	9.42062	2.22E03
15	1000-1400	24640	2.34357	1.05E04
16	1400-1800	27744	0.156855	1.77E05
17	1800-2200	22848	0.013811	1.65E06
18	2200-2600	22560	0.00129608	1.74E07
19	2600-3000	22800	0.00011404	2.00E08
20	3000-3500	20880	0.0000084318	2.48E09
21	3500-inf	34320	0.00000018146	1.89E11



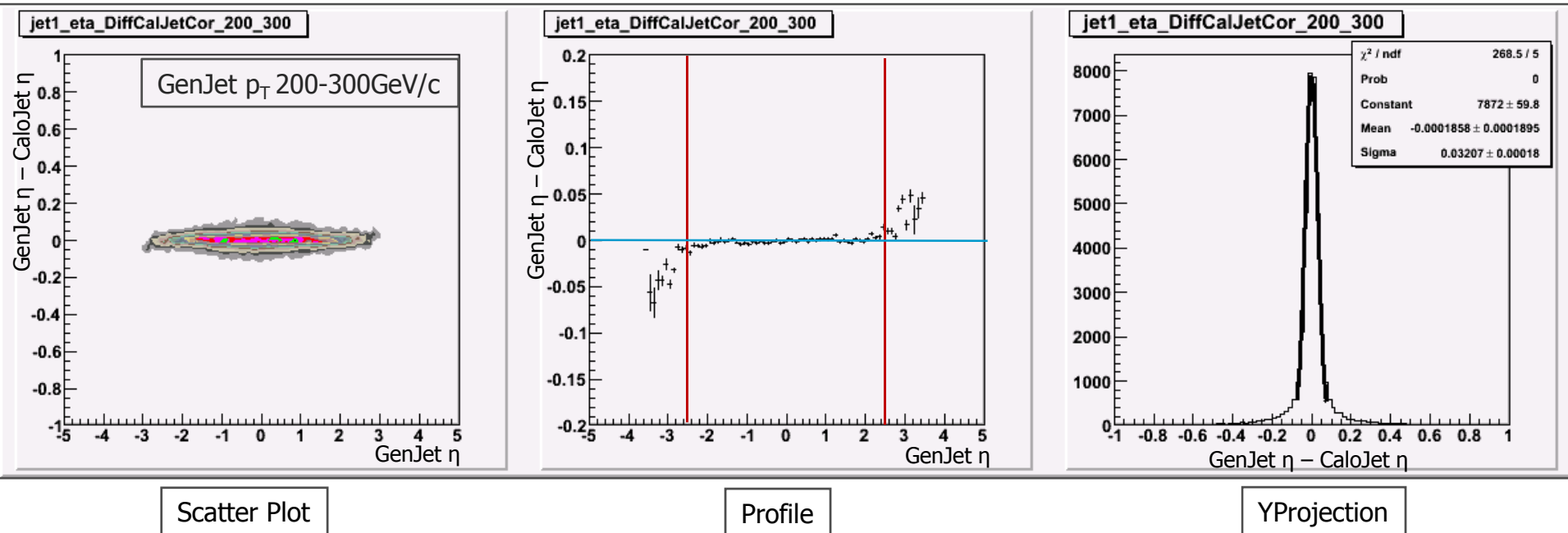
# Pseudorapidity studies

To define the measured cross section at hadron level:

- Define a cut on eta of Jets

Plot the difference: (GenJet  $\eta$  - CaloJet  $\eta$ ) vs (GenJet  $\eta$ )

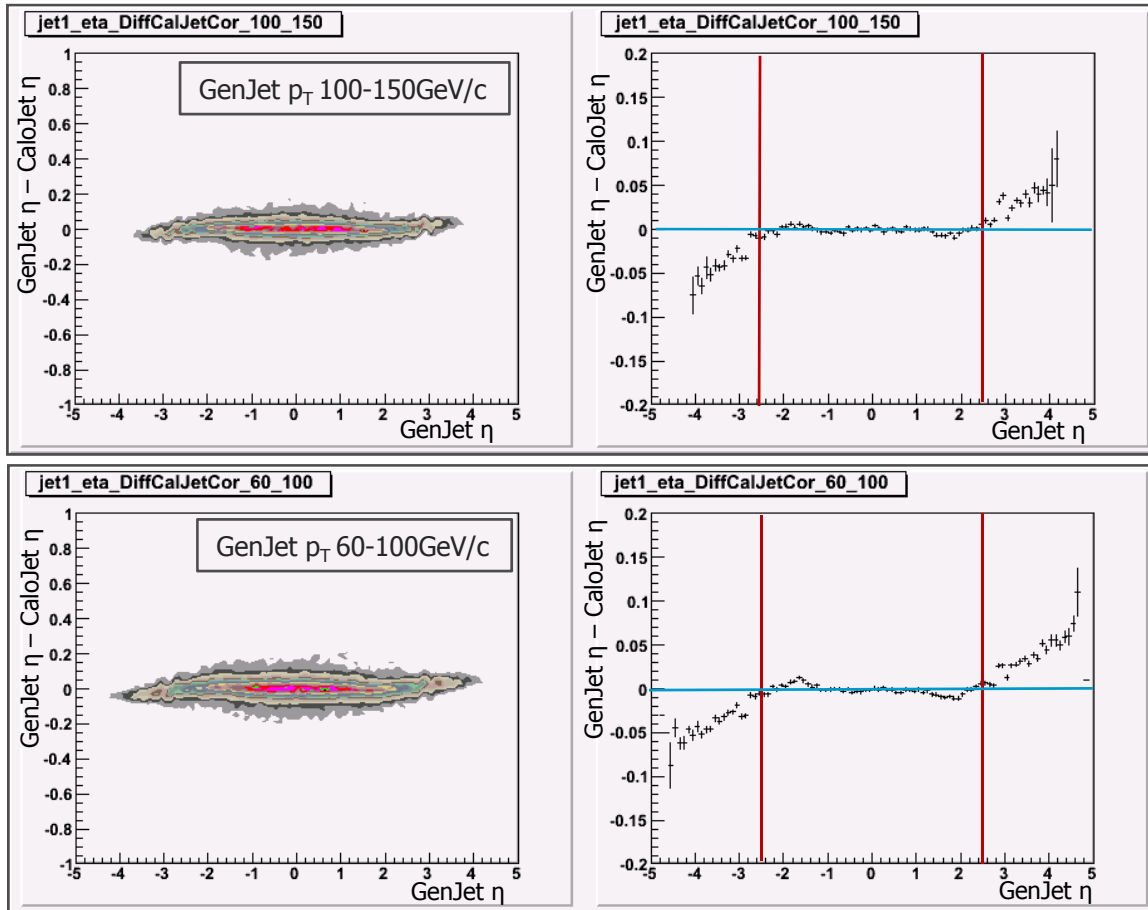
- For various bins of GenJet  $p_T$
- Jet Algorithm sisCone7



Scatter Plot

Profile

YProjection



Distributions are flat for  $|\eta| \leq 2.5$  (Barrel + EndCap regions)

