

**Update on the Jet Cross Section Ratio:
 $\sigma(pp \rightarrow n \text{ jets} + X, n \geq 3) / \sigma(pp \rightarrow n \text{ jets} + X, n \geq 2)$
at 7 TeV**

**P.Kokkas, I.Papadopoulos, C.Fountas, I.Evangelou,
N.Manthos**

University of Ioannina, Greece

High p_T meeting 29/10/2009



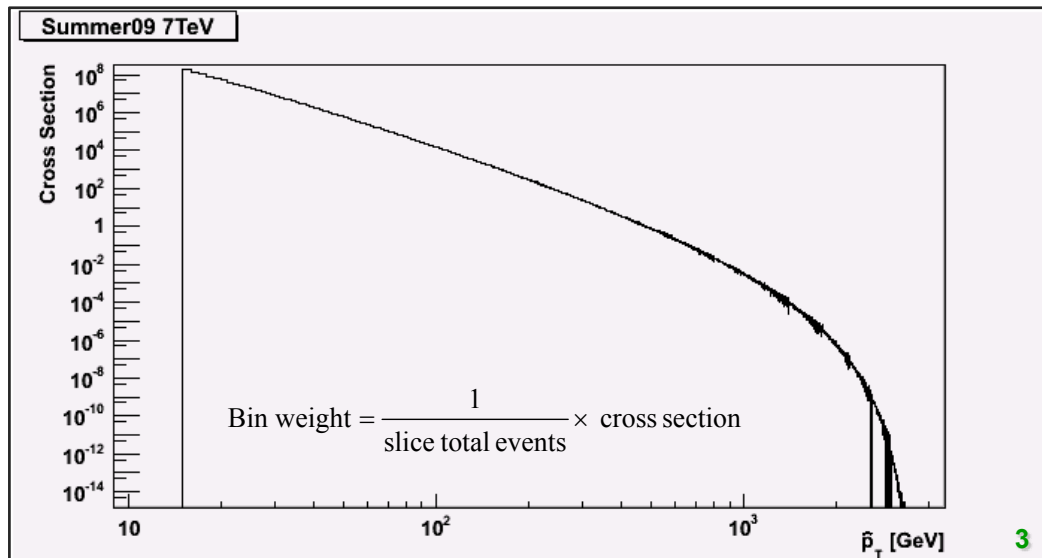
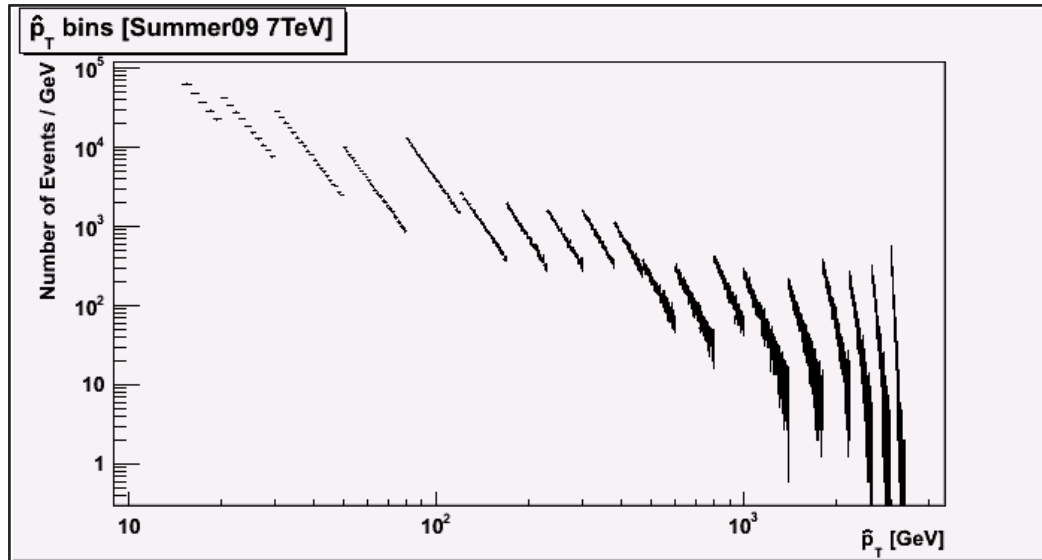
Outline

- Data
 - Summer09 QCDDiJet@7TeV
- Resolutions studies
 - η resolution studies
 - p_T resolution studies
 - H_T resolution studies
- Ratio R_{32}
 - R_{32} with Calo-GenJets and sisCone7
 - R_{32} with Calo-GenJets and antikt7
 - R_{32} Comparison sisCone7-antikt7
- Trigger Studies at 7TeV
- Comparison Summer09@7TeV and 10TeV
- Summary

Analysis done using versions:

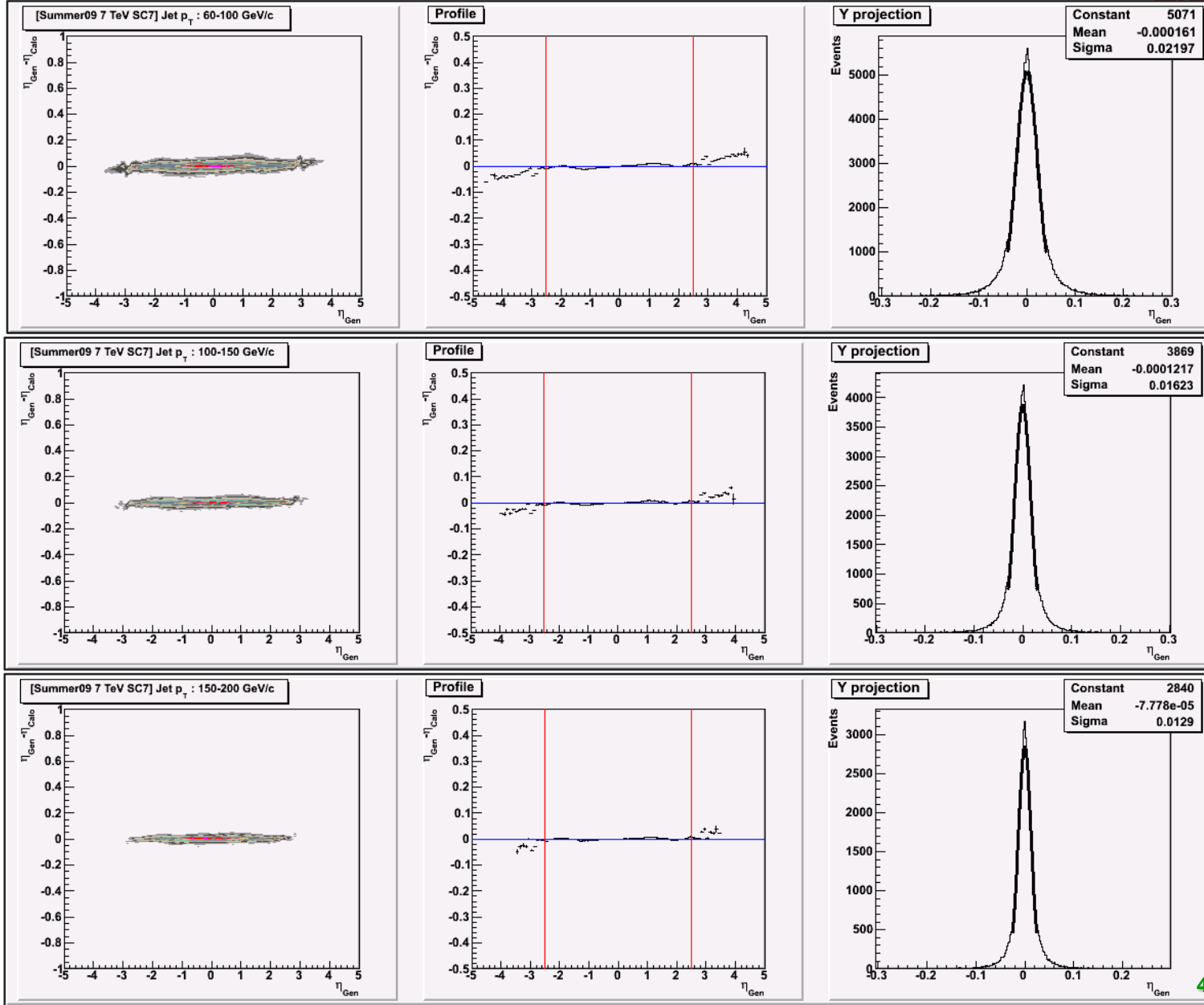
- CMSSW_3_1_4 for Jet Algo: **sisCone7**
- CMSSW_3_3_0 for Jet Algo: **antikt7**
- Jet Energy Corrections: L2L3
- Bin p_T -Hat: 0-15 GeV not used

| | p_T -Hat bin [GeV] | Number of events | Cross section [pb] | Equivalent Luminosity [pb^{-1}] |
|----|----------------------|------------------|--------------------|-------------------------------------|
| 1 | 0-15 | 200000 | 4.844e+10 | 4.13e-06 |
| 2 | 15-20 | 200000 | 5.794e+08 | 3.45e-04 |
| 3 | 20-30 | 200000 | 2.361e+08 | 8.47e-04 |
| 4 | 30-50 | 200000 | 5.311e+07 | 3.77e-03 |
| 5 | 50-80 | 104821 | 6.358e+06 | 1.65e-02 |
| 6 | 80-120 | 200000 | 7.849e+05 | 0.25 |
| 7 | 120-170 | 56296 | 1.151e+05 | 0.50 |
| 8 | 170-230 | 50240 | 2.014e+04 | 2.49 |
| 9 | 230-300 | 54028 | 4.094e+03 | 13.20 |
| 10 | 300-380 | 61325 | 9.346e+02 | 65.62 |
| 11 | 380-470 | 51472 | 2.338e+02 | 220.15 |
| 12 | 470-600 | 20380 | 7.021e+01 | 290.27 |
| 13 | 600-800 | 22784 | 1.557e+01 | 1.46e+3 |
| 14 | 800-1000 | 33996 | 1.843e+00 | 1.85e+4 |
| 15 | 1000-1400 | 27624 | 3.318e-01 | 8.34e+4 |
| 16 | 1400-1800 | 20575 | 1.086e-02 | 1.89e+6 |
| 17 | 1800-2200 | 36670 | 3.499e-04 | 1.05e+8 |
| 18 | 2200-2600 | 21527 | 7.549e-06 | 2.85e+9 |
| 19 | 2600-3000 | 20792 | 6.465e-08 | 3.21e+11 |
| 20 | 3000-3500 | 23460 | 6.295e-11 | 3.73e+14 |



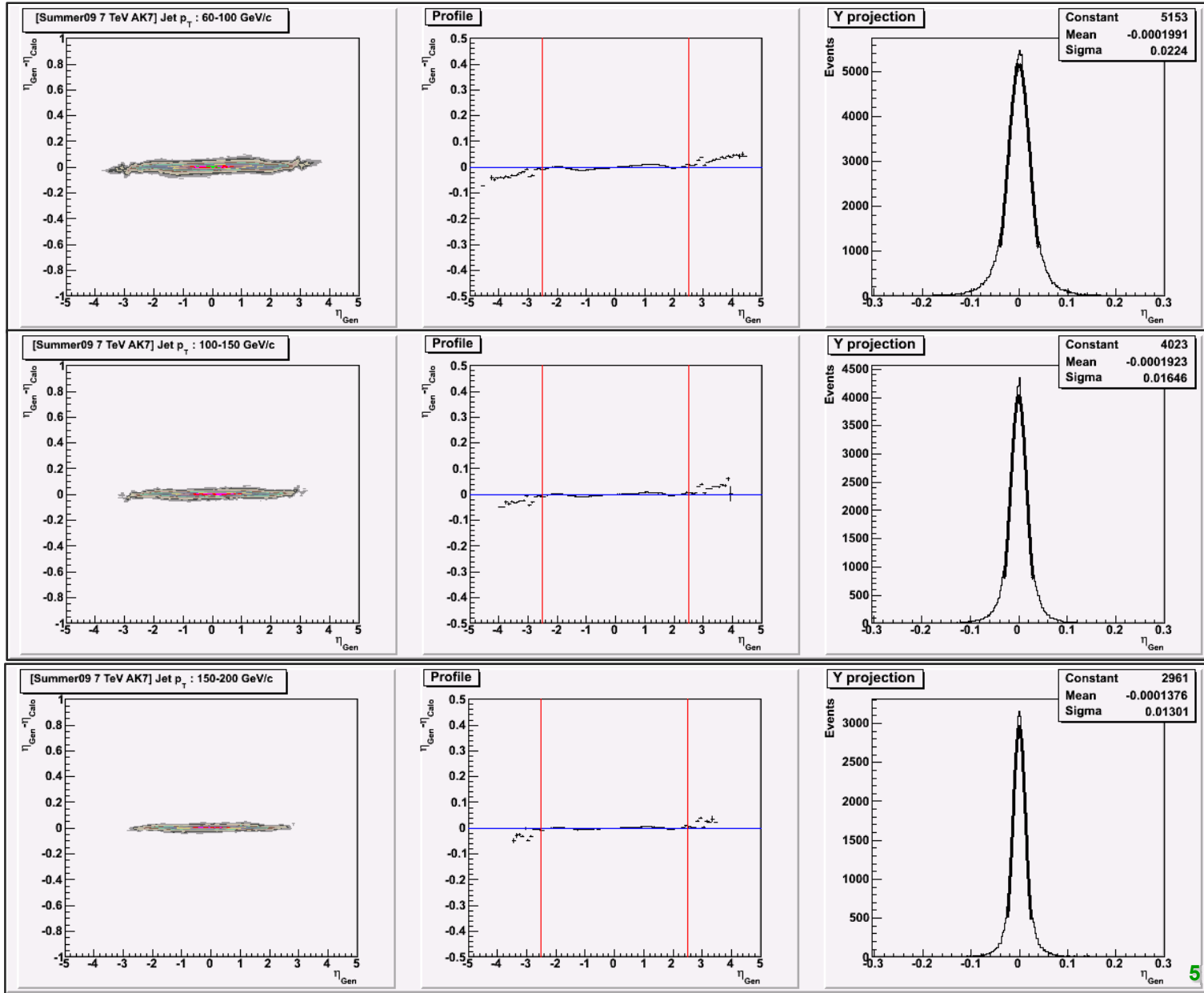
- Plot the difference: (GenJet η – CaloJet η) vs (GenJet η)
- For various bins of GenJet p_T

Jet Algorithm: sisCone7



Jet Algorithm: antikt7

- Same results as with sisCone7
- Reasonable cut on $|\eta| \leq 2.5$





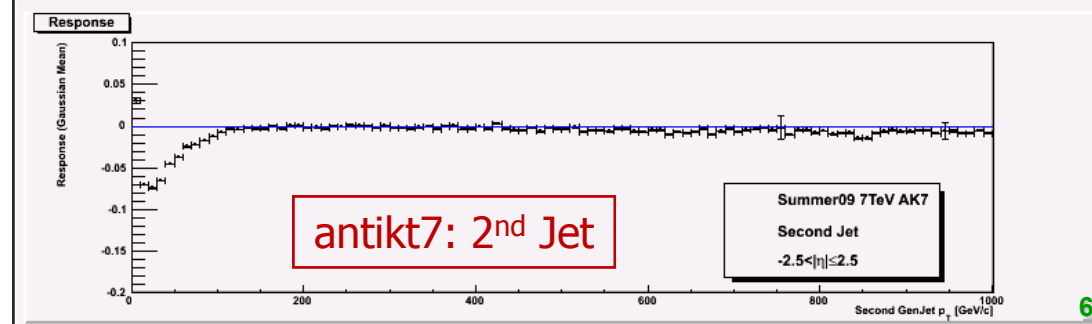
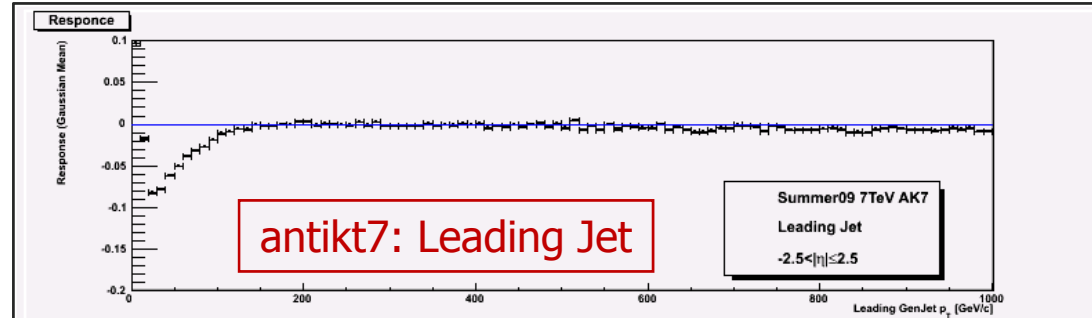
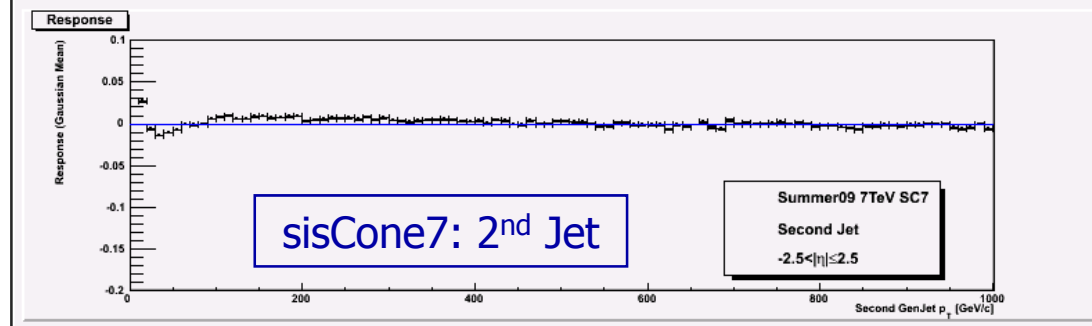
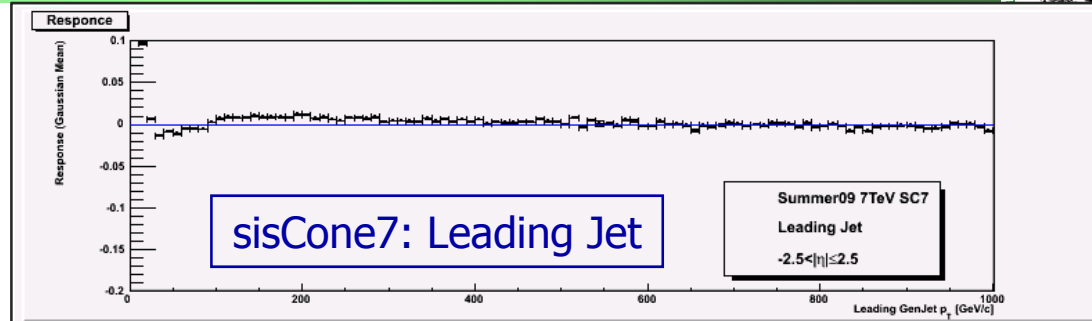
p_T resolution studies: Summer09 QCDDiJet@7TeV



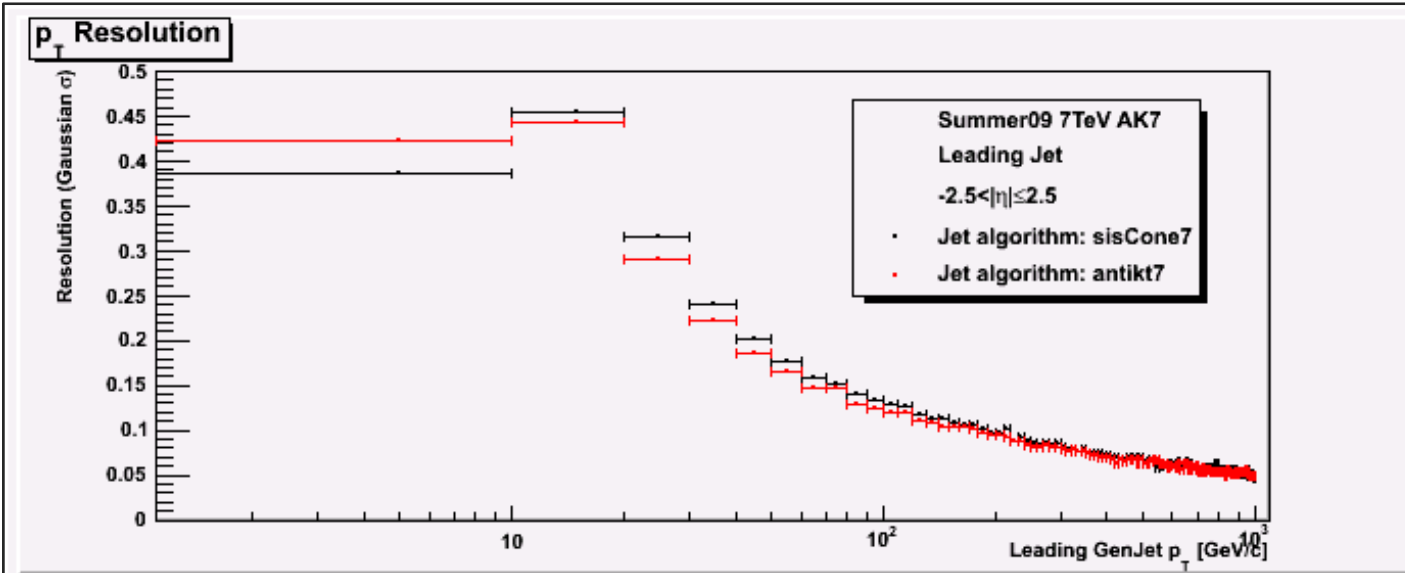
Jet p_T resolution studies at GenJet-CaloJet level:

$$p_T \text{ Resolution} = \frac{\text{GenJet } p_T - \text{CaloJet } p_T}{\text{GenJet } p_T}$$

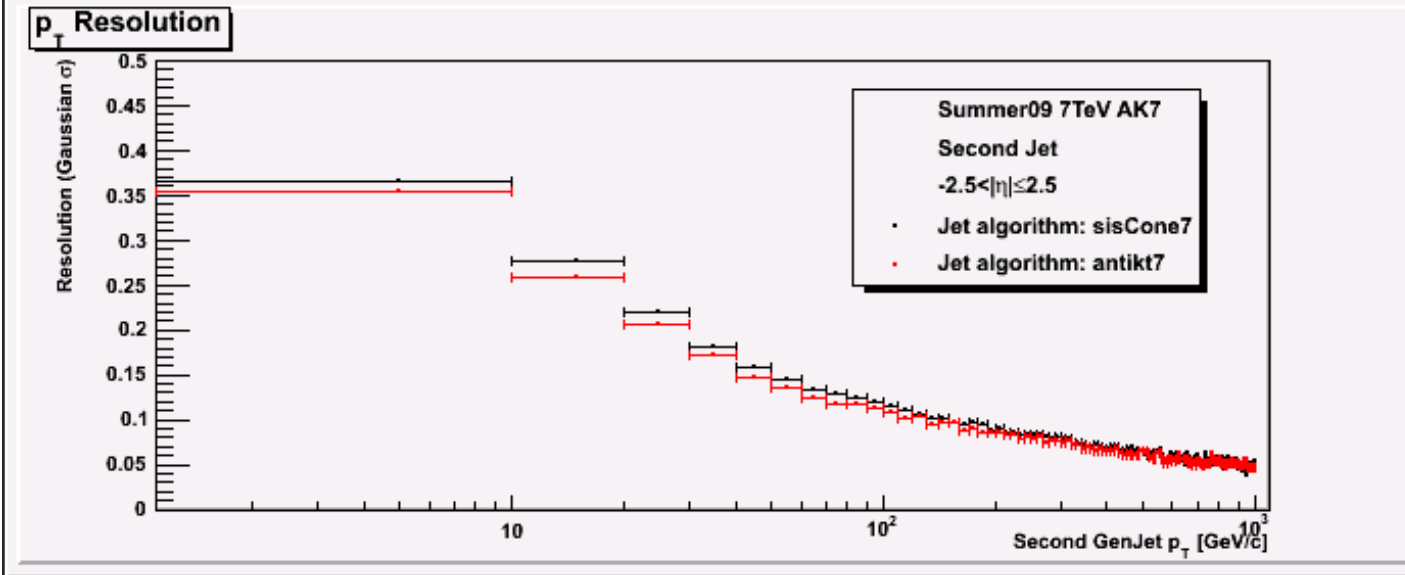
For antikt7 below 100 GeV CaloJet is overestimated by few per cent.