Reasonable cut on eta of Jets:  $|\eta| \leq 2.5$

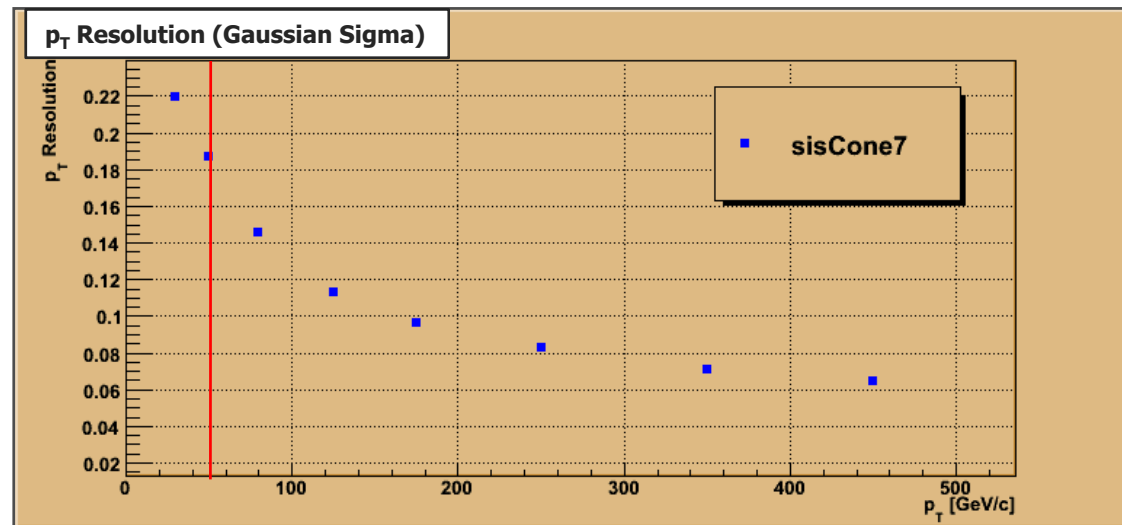
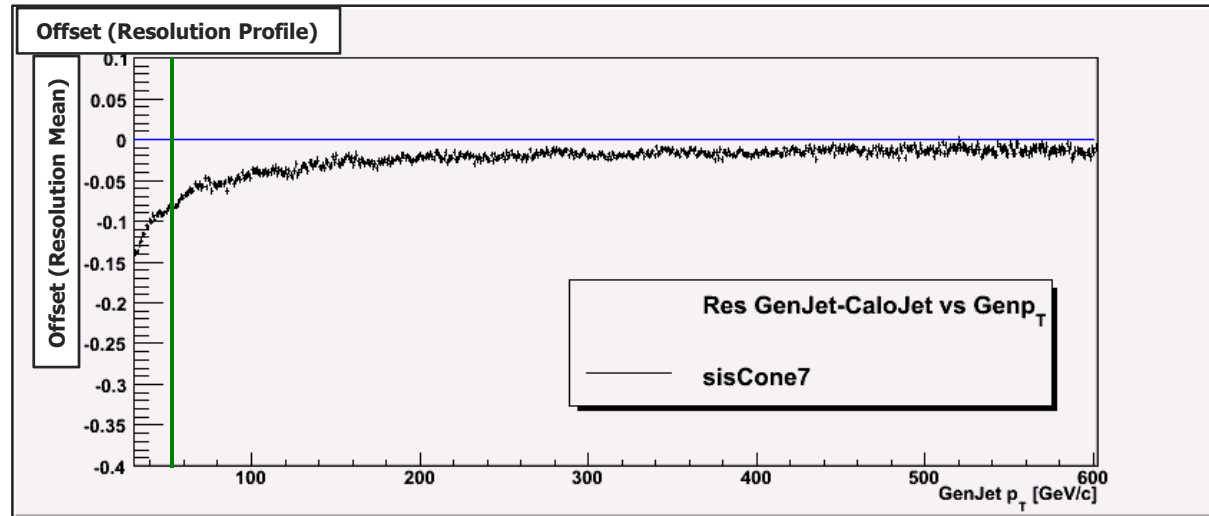
Jet  $p_T$  resolution studies at  
GenJet-CaloJet level:

$$p_T \text{ Resolution} = \frac{\text{GenJet } p_T - \text{CaloJet } p_T}{\text{GenJet } p_T}$$

At  $p_T \approx 50$  GeV/c mean value  
is shifted by 8%  
(CaloJet is overestimated)

Around 50 GeV/c  $p_T$  resolution  
 $\sim 18\%$

For our analysis we apply a cut  
on Jet  $p_T \geq 50$  GeV/c



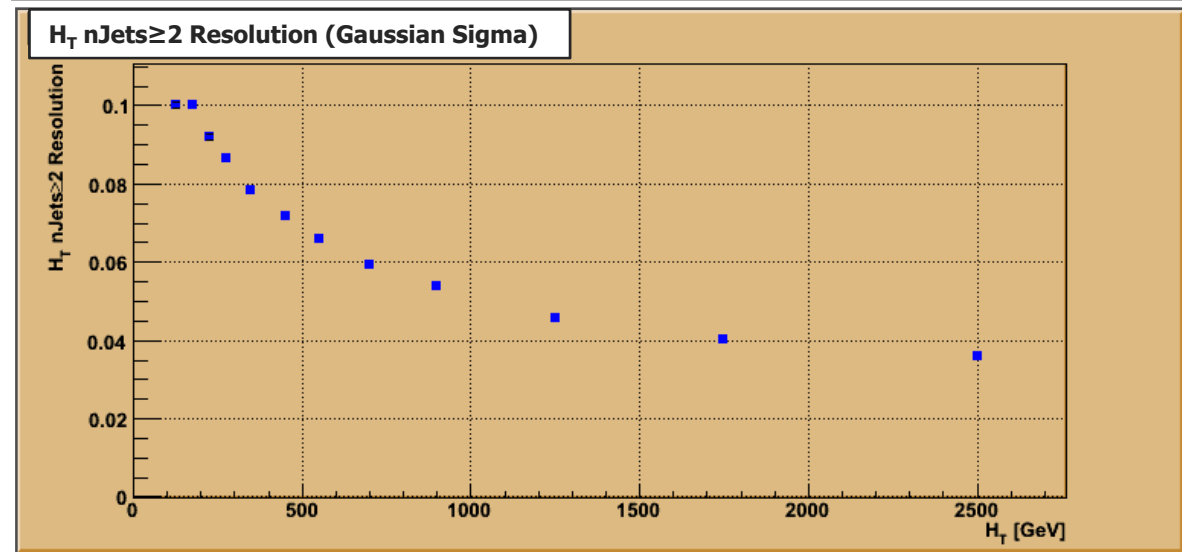
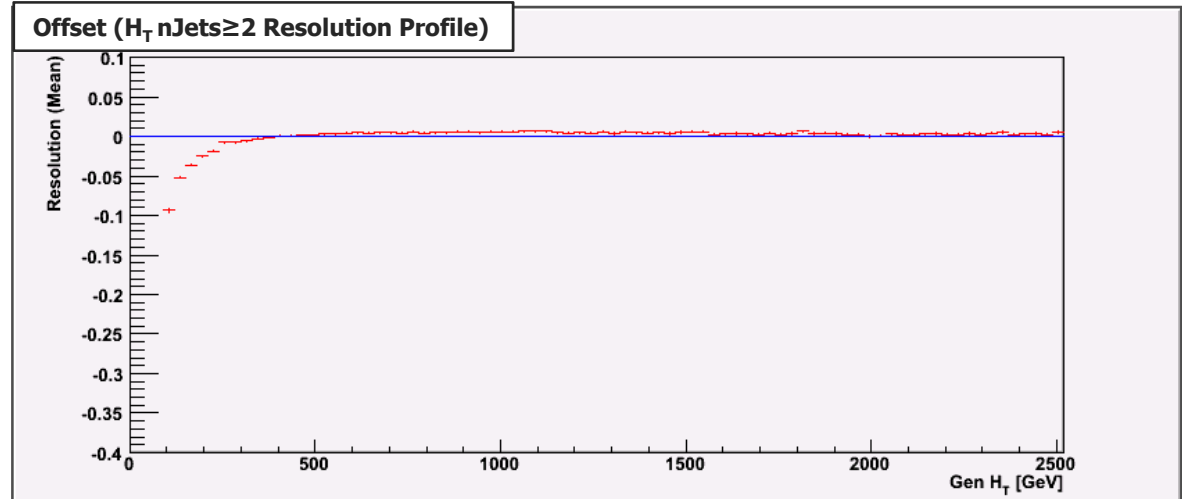


$$H_T \text{ Resolution} = \frac{\text{Gen } H_T(n\text{Jets} \geq 2) - \text{Calo } H_T(n\text{Jets} \geq 2)}{\text{Gen } H_T(n\text{Jets} \geq 2)}$$

Important study to define the binning for the ratio R32.