Below ~ 200 GeV resolution is better for antikt7.



Around 50 GeV/c p_T resolution $\sim 18\%$
For our analysis we apply a cut on Jet $p_T \geq 50$ GeV/c



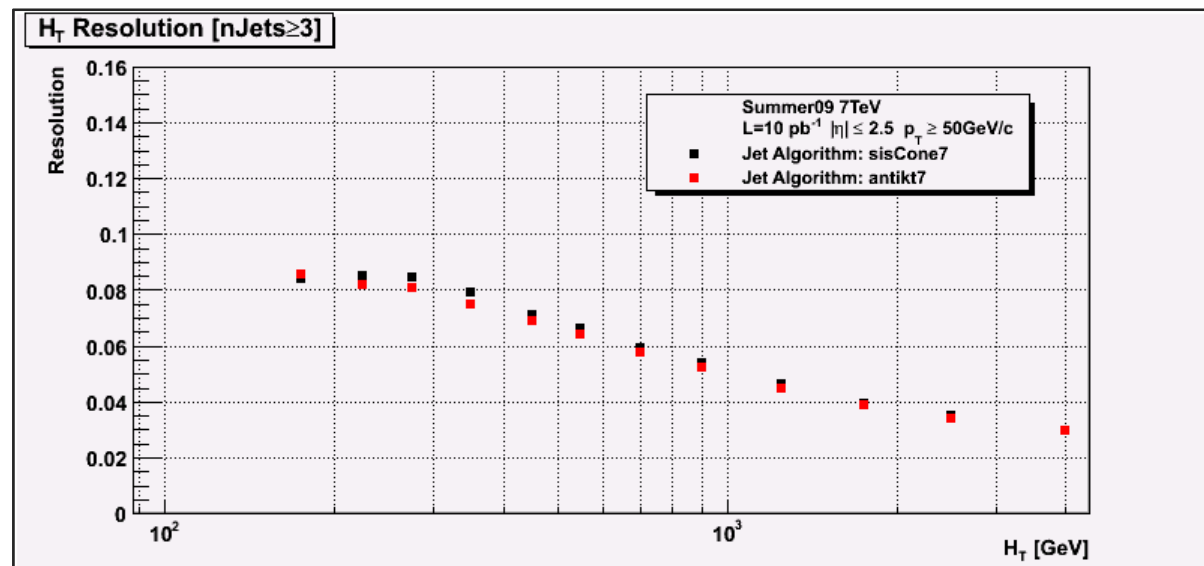
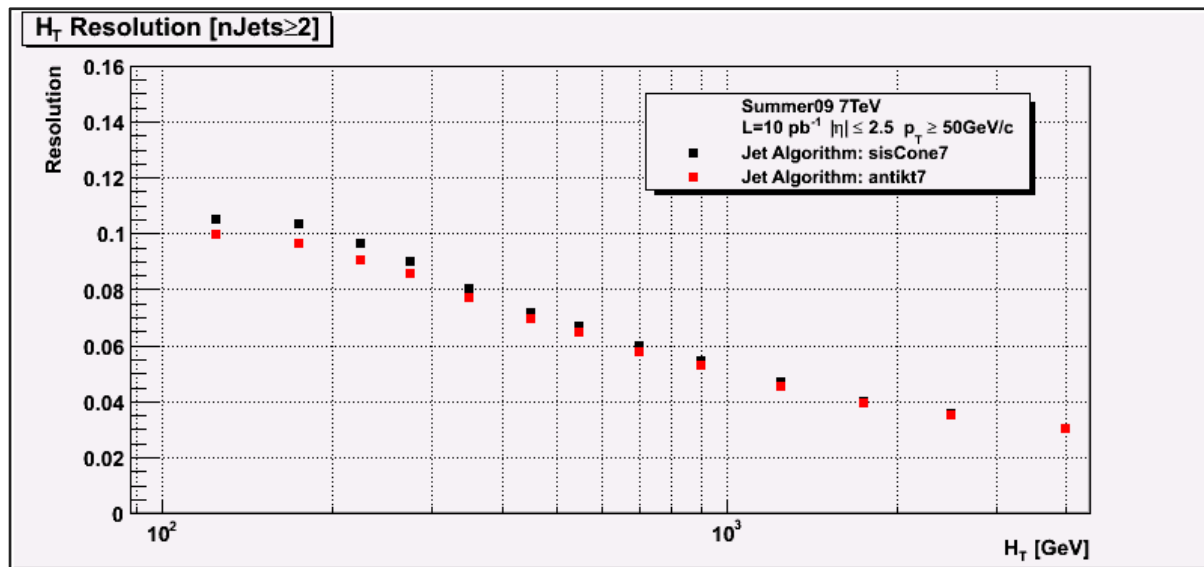
Jet H_T resolution studies at GenJet-CaloJet level:

$$H_T \text{ Resolution} = \frac{\text{GenJet } H_T - \text{CaloJet } H_T}{\text{GenJet } H_T}$$

Important study to define the binning for the ratio R32.

Slightly better resolution for antikt7.

Around 200 GeV H_T resolution ~10%

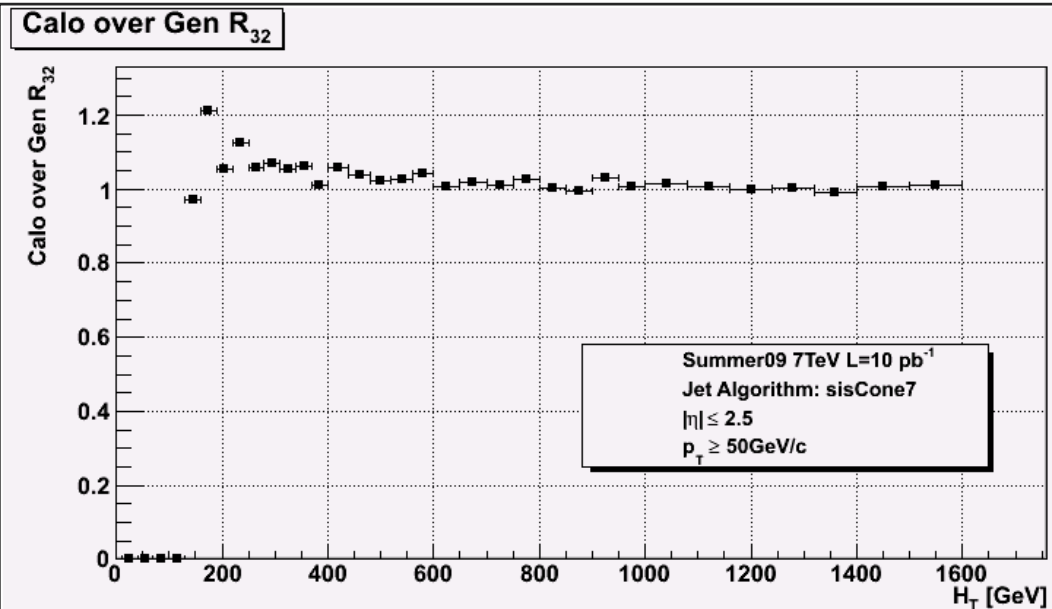
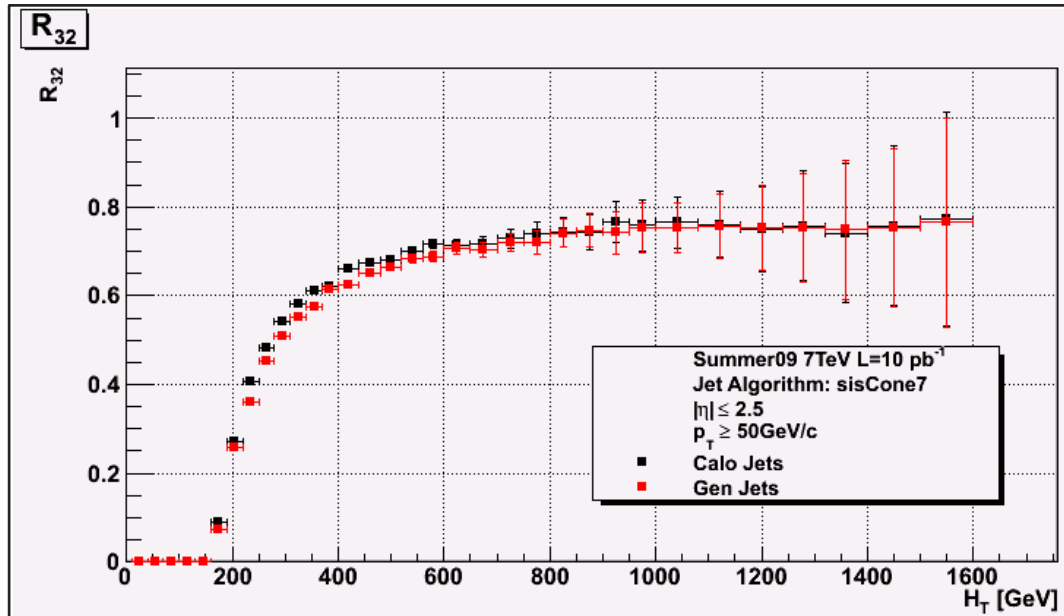


Evaluation of 3Jet/2Jet Ratio vs H_T

$$R_{32} = \frac{\sigma_3}{\sigma_2} = \frac{\sigma(\text{pp} \rightarrow n \text{ jets} + X; n \geq 3)}{\sigma(\text{pp} \rightarrow n \text{ jets} + X; n \geq 2)}$$

Jet Algorithm
sisCone7

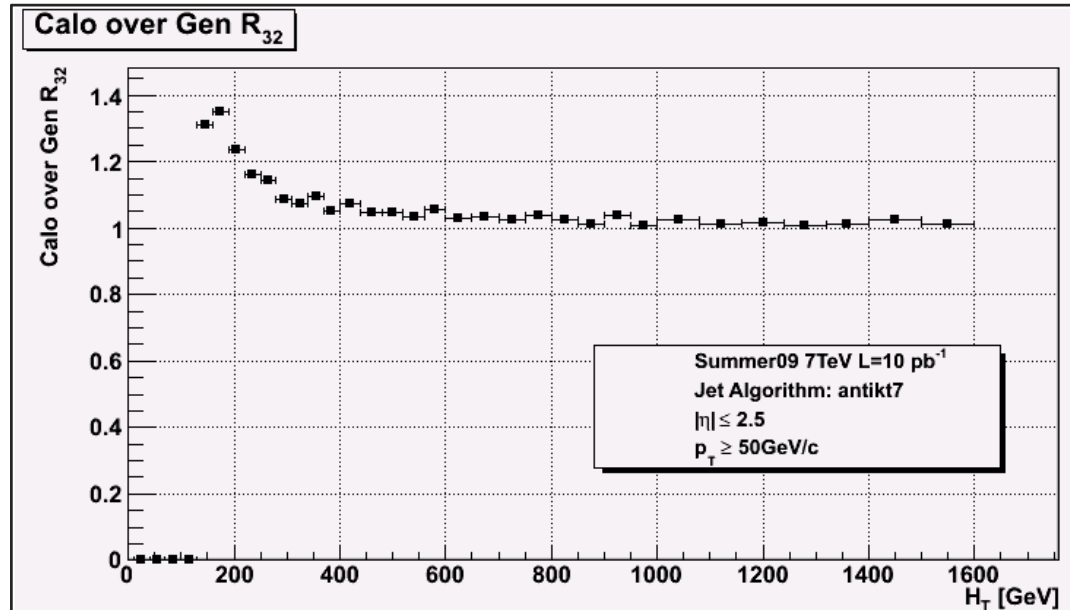
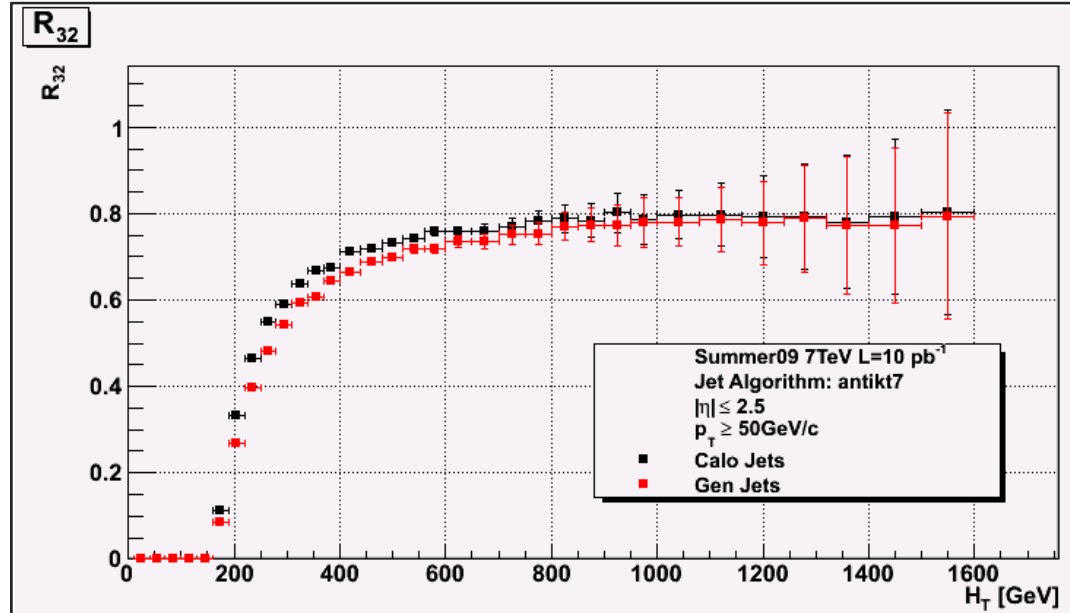
At 7 TeV and with a Luminosity of 10pb⁻¹ is possible to extend the measurement up to H_T~1200 GeV (~2 times the scale of Tevatron).



Evaluation of 3Jet/2Jet Ratio vs H_T

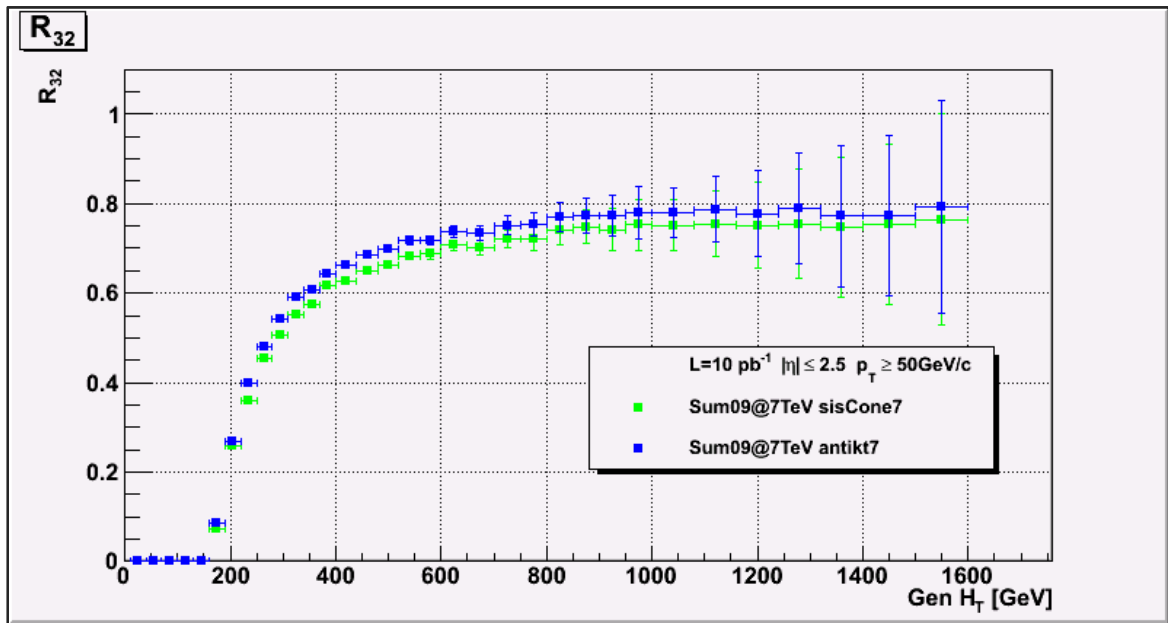
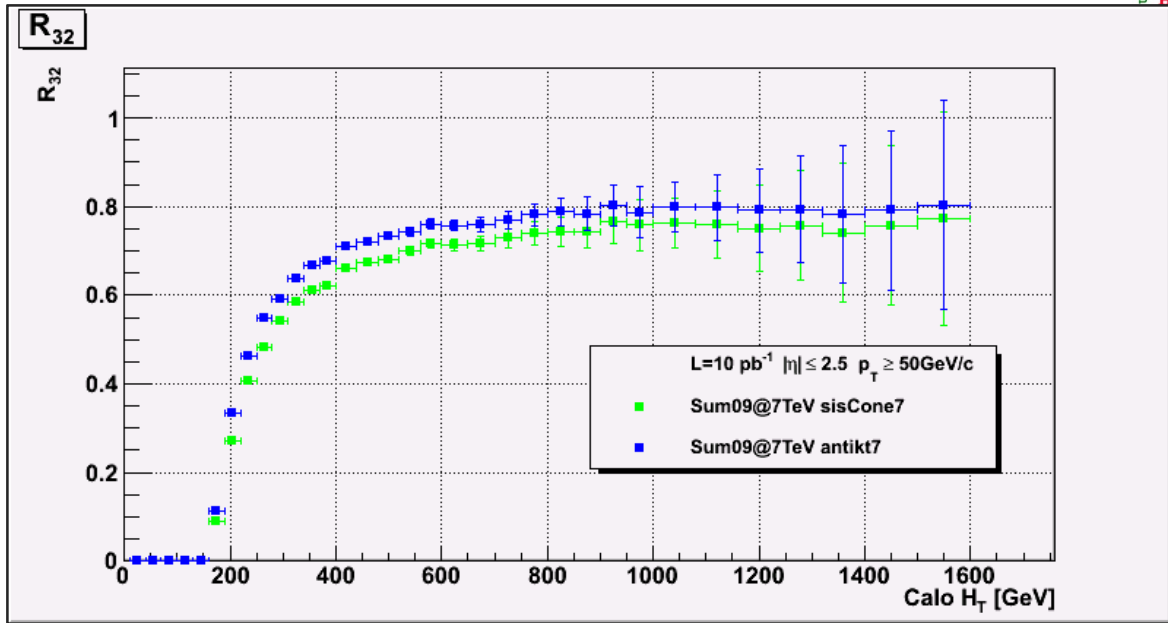
$$R_{32} = \frac{\sigma_3}{\sigma_2} = \frac{\sigma(\text{pp} \rightarrow n \text{ jets} + X; n \geq 3)}{\sigma(\text{pp} \rightarrow n \text{ jets} + X; n \geq 2)}$$

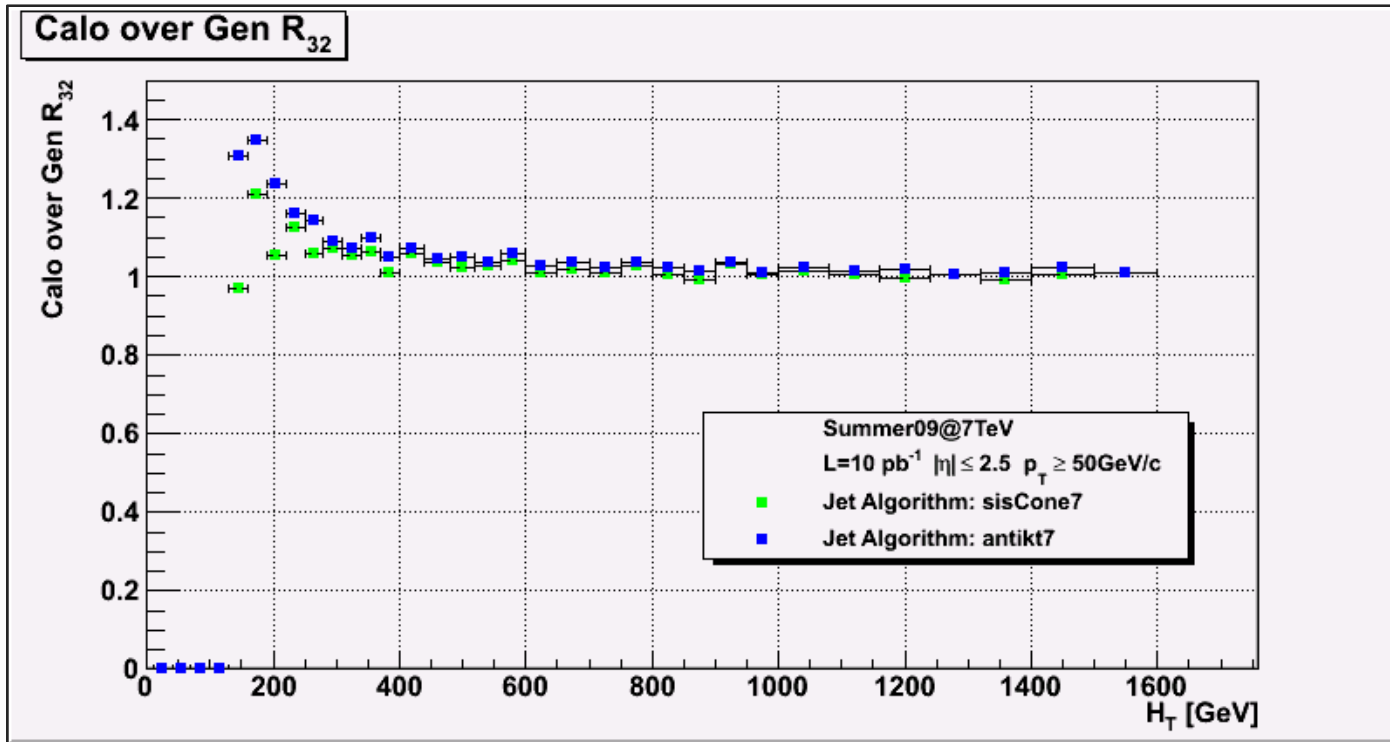
Jet Algorithm
antikt7



R_{32} Comparison: sisCone7- antikt7

Ratio R_{32} using antikt7 is constantly above.



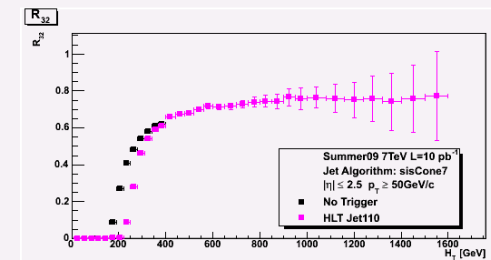
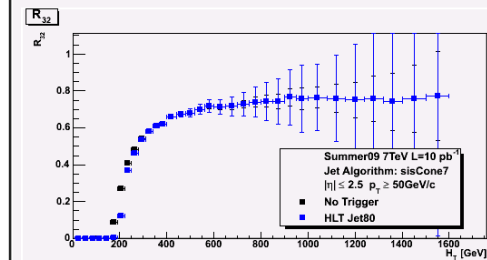
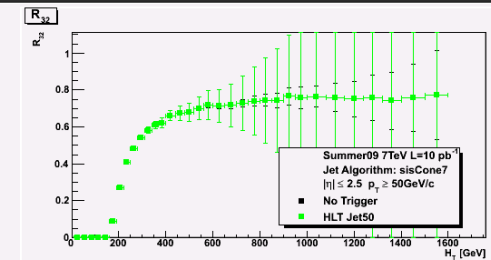
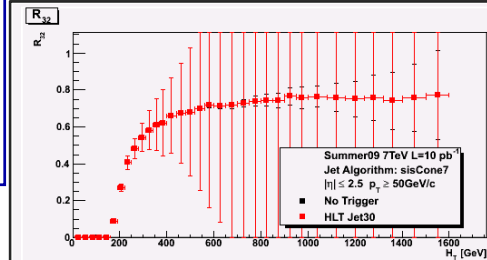


Observe larger smearing effects for antikt7.