Below 400 GeV mean value is shifted to negative values (Calo H<sub>T</sub> is overestimated)

Around 200 GeV H<sub>T</sub> (nJets ≥ 2) resolution ~10%

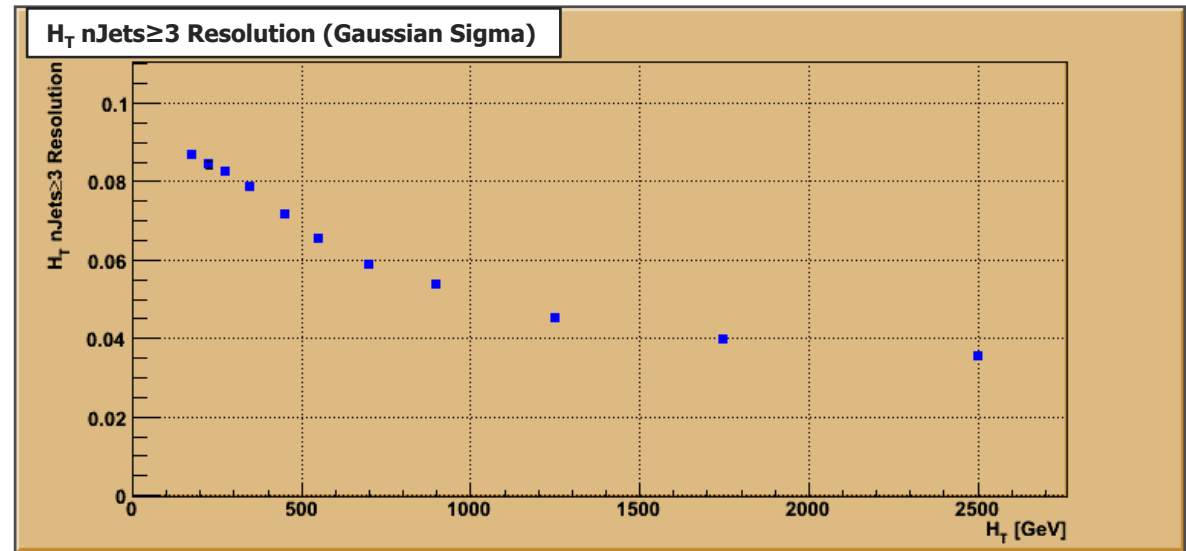
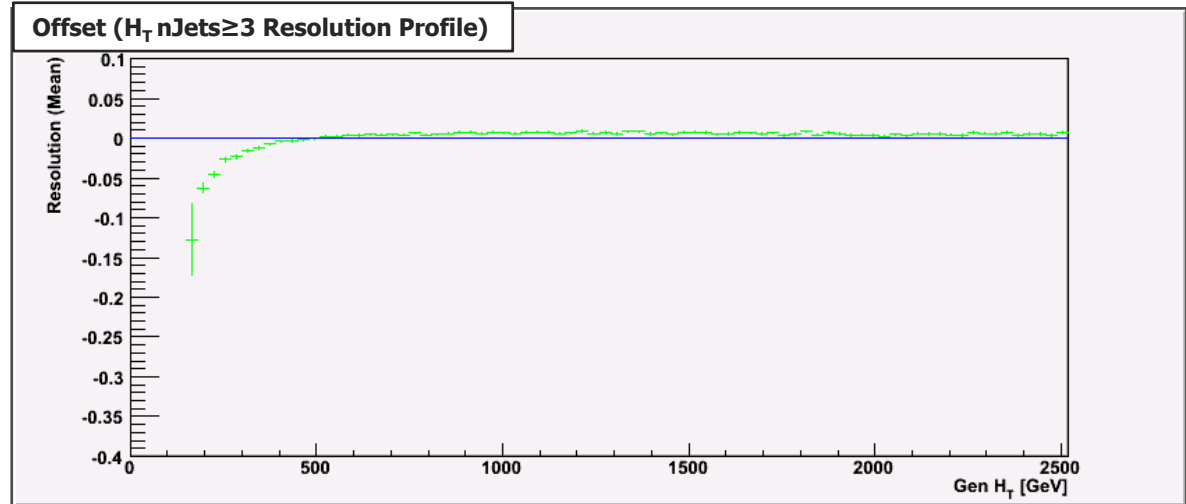


# H<sub>T</sub> resolution studies

$$H_T \text{ Resolution} = \frac{\text{Gen } H_T (n\text{Jets} \geq 3) - \text{Calo } H_T (n\text{Jets} \geq 3)}{\text{Gen } H_T (n\text{Jets} \geq 3)}$$

Below 400 GeV mean value is shifted to negative values (Calo H<sub>T</sub> is overestimated)

Around 200 GeV H<sub>T</sub> (nJets ≥ 3) resolution ~9%

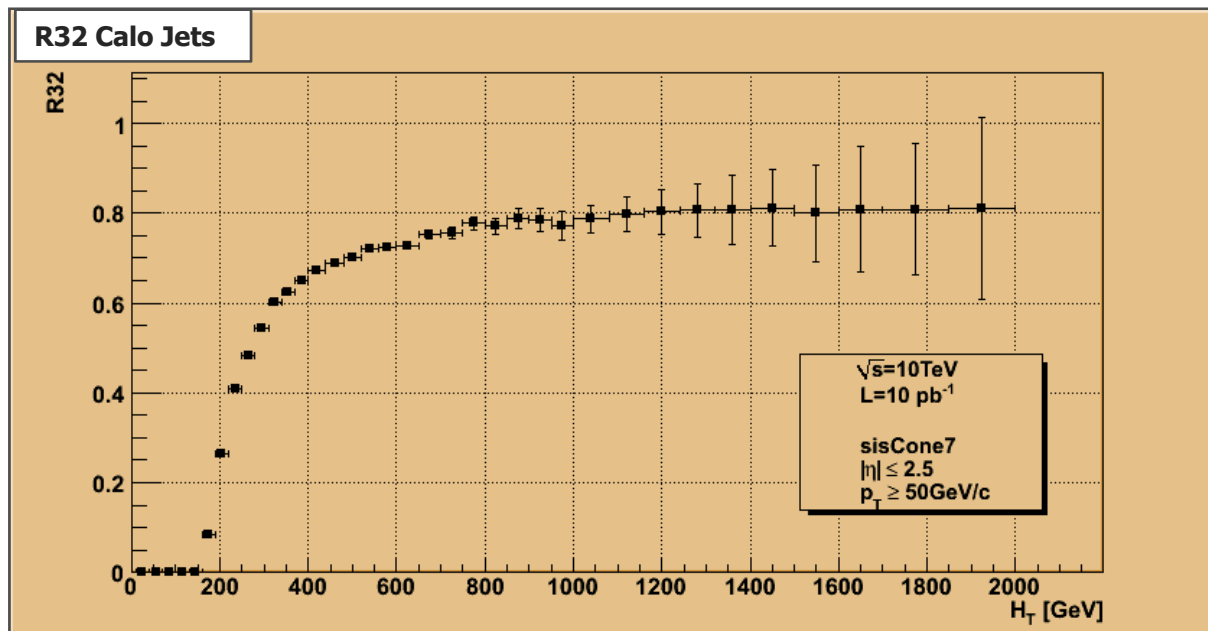
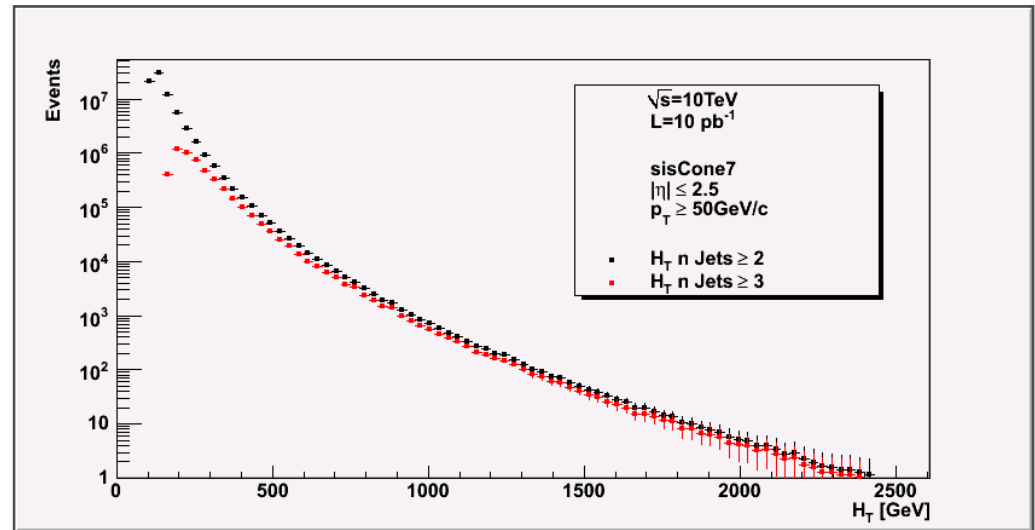


## Evaluation of 3Jet/2Jet Ratio vs $H_T$

$$R_{32} = \frac{\sigma_3}{\sigma_2} = \frac{\sigma(pp \rightarrow n \text{ jets} + X; n \geq 3)}{\sigma(pp \rightarrow n \text{ jets} + X; n \geq 2)}$$