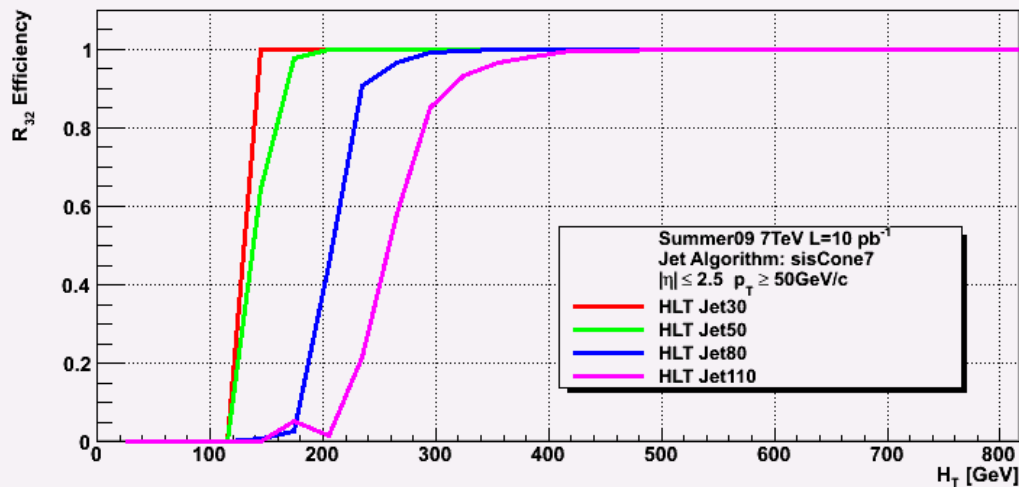
Study of Single Jet HLTs.

- Plot R_{32} after applying the HLTs
- Evaluate trigger efficiency for ratio R_{32}

| Path name | L1 Trigger | Prescale (L1xHLT) |
|------------|----------------|-------------------|
| HLT Jet30 | L1_SingleJet15 | 500x5 |
| HLT Jet50 | L1_SingleJet30 | 50x1 |
| HLT Jet80 | L1_SingleJet50 | 5x2 |
| HLT Jet110 | L1_SingleJet70 | 1 |

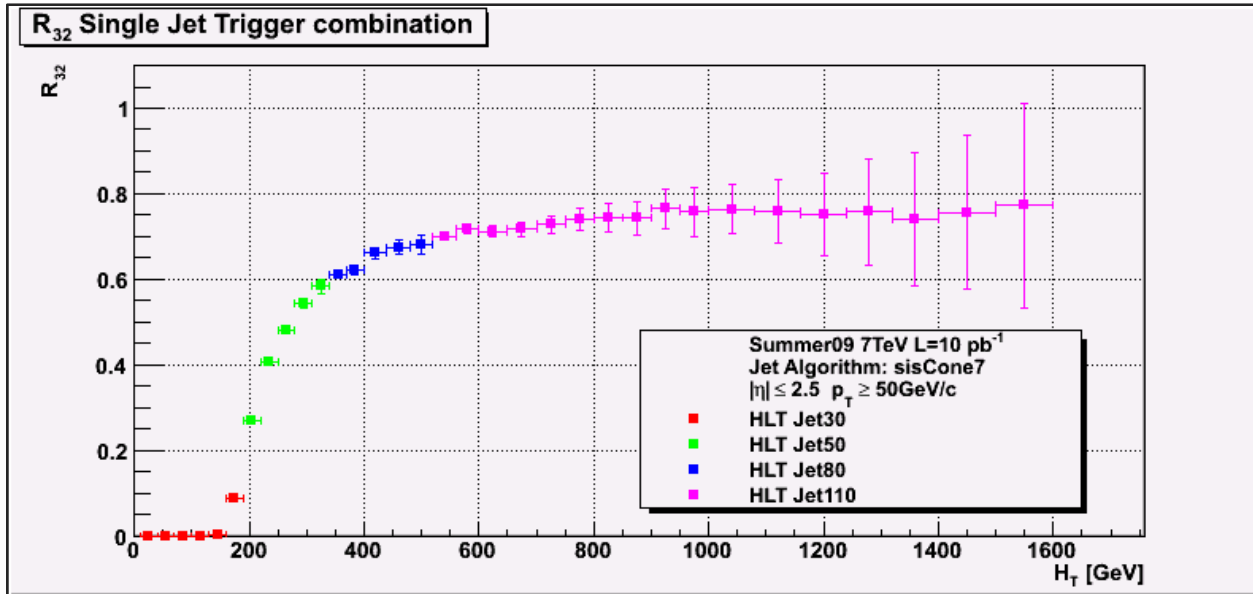


R_{32} Efficiency Single Jet Trigger



| Trigger Path name | Threshold (100% efficient) |
|-------------------|----------------------------|
| HLT Jet30 | 150 |
| HLT Jet50 | 200 |
| HLT Jet80 | 350 |
| HLT Jet110 | 500 |

Trigger study: Single Jet Triggers



Combine Single Jet HLTs for data collection :

- HLT Jet30 (prescale 500x5)
- HLT Jet50 (prescale 50x1)
- HLT Jet80 (prescale 5x2)
- HLT Jet110 (prescale 1)

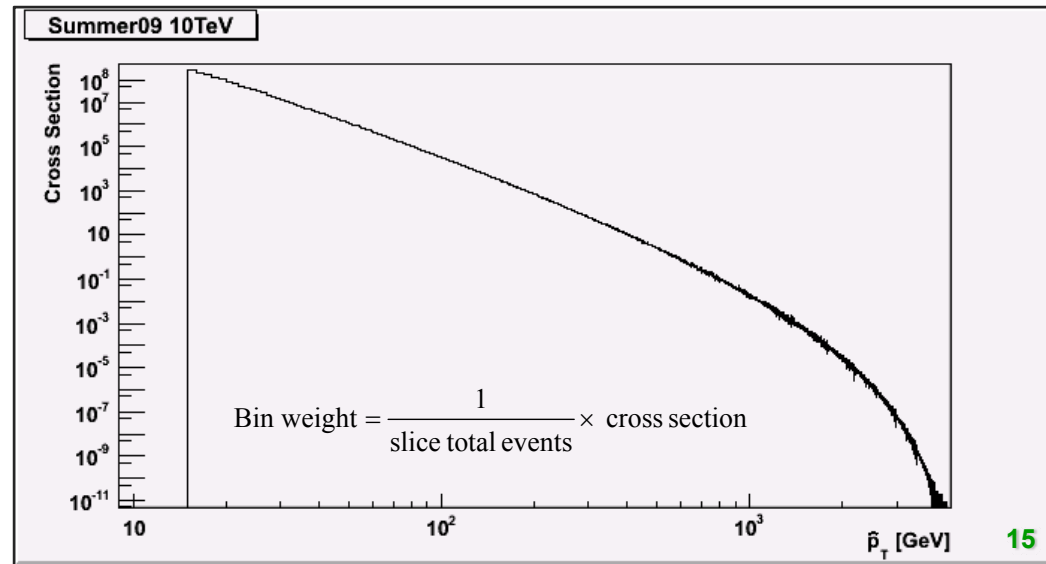
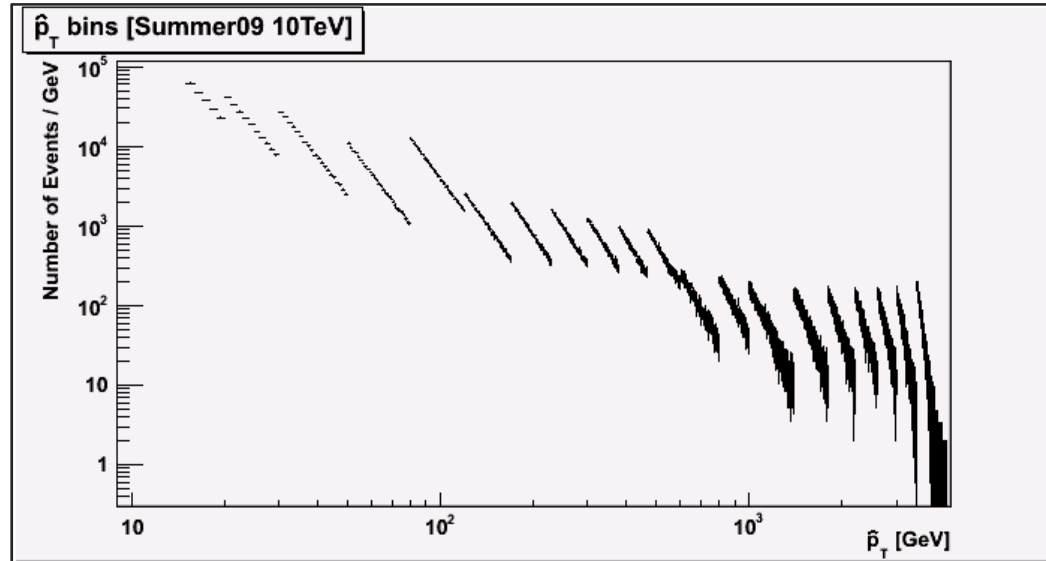
HLT Jet30 covers the first bin of the ratio.

Practically the measurement can be done using trigger combination HLT Jet50, 80 and 110

Analysis done using version:

- CMSSW_3_1_4 for Jet Algo: **sisCone7**
- Jet Energy Corrections: L2L3
- Bin $p_{T\text{-Hat}}$: 0-15 GeV not used

| | $P_{T\text{-Hat}}$ bin [GeV] | Number of events | Cross section [pb] | Equivalent Luminosity [pb^{-1}] |
|----|------------------------------|------------------|--------------------|--|
| 1 | 0-15 | 200000 | 51562800000 | 3.88E-06 |
| 2 | 15-20 | 200000 | 949441000 | 2.11E-04 |
| 3 | 20-30 | 200000 | 400982000 | 4.99E-04 |
| 4 | 30-50 | 200000 | 94702500 | 2.11E-03 |
| 5 | 50-80 | 119642 | 12195900 | 9.81E-03 |
| 6 | 80-120 | 200000 | 1617240 | 1.24E-01 |
| 7 | 120-170 | 54568 | 255987 | 0.21 |
| 8 | 170-230 | 54100 | 48325 | 1.12 |
| 9 | 230-300 | 54028 | 10623.2 | 4.79 |
| 10 | 300-380 | 50886 | 2634.94 | 19.31 |
| 11 | 380-470 | 45886 | 722.099 | 63.55 |
| 12 | 470-600 | 55905 | 240.983 | 231.99 |
| 13 | 600-800 | 21424 | 62.4923 | 342.83 |
| 14 | 800-1000 | 21028 | 9.42062 | 2.23E03 |
| 15 | 1000-1400 | 21784 | 2.34357 | 9.30E03 |
| 16 | 1400-1800 | 21810 | 0.156855 | 1.39E05 |
| 17 | 1800-2200 | 21730 | 0.013811 | 1.57E06 |
| 18 | 2200-2600 | 22013 | 0.00129608 | 1.70E07 |
| 19 | 2600-3000 | 22046 | 0.00011404 | 1.93E08 |
| 20 | 3000-3500 | 20908 | 0.0000084318 | 2.48E09 |
| 21 | 3500-inf | 21060 | 0.00000018146 | 1.16E11 |

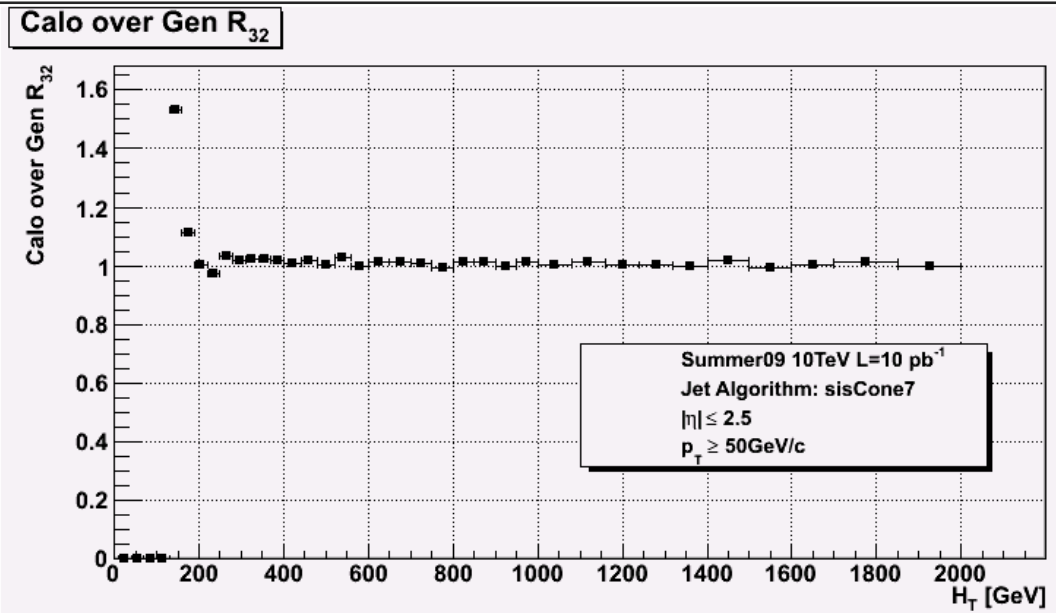
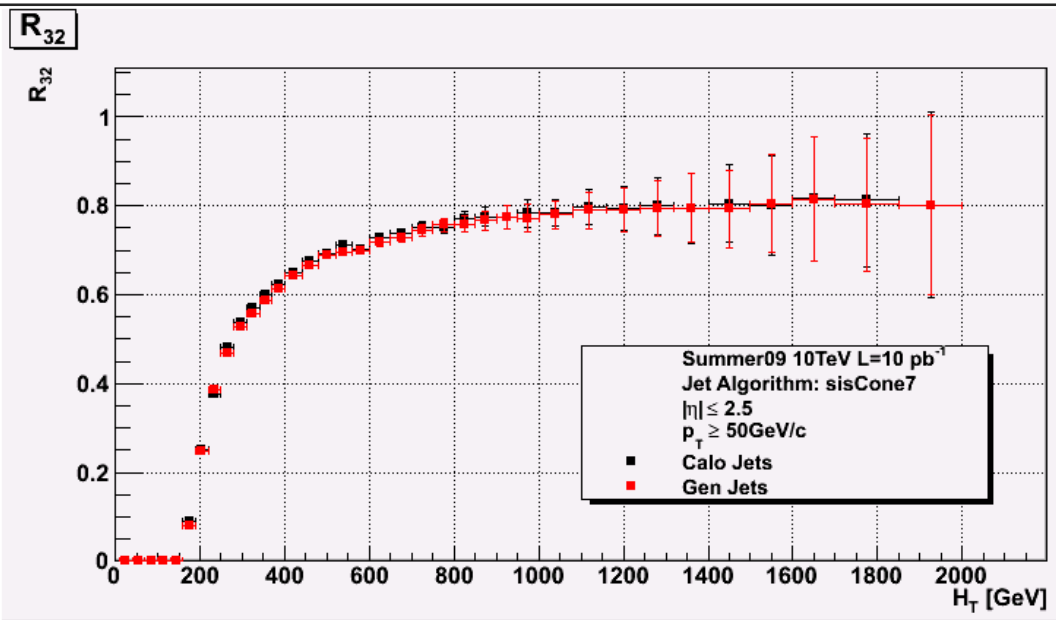


Evaluation of 3Jet/2Jet Ratio vs H_T

$$R_{32} = \frac{\sigma_3}{\sigma_2} = \frac{\sigma(pp \rightarrow n \text{ jets} + X; n \geq 3)}{\sigma(pp \rightarrow n \text{ jets} + X; n \geq 2)}$$

Jet Algorithm
sisCone7

At 10 TeV and with a Luminosity of 10pb⁻¹ is possible to extend the measurement up to H_T~1600 GeV (~3 times the scale of Tevatron).

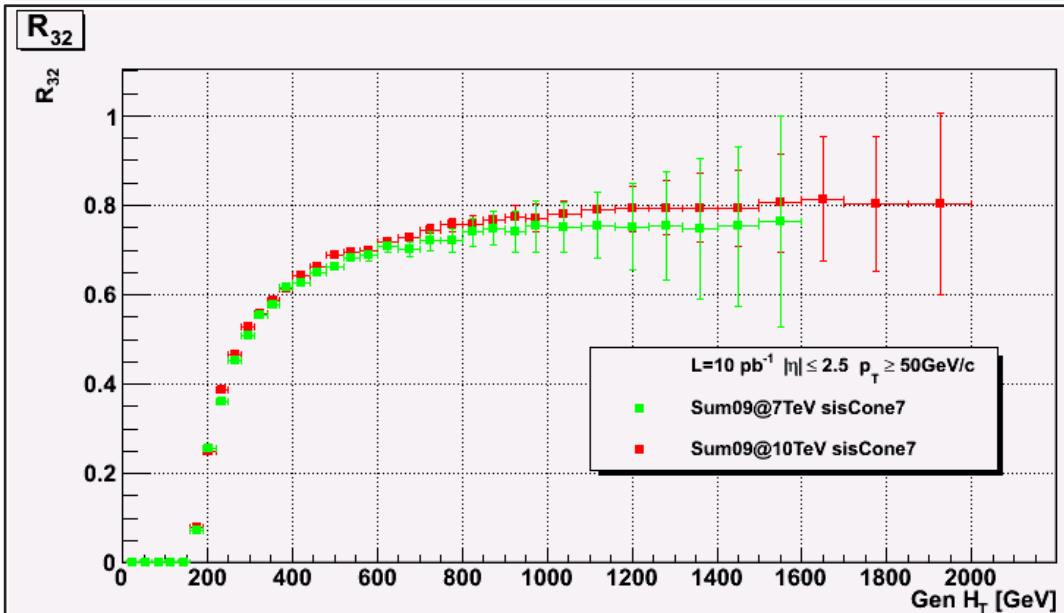
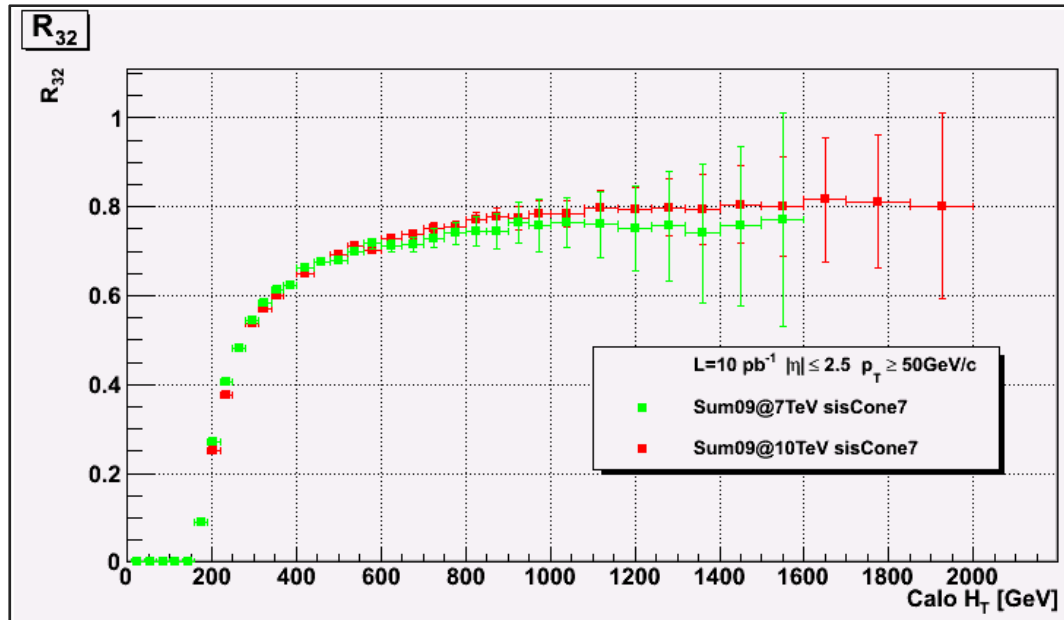


At 7 TeV R_{32} is slightly smaller when comparing with 10 TeV

With a Luminosity of 10pb^{-1} is possible to extend the measurement :

@7TeV: $H_T \sim 1200$ GeV
(~ 2 times the scale of Tevatron)

@10TeV: $H_T \sim 1600$ GeV
(~ 3 times the scale of Tevatron)

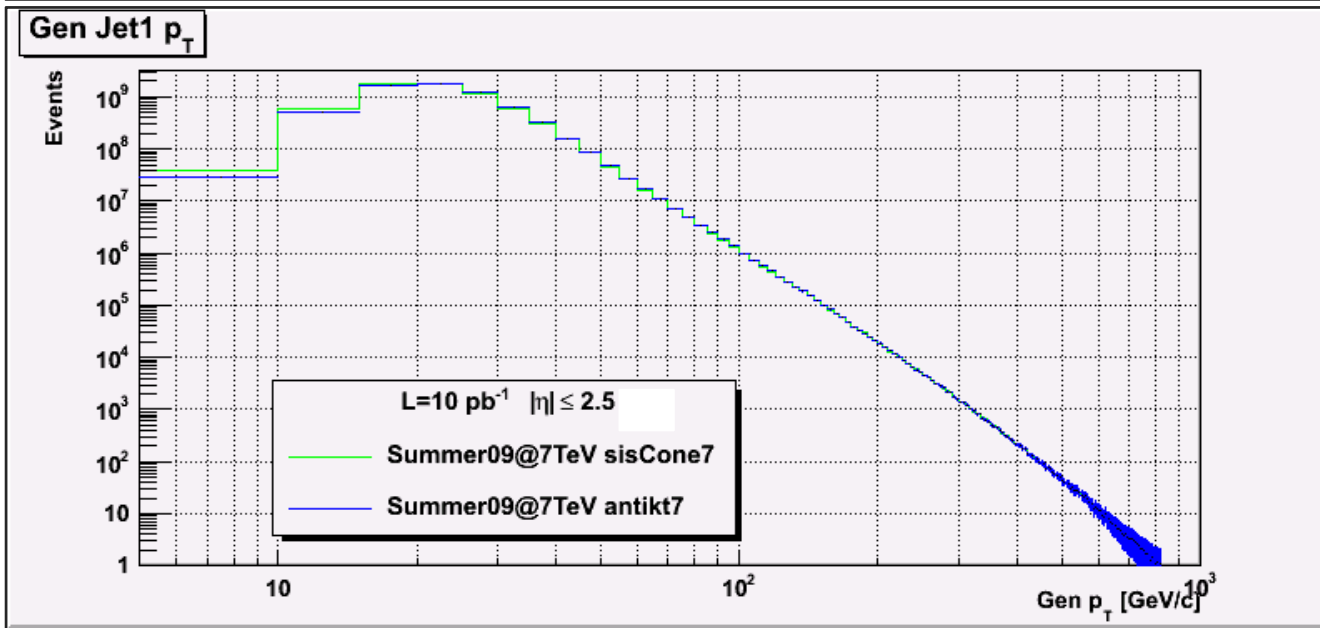
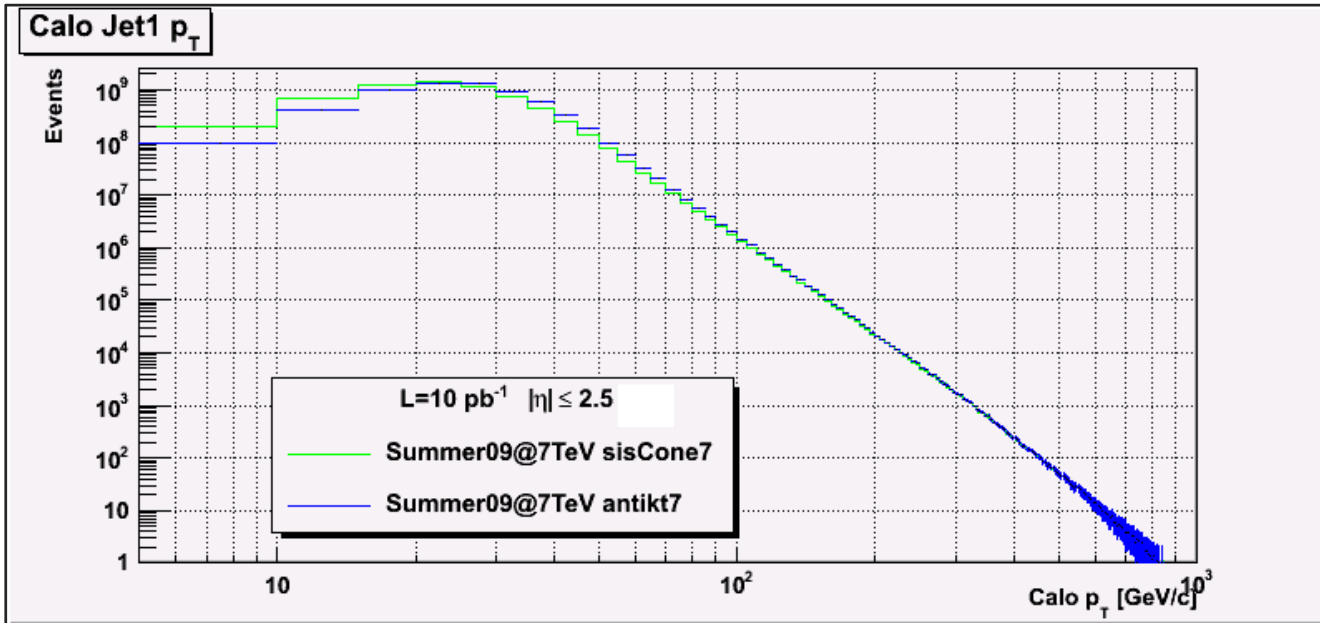