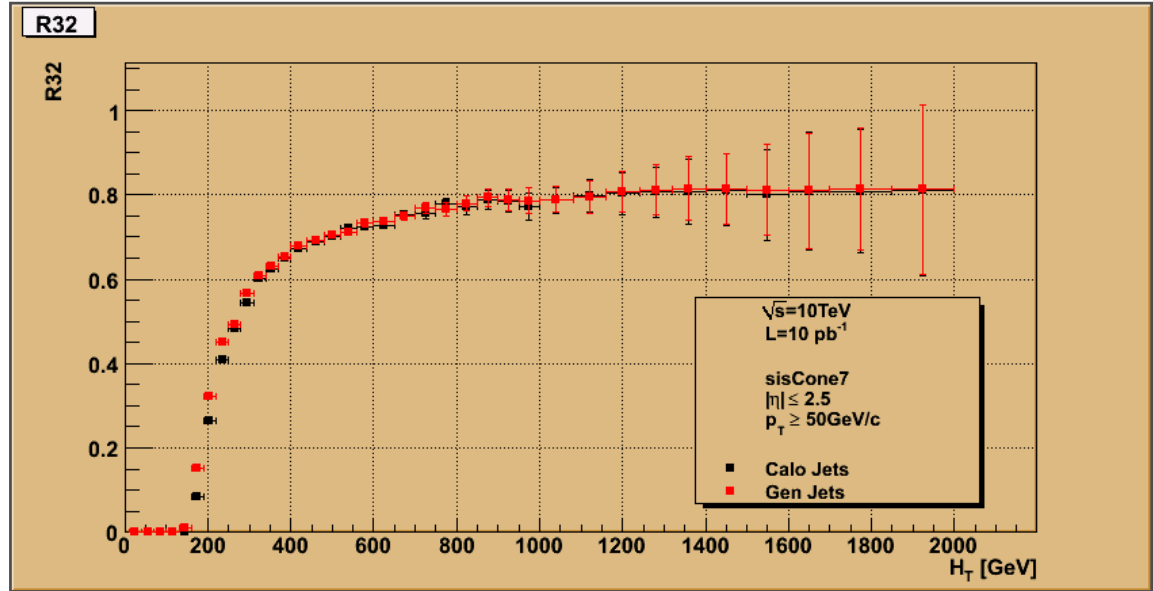
## Event Selection cuts:

$|\eta| < 2.5$  and Jet  $p_T \geq 50$  GeV/c

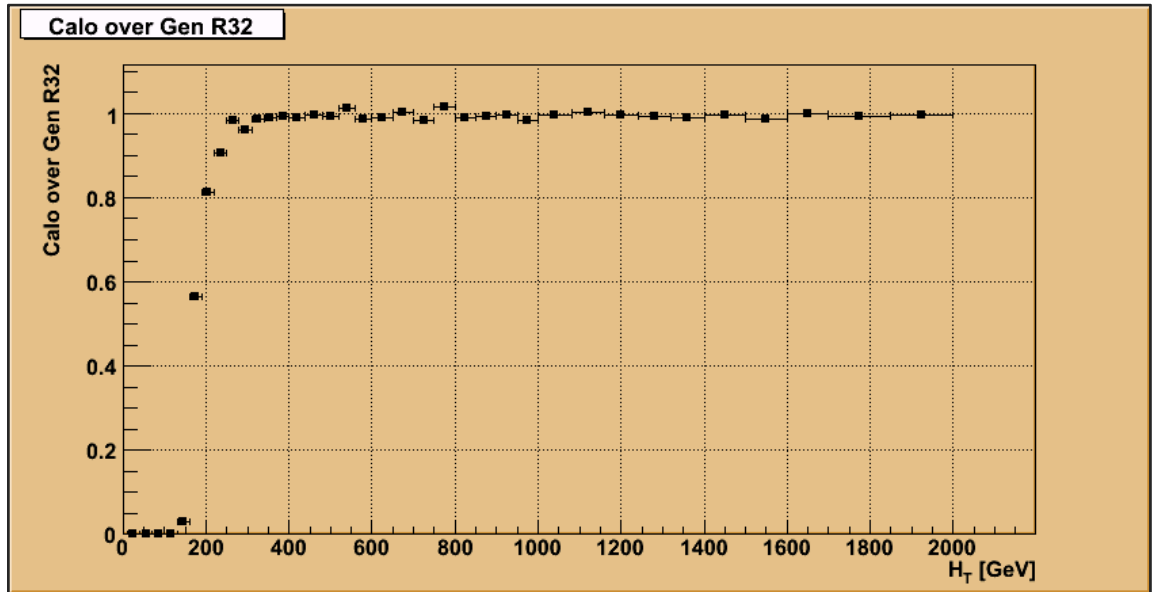


# Ratio 32: Calo over Gen

The shift of jet  $p_T$  mean value taken into account when plotting the ratio using GenJets



Above 300 GeV practically no detector effect.

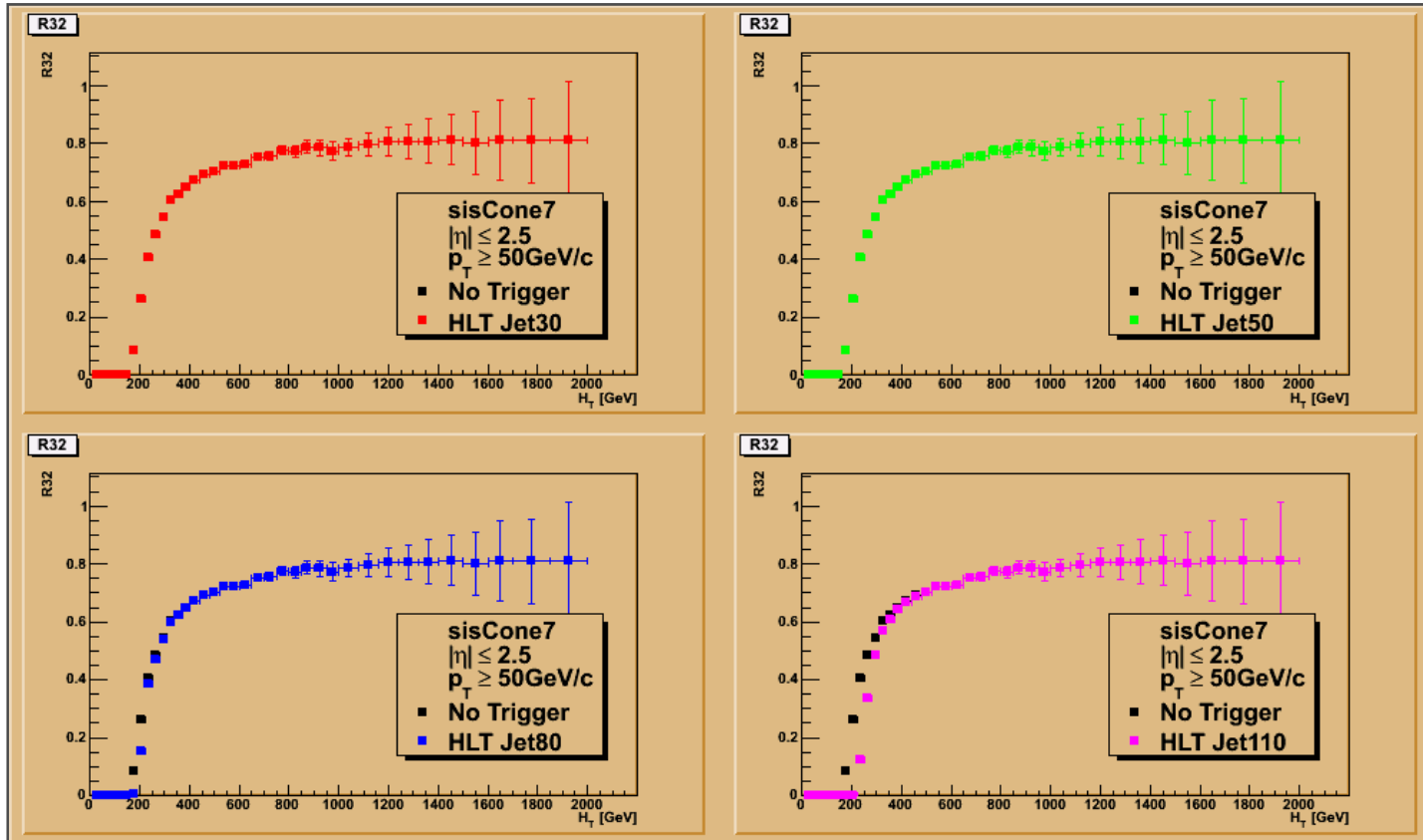


# Trigger study: Single Jet Triggers

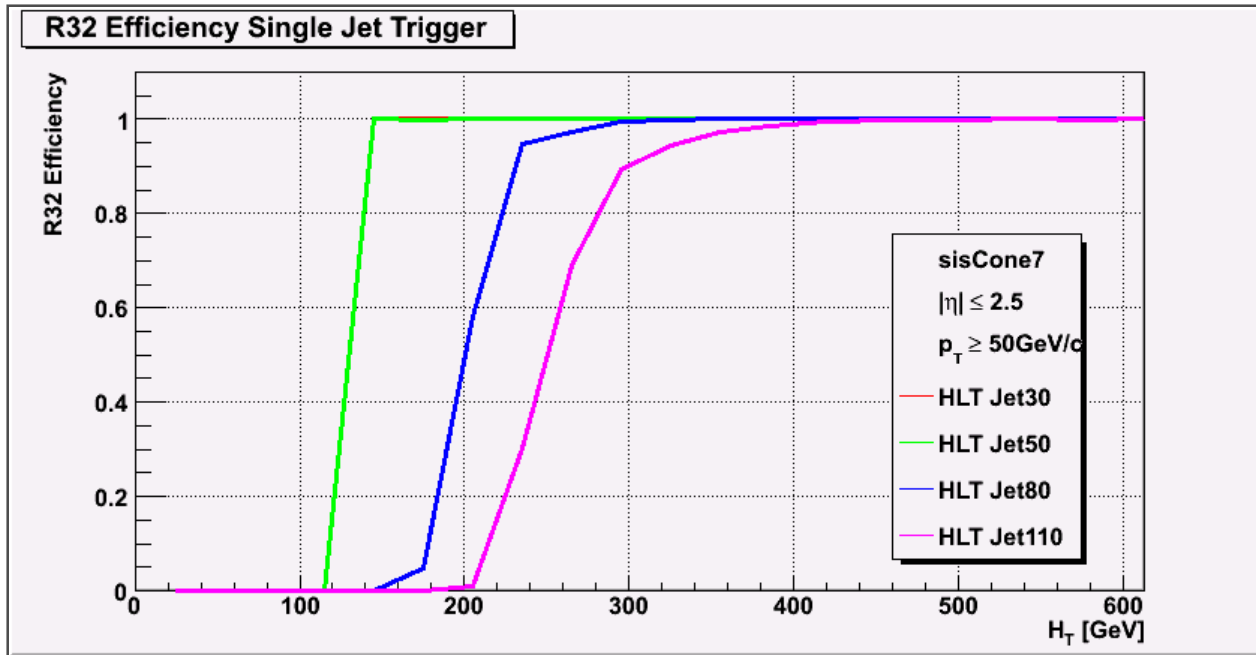
## Study of Single Jet HLTs.

- Plot R32 after applying the HLTs
- Evaluate trigger efficiency for ratio  $R_{32}$

Path name	L1 Trigger
HLT Jet30	L1_SingleJet15
HLT Jet50	L1_SingleJet30
HLT Jet80	L1_SingleJet50
HLT Jet110	L1_SingleJet70



# Trigger study: Single Jet Triggers

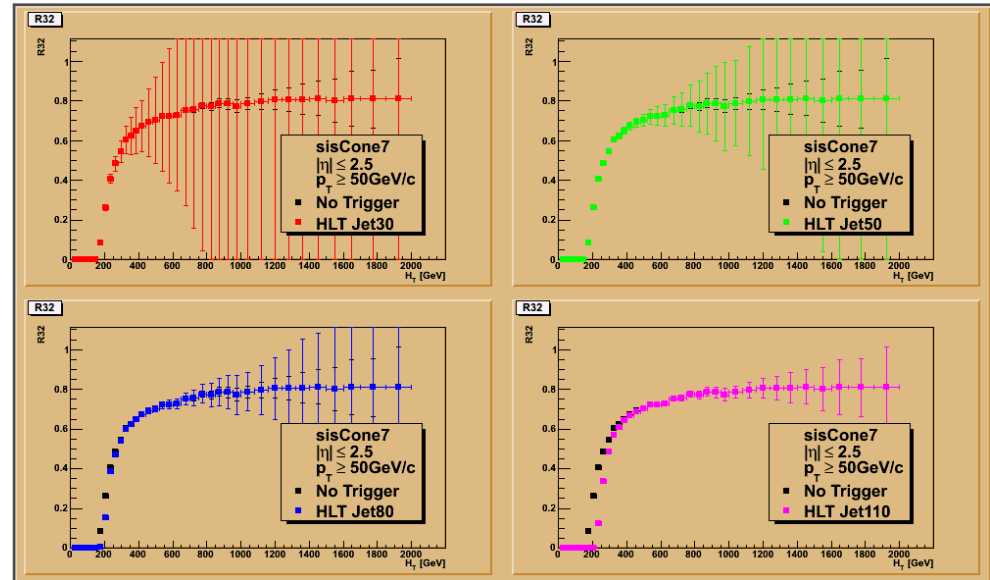


Trigger Path name	Threshold (100% efficient)
HLT Jet30	150
HLT Jet50	150
HLT Jet80	350
HLT Jet110	500



**Fully efficient from 150 GeV**

Path name	L1 Trigger	Prescale (L1xHLT)
HLT Jet30	L1_SingleJet15	500x5
HLT Jet50	L1_SingleJet30	50x1
HLT Jet80	L1_SingleJet50	5x2
HLT Jet110	L1_SingleJet70	1

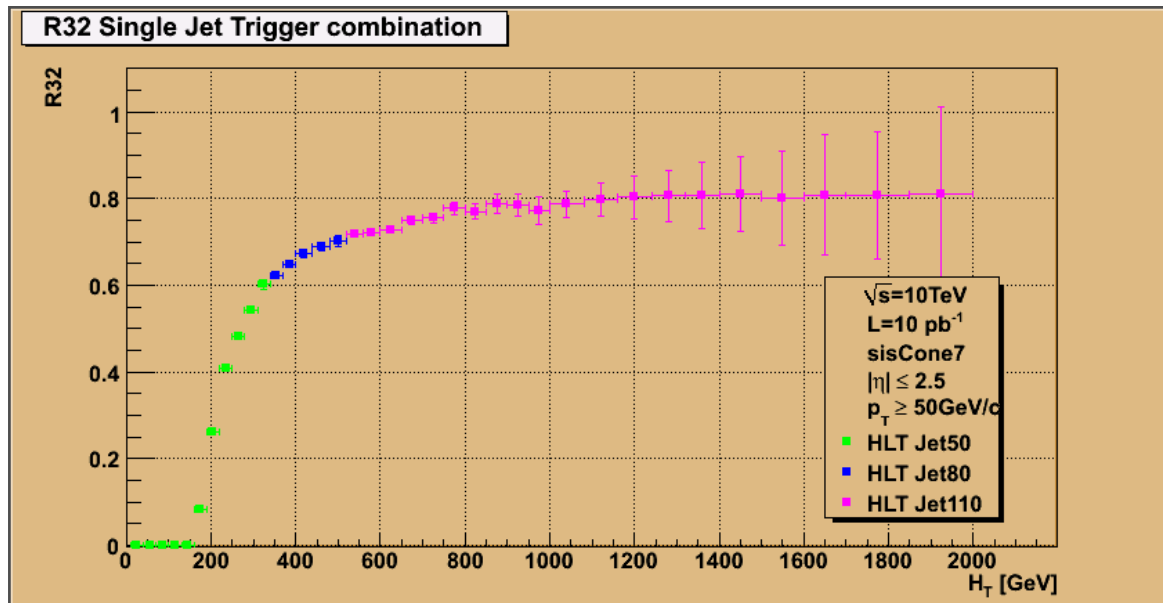


Combine Single Jet HLTs for data collection :

- HLT Jet50 (prescale 50x1)
- HLT Jet80 (prescale 5x2)
- HLT Jet110 (prescale 1)

Trigger scheme fully efficient from  $\geq 150$  GeV

Trigger **HLT Jet50** can be tested using trigger **HLT Jet30**



- Measurement of 3Jet/2Jet cross section ratio vs  $H_T$  using
  - QCD DiJet Summer 08
  - Jet Algorithm: sisCone7
  - Jet Energy Corrections: L2L3
- Definition of the measured cross section at hadron level
  - $\sigma(p_T \geq 50 \text{ GeV}/c; |\eta| \leq 2.5)$
- With a Luminosity of  $10\text{pb}^{-1}$  is possible to extend the measurement of the ratio up to  $H_T \sim 1500 \text{ GeV}$  ( $\sim 3$  times the scale of Tevatron).
- The ratio can be measured with a combination of three Single Jet HLTs : (HLT Jet50, HLT Jet80, HLT Jet110).