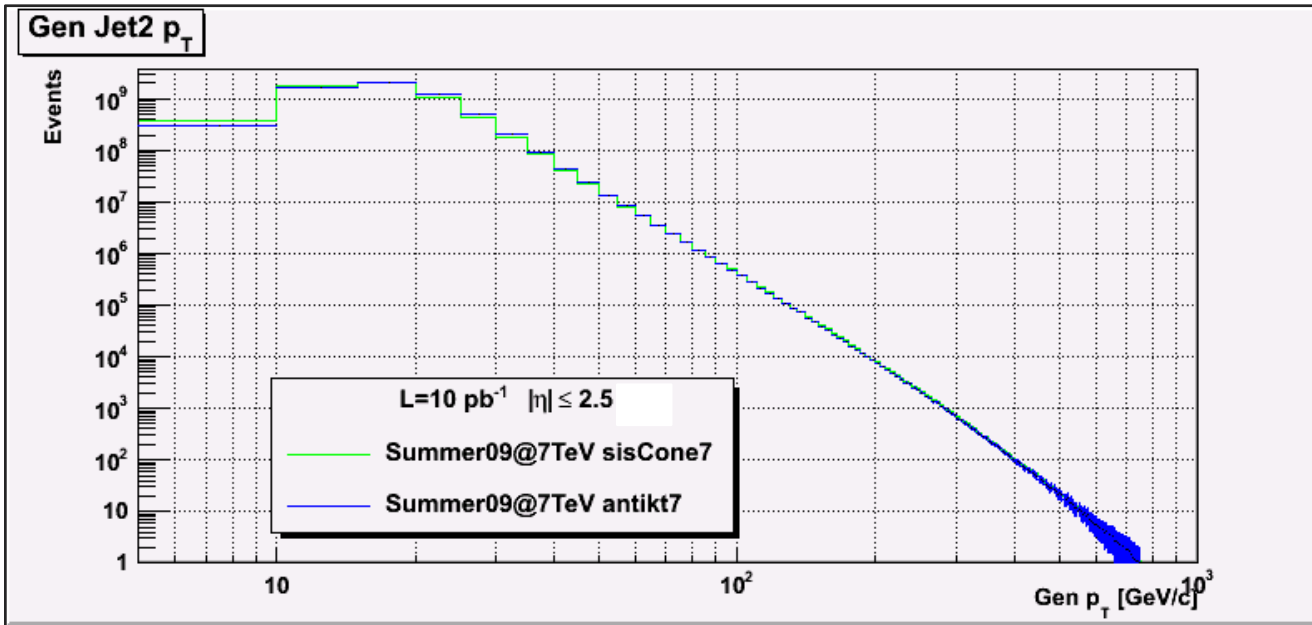
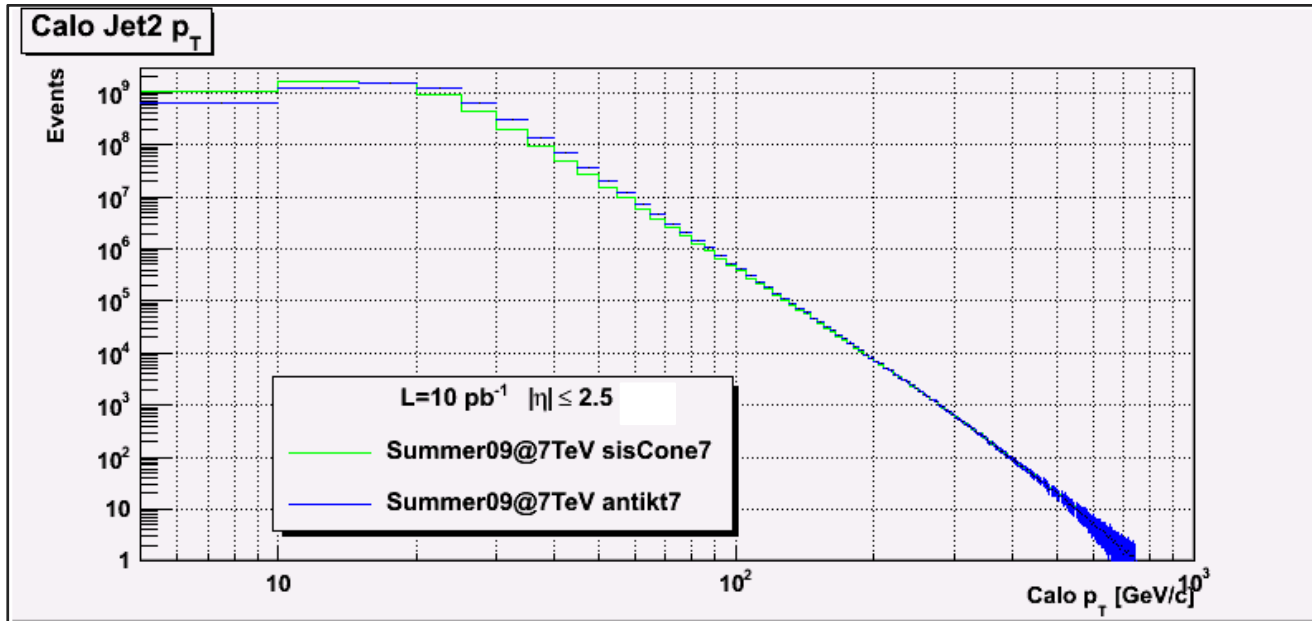
- Summer09 at 7TeV were analyzed
 - Jet Algorithms: sisCone7 and antikt7
 - Jet Energy Corrections: L2L3
- p_T resolution studies shows:
 - For antikt7 below 100 GeV CaloJet is overestimated by few per cent.
 - Below ~ 200 GeV resolution is better for antikt7.
- Concerning R_{32} :
 - At 7 TeV and with a Luminosity of 10pb^{-1} is possible to extend the measurement of the ratio up to $H_T \sim 1200$ GeV (~ 2 times the scale of Tevatron).
 - Ratio R_{32} using antikt7 is constantly higher (Calo and Gen level).
- Trigger studies shows that practically the measurement at 7TeV can be done using a combination of HLT Single Jet 50, 80 and 110.
- We note that we also performed studies to evaluate systematic uncertainties of 2 jet, 3jet cross sections and of measured R_{32} by varying JES by 10%
 - Our study shows strong uncertainty cancellation for R_{32} (uncertainty of R_{32} is less than 5%)
 - Same results as at 10 TeV



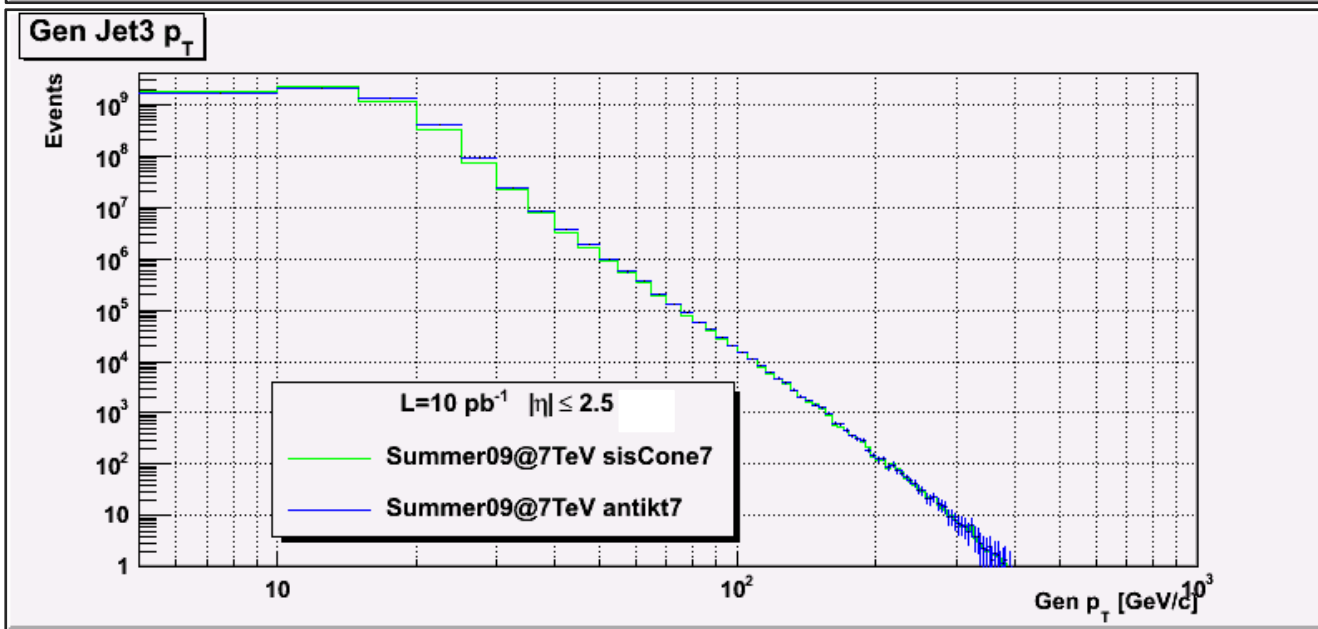
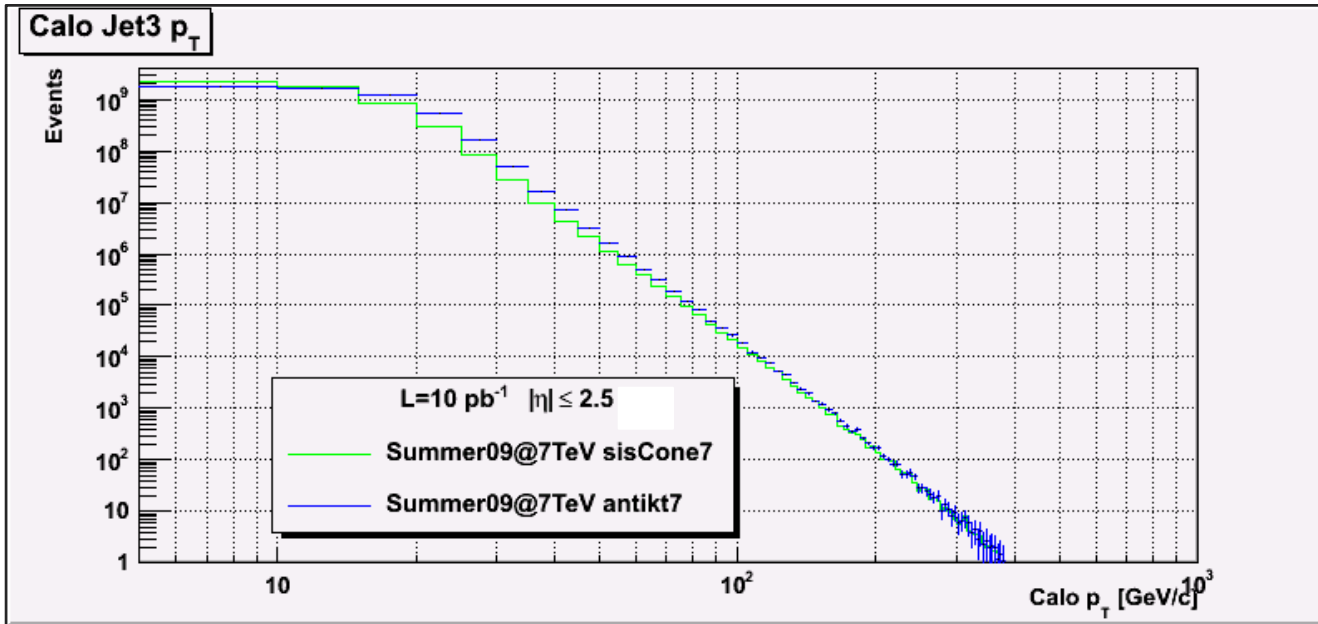
Spare