Next steps (following the initial plan):

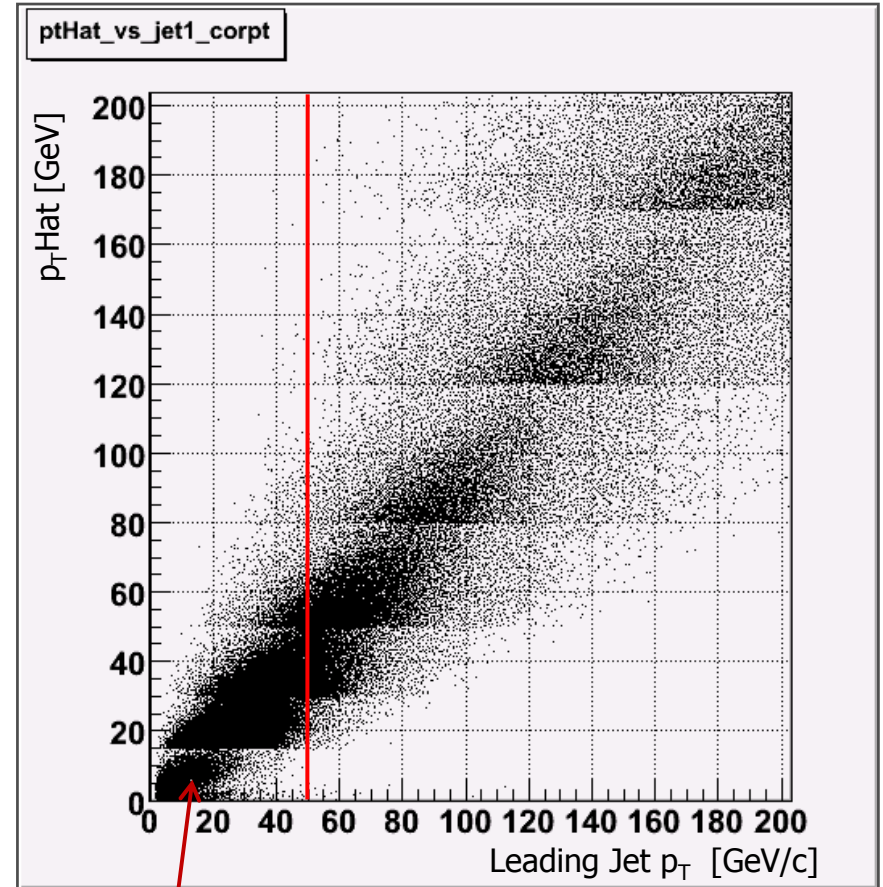
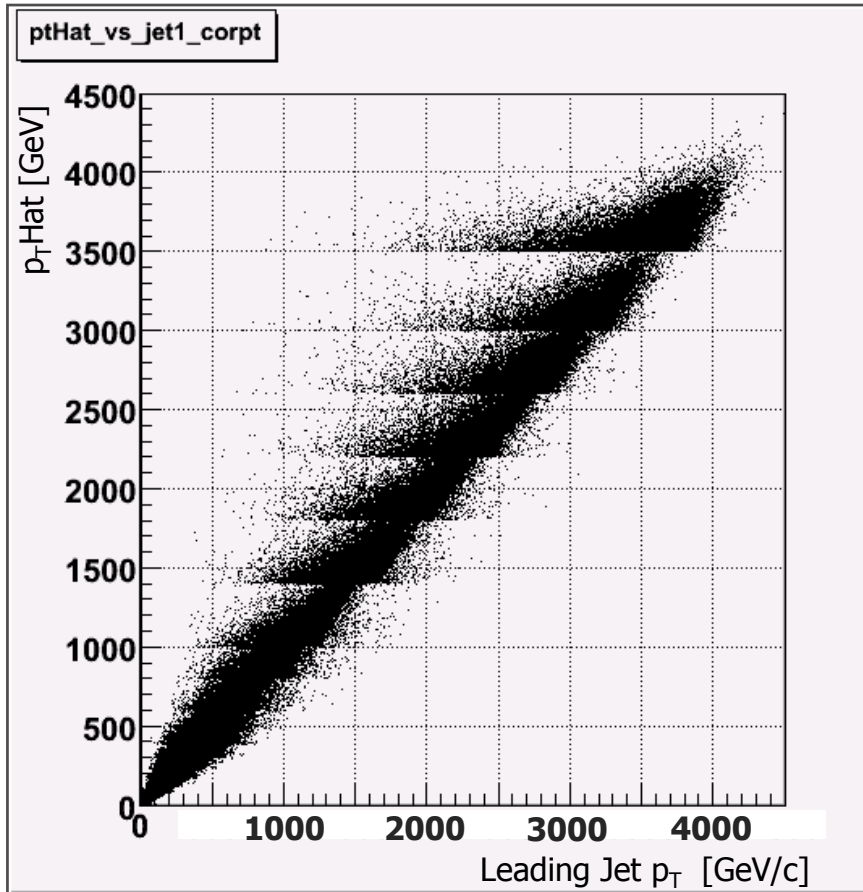
- Estimate the dominant systematics on the experimental measurement (Jet Energy Scale...)
- Estimate the magnitude of hadronisation correction
- Compute the theoretical rate with NLO programs and estimate the uncertainty due to  $\mu_R, \mu_F$





# Spare

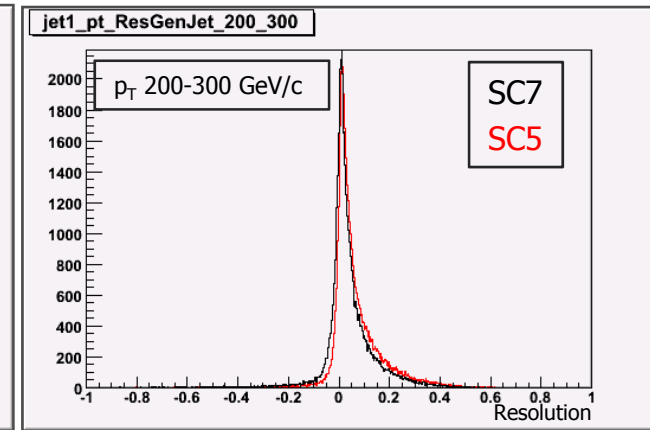
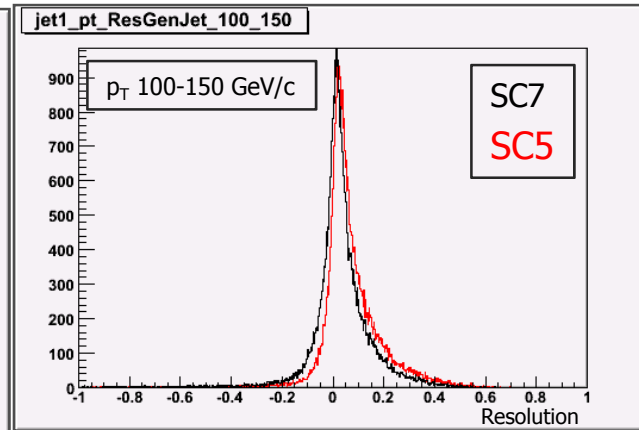
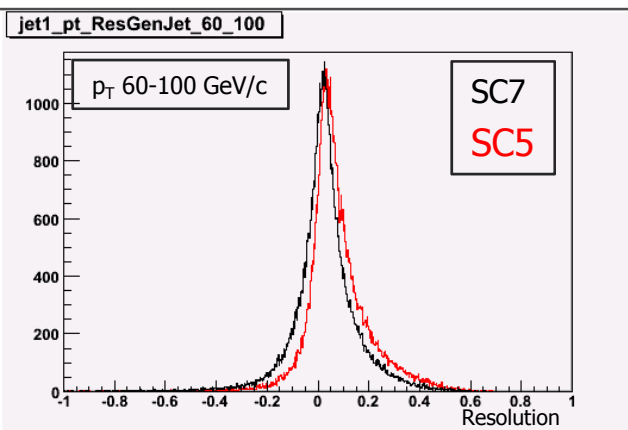
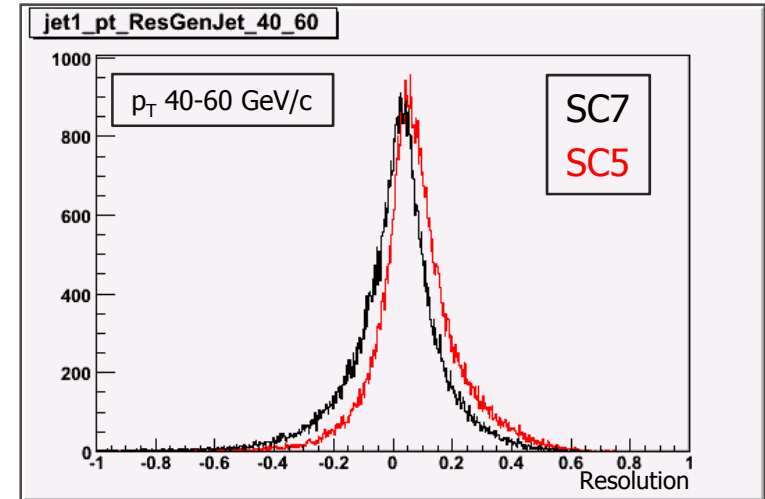
# $p_T$ Hat vs Jet1 $p_T$



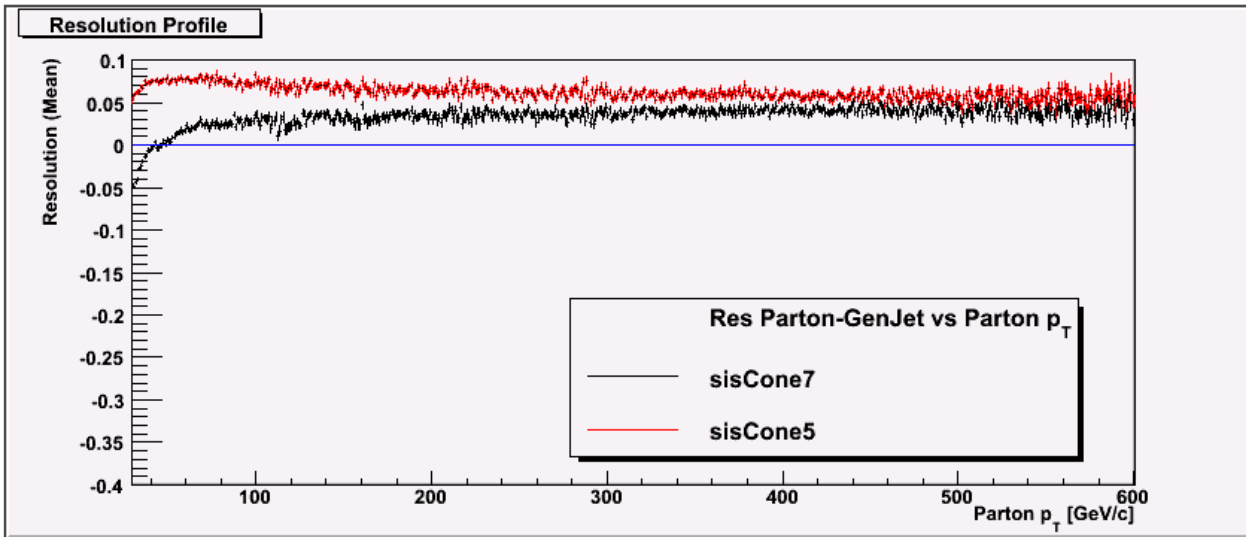
By setting a cut on Jet  $p_T$  around 50 GeV/c the contribution of the  $p_T$ hat bin 0-15 is practically very small.

$$p_T \text{ Resolution} = \frac{\text{Parton } p_T - \text{GenJet } p_T}{\text{Parton } p_T}$$

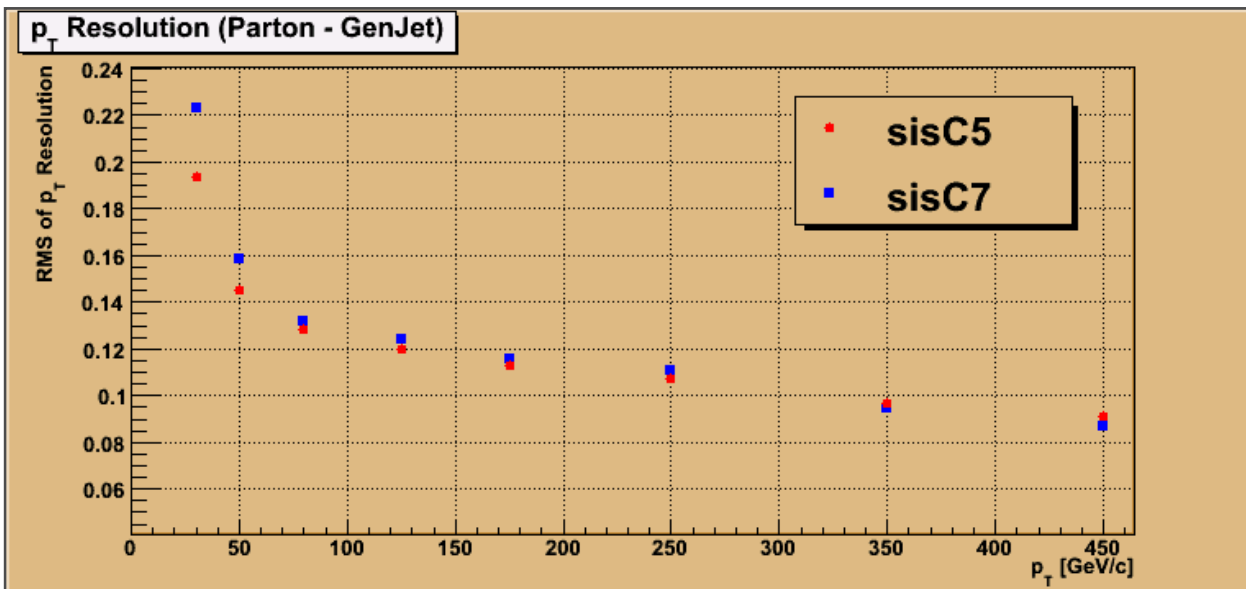
- Splitting Parton  $p_T$  interval into bins.
- Non Gaussian shapes
- Tails on the right.



# Jet $p_T$ resolution: Parton-GenJet Level



sisCone7 algorithm produces smaller shift than sisCone5 as expected



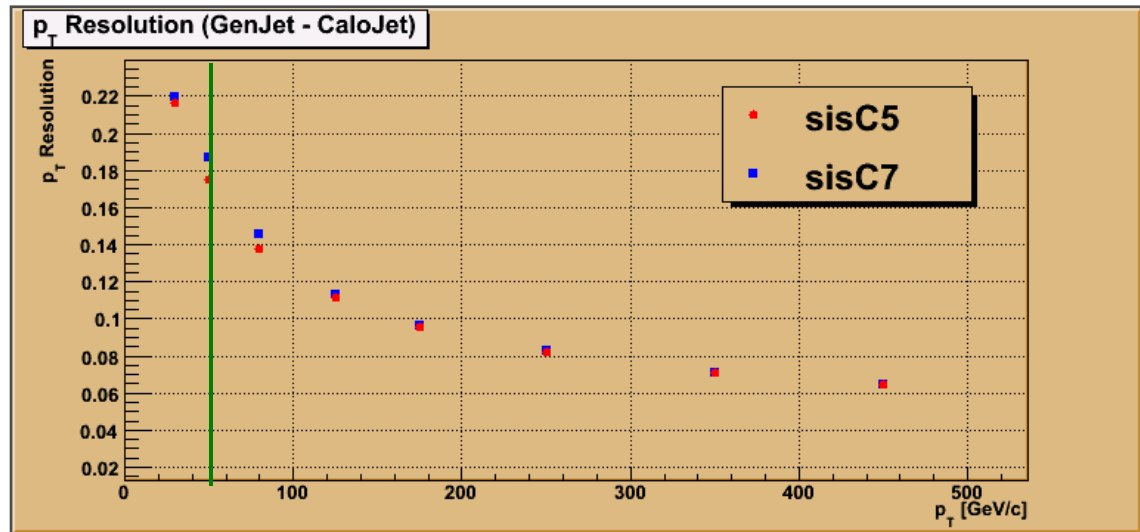
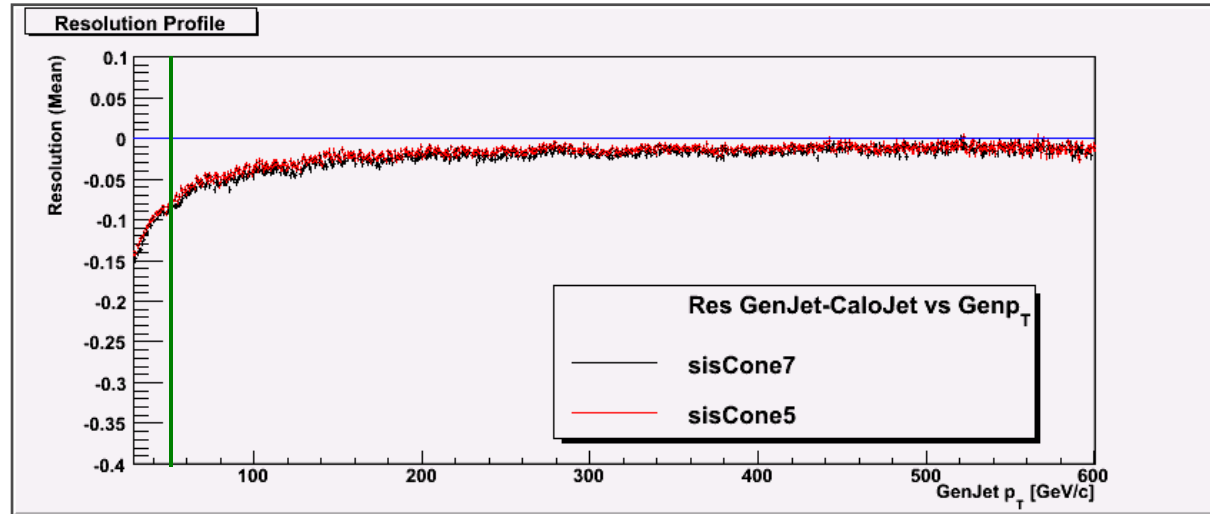
For  $p_T > 75$  GeV/c no difference for sisCone7 - sisCone5