Comparison sisCone7 – antikt7: Leading Jet p_T (7TeV)





Comparison sisCone7 – antikt7: 3rd Jet p_T (7TeV)



Ratio R_{32}

$$R_{32} = \frac{d^2\sigma_3}{dH_T d\eta} = \frac{C_{\text{Smear3}} \cdot N^{\text{Calo}}(n \text{ Jets} \geq 3)}{\cancel{L} \cdot \epsilon_3 \cdot \Delta H_T \cdot \Delta \eta} = \frac{N^{\text{Calo}}(n \text{ Jets} \geq 3)}{\Delta H_T \cdot \Delta \eta} \cdot \frac{C_{\text{Smear3}}}{\epsilon_3} \cdot \frac{\epsilon_2}{C_{\text{Smear2}}}$$

$$R_{32} = \frac{d^2\sigma_2}{dH_T d\eta} = \frac{C_{\text{Smear2}} \cdot N^{\text{Calo}}(n \text{ Jets} \geq 2)}{\cancel{L} \cdot \epsilon_2 \cdot \Delta H_T \cdot \Delta \eta} = \frac{N^{\text{Calo}}(n \text{ Jets} \geq 2)}{\Delta H_T \cdot \Delta \eta} \cdot \frac{C_{\text{Smear3}}}{\epsilon_3} \cdot \frac{\epsilon_2}{C_{\text{Smear2}}}$$

measurement

A **B**

$$A = \frac{N^{\text{Gen}}(n \text{ jets} \geq 3)}{N^{\text{CaloPass}}(n \text{ jets} \geq 3)} \times \frac{N^{\text{CaloPass}}(n \text{ jets} \geq 3)}{N^{\text{Calo}}(n \text{ jets} \geq 3)}$$

$$B = \frac{N^{\text{Calo}}(n \text{ jets} \geq 2)}{N^{\text{CaloPass}}(n \text{ jets} \geq 2)} \times \frac{N^{\text{CaloPass}}(n \text{ jets} \geq 2)}{N^{\text{Gen}}(n \text{ jets} \geq 2)}$$

**$1/\epsilon_3$ (1/efficiency)
nJets ≥ 3**

**C_{Smear3}
Smearing correction
nJets ≥ 3**

**$1/C_{\text{Smear2}}$
Smearing correction
nJets ≥ 2**

**ϵ_2 (efficiency)
nJets ≥ 2**

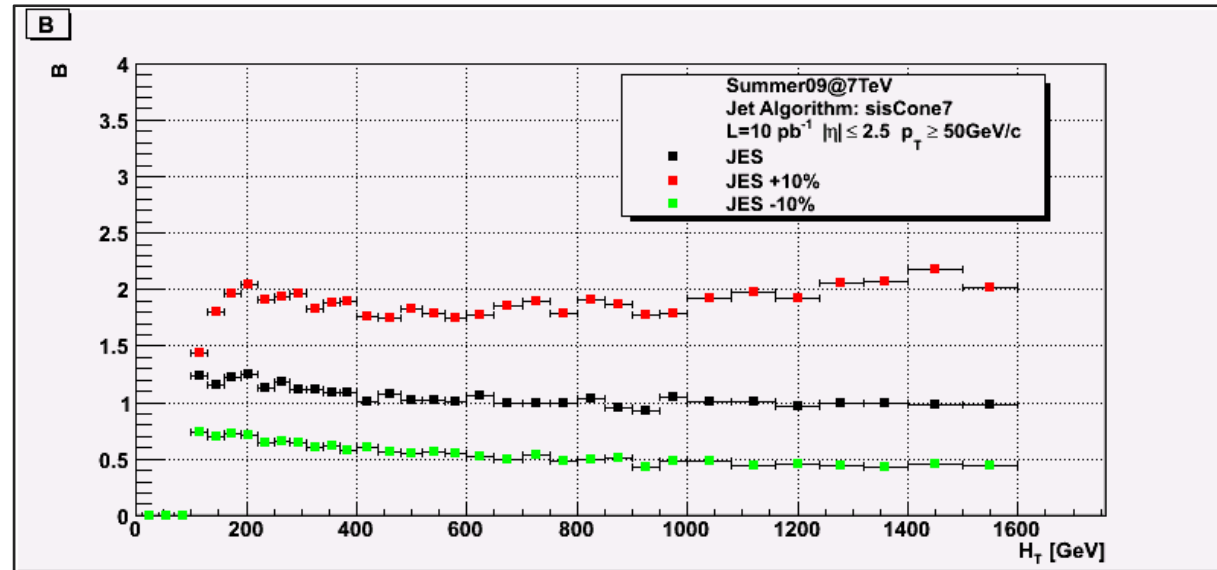
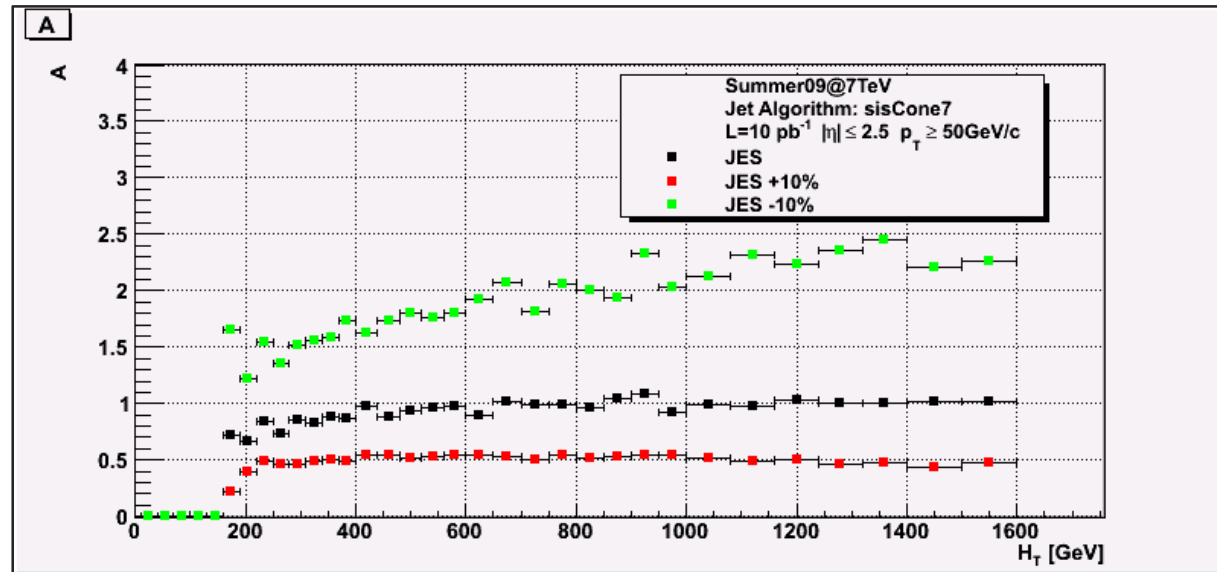
With

- $N^{\text{Gen}}(n \text{ jets} \geq 2,3)$: Number of Gen events in bin i of H_T
- $N^{\text{Calo}}(n \text{ jets} \geq 2,3)$: Number of reconstructed Calo events in bin i of H_T
- $N^{\text{CaloPass}}(n \text{ jets} \geq 2,3)$: For Gen events of bin i of H_T all reconstructed Calo events survived cuts and appear to any bin

$$A = \frac{N^{\text{Gen}}(n \text{ jets} \geq 3)}{N^{\text{CaloPass}}(n \text{ jets} \geq 3)} \times \frac{N^{\text{CaloPass}}(n \text{ jets} \geq 3)}{N^{\text{Calo}}(n \text{ jets} \geq 3)}$$

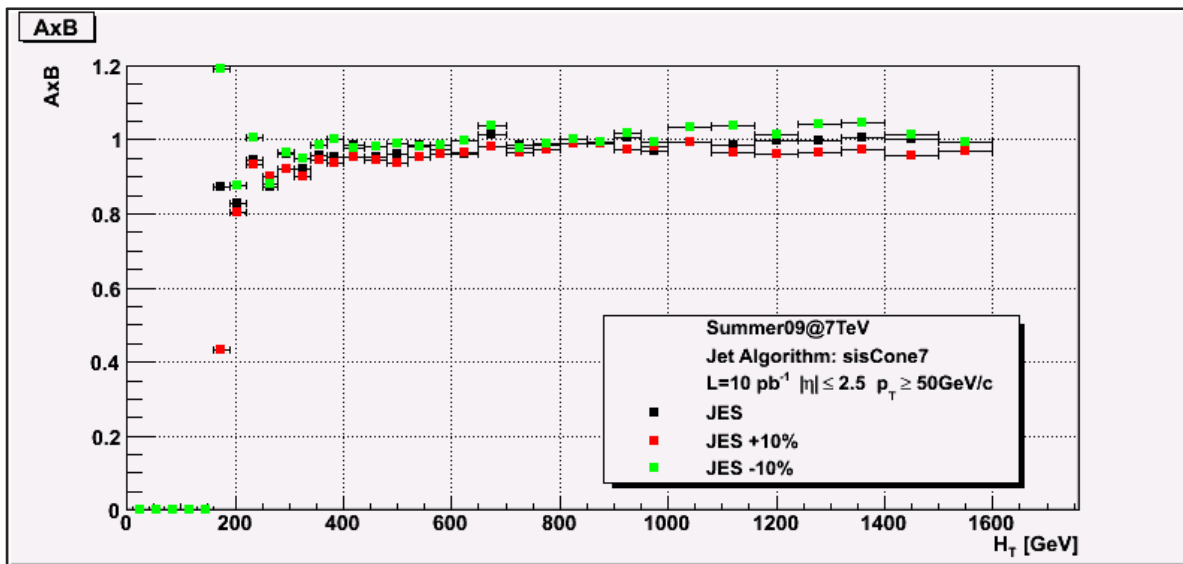
Smearing effects dominate

$$B = \frac{N^{\text{Calo}}(n \text{ jets} \geq 2)}{N^{\text{CaloPass}}(n \text{ jets} \geq 2)} \times \frac{N^{\text{CaloPass}}(n \text{ jets} \geq 2)}{N^{\text{Gen}}(n \text{ jets} \geq 2)}$$



JES Systematics : AxB

$$\left(\Lambda = \frac{N^{\text{Gen}}(n \text{ jets} \geq 3)}{N^{\text{CaloPass}}(n \text{ jets} \geq 3)} \times \frac{N^{\text{CaloPass}}(n \text{ jets} \geq 3)}{N^{\text{Calo}}(n \text{ jets} \geq 3)} \right) \times \left(B = \frac{N^{\text{Calo}}(n \text{ jets} \geq 2)}{N^{\text{CaloPass}}(n \text{ jets} \geq 2)} \times \frac{N^{\text{CaloPass}}(n \text{ jets} \geq 2)}{N^{\text{Gen}}(n \text{ jets} \geq 2)} \right)$$



We observe a strong uncertainty cancellation (uncertainty less than 5%)