$$p_T \text{ Resolution} = \frac{\text{GenJet } p_T - \text{CaloJet } p_T}{\text{GenJet } p_T}$$

sisCone7 and sisCone5 algorithms do behave the same

At  $p_T \approx 50$  GeV/c mean value is shifted by 8%  
(CaloJet is overestimated)

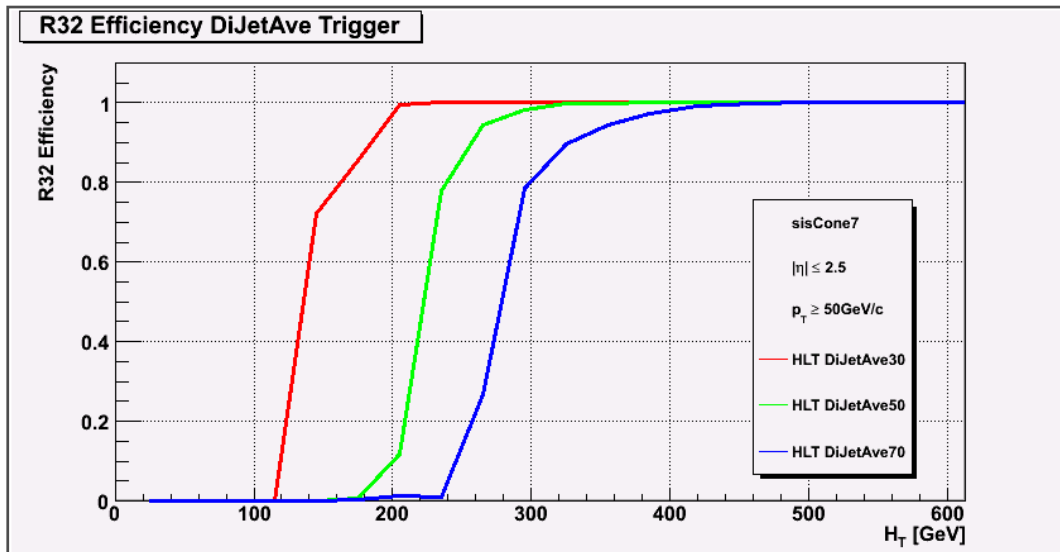
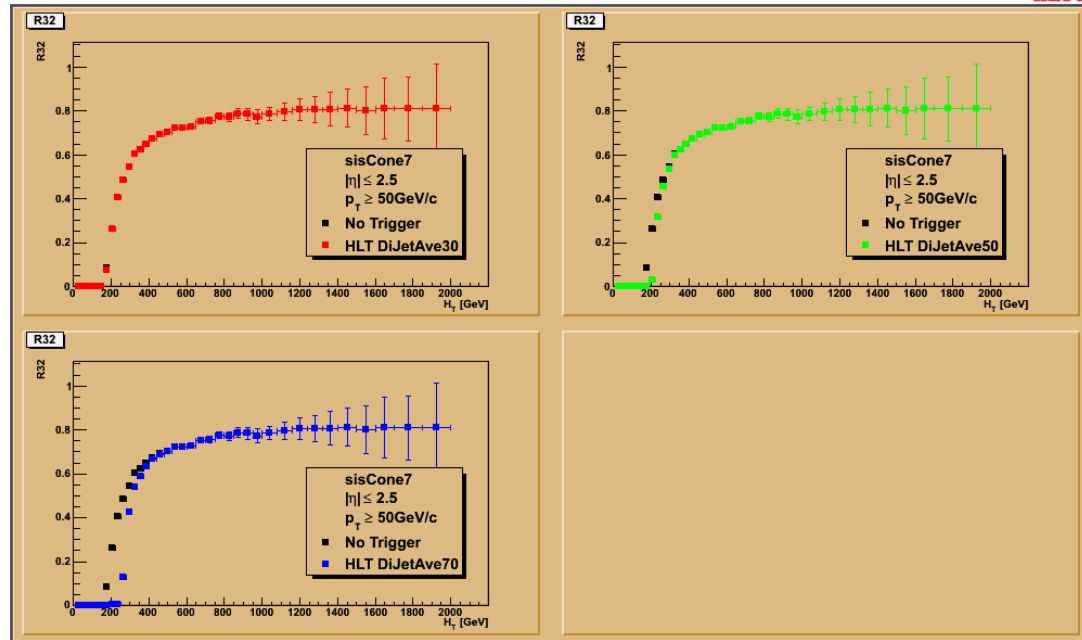
Around 50 GeV/c  $p_T$  resolution  $\sim 18\%$



## Study of DiJet HLTs.

- HLT DiJetAve30
- HLT DiJetAve50
- HLT DiJetAve70

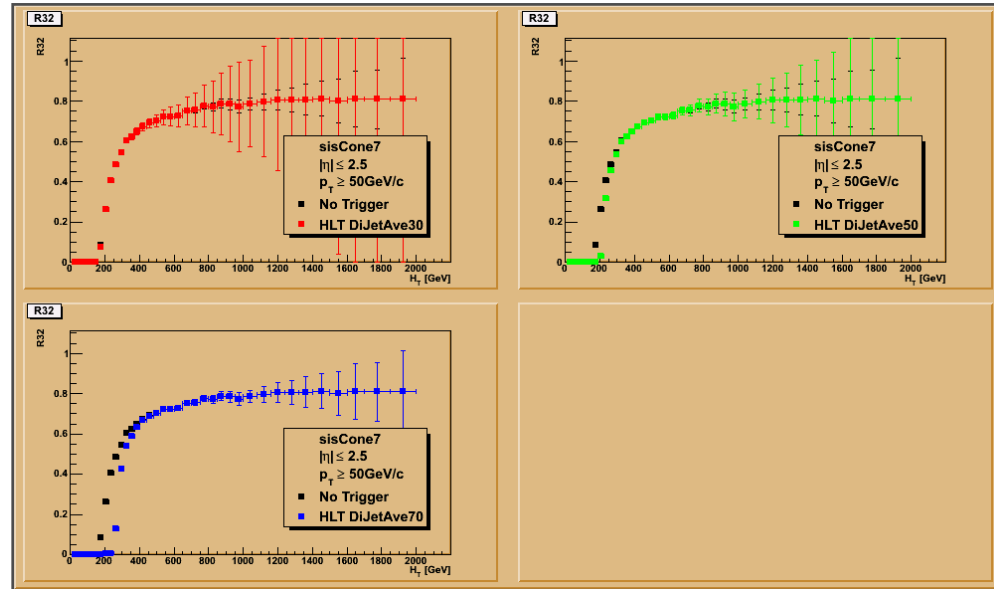
Plot R32 after applying the HLTs  
Evaluate trigger efficiency for ratio  $R_{32}$



Trigger Path name	$H_T$ [GeV] (100% efficient)
HLT DiJetAve30	200
HLT DiJetAve50	360
HLT DiJetAve70	500

**Fully efficient from 200 GeV**

Path name	L1 Trigger	Prescale (L1xHLT)
HLT DiJetAve 30	L1_SingleJet30	50x1
HLT DiJetAve 50	L1_SingleJet50	5x1
HLT DiJetAve 70	L1_SingleJet70	1



Combine DiJetAve HLTs for data collection:

- HLT DiJetAve30 (prescale 50x1)
- HLT DiJetAve80 (prescale 5x2)
- HLT DiJetAve110 (prescale 1)

Trigger scheme fully efficient from  $\geq 200$  GeV

